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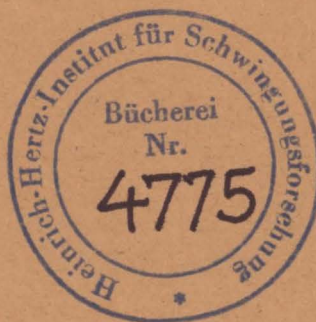
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FLAVIS — A hidden line algorithm for
displaying spatial constructs given by point sets

by

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Dr.-Ing. José Luis Encarnação



Berlin

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T e c h n i s c h e r B e r i c h t N r. 148

F L A V I S - A hidden line algorithm for
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B e r l i n
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Summary:

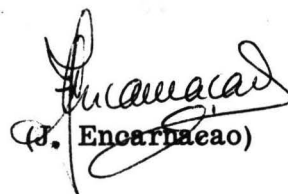
The suppression of hidden lines is, from the visual standpoint, of great importance when displaying and manipulating threedimensional objects. The FLAVIS method has been developed as a solution to this problem. It is a point set method, i. e. the objects to be displayed are defined as a set of points in space. The method is very general and independent of the form of the input data. In order to minimize the computer time required, the point set is projected onto a cartesian grid with vertex length n . During the visibility investigation, only those areas of the surface whose intersection with the grid square in which the test point is located is non zero are considered. The computing time required by FLAVIS is (in a first approximation) inversely proportional to the square of the grid size n .

The authors wish to thank Dipl.-Ing. R. Eckert /6/, /7/ and Dipl.-Ing. E. Kniepen /8/, /9/ for their contributions, which help essentially to develop this method.

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1. Introduction

The displaying and manipulation of three-dimensional objects is an important problem of computer graphics.

In order to obtain a truly spatial impression of the object being displayed, the suppression of hidden lines is of great importance. Many algorithms have been developed to solve this problem /3/,/4/.

In 1968, J. Encarnação began research in this area at the Institut für Informationsverarbeitung I of the TUB /5/. He implemented the first versions of FLAVIS. Under his supervision, this project was continued and the method generalized by R. Eckert /6/,/7/ and E. Kniepen /8/,/9/. The optimization of FLAVIS was then undertaken by P. Mahnkopf /10/, Heinrich-Hertz-Institut - Abteilung Informationsverarbeitung - in Berlin, in close cooperation with the other author of this report. The purpose of this report is to describe the algorithm and the present implementation of FLAVIS and, through program listings, make it available to a larger group.

In the present state of the art, there are four types of visibility algorithms which differ mainly in the types of basic data used.

1. Line methods
2. Surface methods
3. Grid methods
4. Point-set methods.

In addition to this problem of the choice of basic elements there is the problem of the definition of the object to be displayed.

We can distinguish between objects:

given by a set of plane surfaces,
 approximated by a set of plane surfaces,
 given by a set of equations, or
 approximated by polygons.

There are, thus, two basic definitions of objects:

- a) Objects given as polygons and
- b) Objects given by point sets obtained or calculated in some manner.

The line methods /11/, /12/, investigate the various lines of the polygons for visibility relative the rest of the surfaces. Since the surfaces describing the objects are almost always concave, these methods require either that the surfaces be subdivided into convex parts or that complex sorting algorithms be used in order to take all concave properties into account. The grid methods have been developed to solve these difficulties which cause increased computer time. These methods subdivide a given projection by a grid (of 256 lines, for example). The intersections of the polygonal lines with the grid lines are compared with one another in several lists, in order to determine visibility according to various criteria.

The next possibility is to substitute all points to be investigated for visibility into the equations defining the object to see whether there are other points also fulfilling the equations which hide the point under consideration. These methods assume the equations to be given however and, due to the edges of the objects, require the solution of complicated inequalities.

The fourth and most general method is applicable when the objects to be displayed are considered as a set of points. The point set can be obtained by interactive input, by digitalization, by the calculation of explicit or implicit equations or by interpolation, for example.

FLAVIS has been developed for this type of object definition. It has not only the advantage of general applicability but also requires no special form of input data. The data exist in the form of sextuples, i.e. a point P is given by its x-, y- and z-coordinates, the u and v lines surrounding it, and its object if more than one object is to be displayed at the same time.

$$P = P(x, y, z, u, v, L)$$

Thus, one works with sets of points. The algorithm cannot be a point method, however, since this would lead to unacceptable computation time /2/. In order to overcome this difficulty, the set of points to be displayed is projected onto a cartesian grid with vertex size n. If a point is to be tested for visibility, only those patches having a non-zero intersection with the grid square containing that point are used. The line joining two test points is, in turn, subdivided into test points. In order not to obtain too many test points, lines are subdivided according to their length. It has been determined that the computer time needed by FLAVIS is inversely proportional to the square of the grid vertex length n:

$$T \sim \frac{1}{n^2}$$

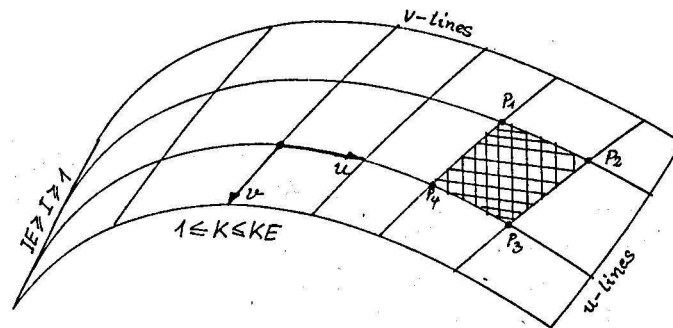
(This equation is an approximation of $T \sim \frac{k_1}{n^2} + \frac{k_2}{n} + k_3 + k_4 \cdot n$ for small n)

The current implementation for the C90/40 requires computer time in the order of minutes. An implementation for larger machines (i.e. IBM /360, /370 or CDC 6000 -serie) yields time in the order of seconds.

2. Description of the method

This method has been developed for curved boundaries. It is applicable to general point sets (i.e. Coons' surfaces, etc.). Several surfaces may also be treated using FLAVIS; the surfaces must be represented by a parallel projection. In the following, one particular representation form is described which was implemented by an interpreter. The FLAVIS method, however, is independent of this choice.

The structure to be displayed is given by a u-v line grid. Each node P is determined by its x,y, and z coordinates and by its associated u and v lines.



$$P_1 = P_1(x, y, z)$$

$$x = x(u, v)$$

$$y = y(u, v)$$

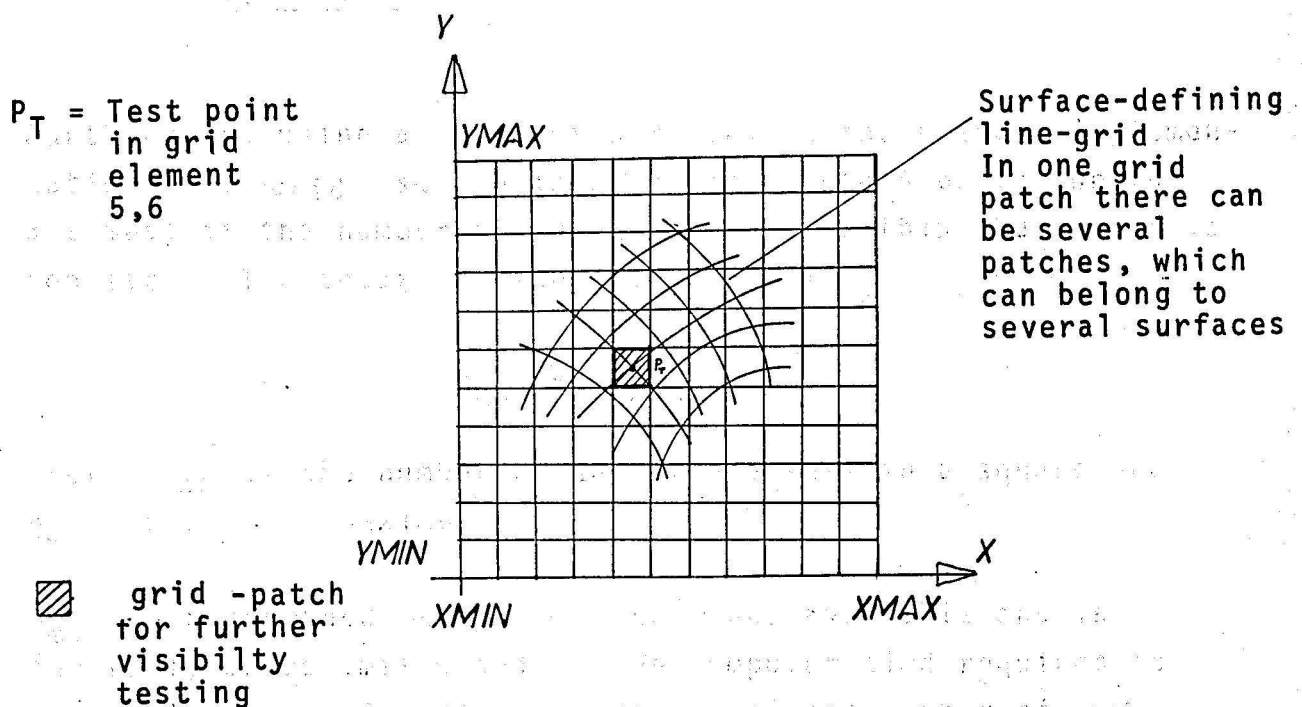
$$z = z(u, v)$$

Point	Indices
P_1	I, K
P_2	$I, K+1$
P_3	$I+1, K$
P_4	$I+1, K+1$

An 11 x 11 cartesian grid is superimposed to the display area. The size of the grid is of great importance as far as computer time is concerned. To a first approximation and up to a certain limit the time required by this method decreases quadratically with the square of the number of grid elements.

In principle, however, the grid size can be freely chosen. The surface to be displayed is then imbedded in this cartesian screen as a parallel projection.

First, surface elements (patches) are assigned to grid squares (subroutine INTER). The patches are then indexed; for reasons of storage economy 2 indices are stored in each word of the index list (subroutine ASSIGN). The indices are used later to identify the patches. In another list, the number of patches in each grid square is stored. The visibility algorithm considers only one grid square at a time, not the whole surface. It must search for all patches which have points in the grid square under consideration.



If $F_{u,v}$ denotes the set of all points, belonging to one Δu - Δv -element

$K_{v,x}$ denotes the set of all points, belonging to one grid patch

v, x denotes indices for the grid lines,

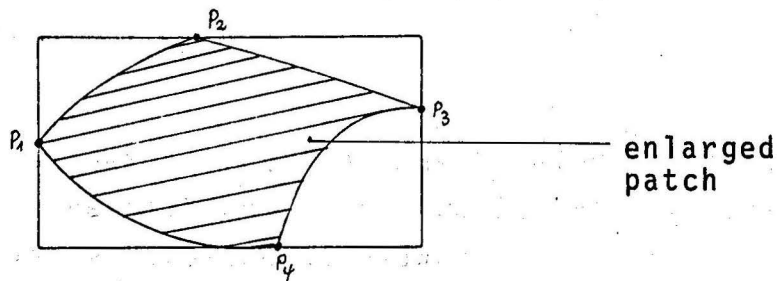
then

$$D_{u,v} = F_{u,v} \cap K_{v,x}$$

Thus, the algorithm searches for points which belong to the parallel projection of the surface and lie within the grid square being investigated (INTER), i.e.

$$D_{u,v} \neq Q, Q = \text{empty set.}$$

To keep computation time for this step as low as possible, each patch is approximated by a rectangle which contains it. (MINMAX).

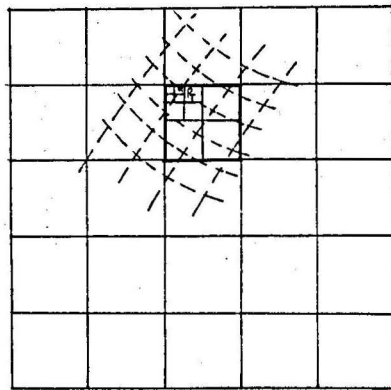


Furthermore, using an idea of Warnock, in the present implementation the grid square is subdivided into 4 parts (up to 3 times) if the number of Δu - Δv elements within the square is too large. The square is subdivided until

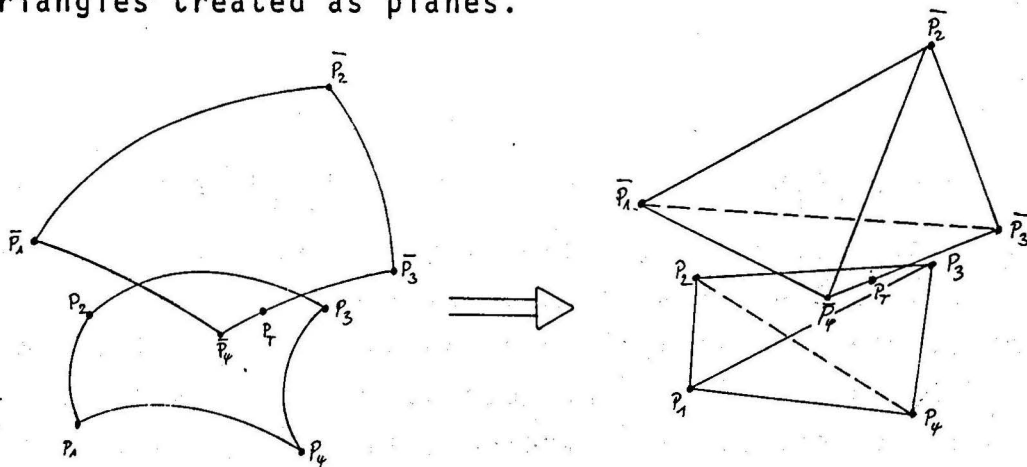
$$n_{v,x} \leq n_{\max}$$

where $n_{v,x}$ is the number of Δu - Δv elements in a square and n_{\max} is a fixed maximum.

n_{\max} is determined by the storage space available and is generally an estimated value. The computer time required is inversely proportional to the square of the number of grid squares originally given or obtained by subdivision (see chap. 4). Currently, for 100 patches, the time required is 4 - 5 minutes.



In the next step, the Δu - Δv elements (patches) under consideration are divided, in two ways, into two parts, approximated by triangles treated as planes.



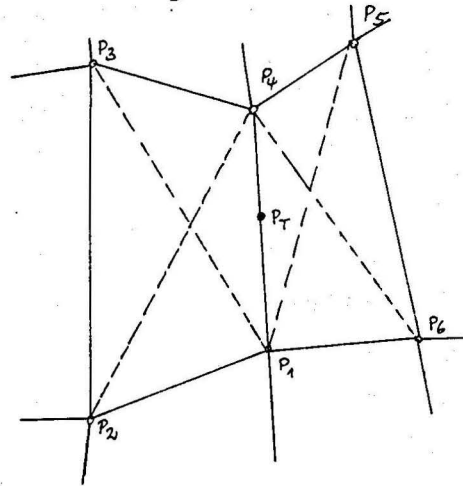
Only those triangles containing the test point P_T are considered further. They are found by the subroutine SEARCH. Whether or not a test point P_T lies within a patch or a part of a patch is determined in the fast assembler program INFLAS using a very simple algorithm.

Before INFLAS is called, trivial cases are treated, i.e.:

If all z -coordinates of a patch are greater than the z -coordinate of P_T , P_T is not visible. If all z -coordinates of a patch are smaller than the z -coordinate of P_T , the patch or the respective sub-triangle is irrelevant for further testing.

Another trivial case can be dealt with easily in SEARCH with the aid of INFLAS:

If a test point P_T is on the boundary or at an end point of a patch, the directly adjoining subdomains of this patch cannot cover the test point. Therefore, these sub-triangles are irrelevant for further testing.



The triangles $P_1P_3P_4$, $P_1P_2P_4$, $P_1P_4P_5$ and $P_1P_4P_6$ cannot cover P_T .

As this case occurs very frequently - the test point is moved along a u- or v-line - it means a decisive reduction in computing time. Only in cases which do not permit such simple decisions, are the plane projection-coordinates of test point $P_T(x,y,z)$ taken. The z-coordinates belonging to it are computed from the plane equations of the triangles:

$$\begin{vmatrix} x_1 & x_2 & x_3 & x \\ y_1 & y_2 & y_3 & y \\ z_1 & z_2 & z_3 & z \\ 1 & 1 & 1 & 1 \end{vmatrix} = 0 \quad (1)$$

In (1) z is set equal to z_v and the determinant is resolved to z_v .

A test point $P_T(x,y,z)$ is visible if

$$z - z_v \geq 0 \quad (2)$$

This is determined in the subroutine DIF. Before, however, the plane determinant (equ. 1) is solved, trivial cases are excluded or solved by simple IF-statements in DIF. If, for example, all z-coordinates of the end point of a triangle are larger (smaller) than the z-coordinates of test point P_T , the test point is invisible (visible). This means a considerable reduction of computing time.

For the visibility testing, the test points P_T are taken along the u- or v-lines. The distance between the test points is not given but defined by the distance between the nodes that are to be connected; i.e. if two nodes are far apart, more test points are taken. The intermediate points (test points) are taken sequentially along a u- or v-line. During this testing, various trivial cases are excluded to optimize computing time (SEARCH and DIF).

The filling of the display-file is also made optimally, i.e. dummy points are only filled in if the end point of the last vector is more than $EPS = 10^{-5}$ away from the new position.

The visibility procedure is generally valid for both convex and concave patches. There are no geometric restrictions. The procedure, moreover, allows the processing of several general surfaces (at present 10 surfaces with 100 nodes each).

In the figures, the intersection lines were drawn in. In its actual form, FLAVIS does not display these curves. The points forming the curves are computed in FLAVIS, but they are lost. It is in principle no problem to save these points and to display the intersection lines using them. We are working on a program that adds the intersection lines, however, into the display-file.

3. Program descriptions:

In this chapter the programs

FLAVIS,
MINMAX,
ASSIGN,
VIDRAW,
GREVIS,
VISKRI,
DIF,
ERROR,
INTER, and
ZERLEG are described.

Moreover, the subroutine-package INFLAS consisting of the programs

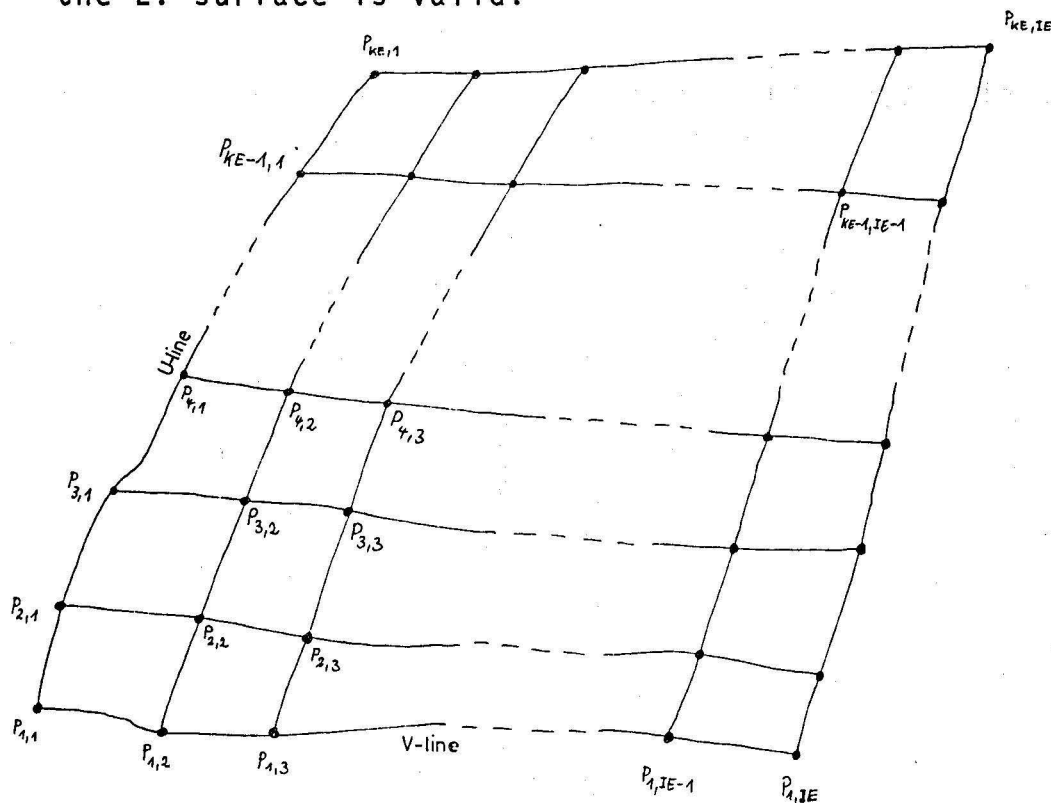
INFLIN,
INFLAP,
INFLA3, and
INFLA4 (in the assembler language META 920) is described.

General remarks, explanations of the COMMON-sizes and the arrays etc. are made in chapter 6.

Before a FLAVIS-call in the main program is made, the following sizes have to be defined:

size	significance	purposes
XMIN XMAX YMIN YMAX	minimum x-coordinate maximum x-coordinate minimum y-coordinate maximum y-coordinate	display scalation
IE KE LEMAX	number of U-lines number of V-lines number of surfaces	end indices for D0-loops
XT(I,K,L) YT(I,K,L) ZT(I,K,L)	coordinate fields of surface knots	

In the present form of the program up to 10 surfaces with 100 knots at a time are representable. (10 knots in U-direction and 10 knots in V-direction). For the indexing of the knot coordinates the L. surface is valid:



Here we have (L = surface index)

$$P_{1,1} = P [XT (1,1,L), YT (1,1,L), ZT (1,1,L)]$$

$$P_{2,1} = P [XT (2,1,L), YT (2,1,L), ZT (2,1,L)]$$

$$P_{IE-1,1} = P [XT (IE-1,1,L), YT (IE-1,1,L), ZT (IE-1,1,L)]$$

$$P_{IE,1} = P [XT (IE,1,L), YT (IE,1,L), ZT (IE,1,L)]$$

$$P_{1,2} = P [XT (1,2,L), YT (1,2,L), ZT (1,2,L)]$$

$$P_{1,KE-1} = P [XT (1,KE-1,L), YT (1,KE-1,L), ZT (1,KE-1,L)]$$

$$P_{1,KE} = P [XT (1,KE,L), YT (1,KE,L), ZT (1,KE,L)]$$

For the coordinates has to be hold

$$XMIN \leq XT (I,K,L) \leq XMAX$$

$$YMIN \leq YT (I,K,L) \leq YMAX.$$

In order to loose no picture parts after a possible rotation,
for the z-coordinates has to be hold

$$XMIN \leq ZT (I,K,L) \leq XMAX \quad \text{and}$$

$$YMIN \leq ZT (I,K,L) \leq YMAX.$$

Furthermore it holds that

$$IE \leq IEMAX = 1 \emptyset$$

$$KE \leq KEMAX = 1 \emptyset$$

$$LEMAX \leq 1 \emptyset$$

3.1 FLAVIS

Name: FLAVIS
 Key-word: Surface with visibility
 Language: FORTRAN II
 Call : CALL FLAVIS
 Parameter: -
 COMMON: IN, I, K, L, IE, KE, LEMAX, XMIN, YMIN,
 XMAX, YMAX, DELTAX, DELTAY, TEILX,
 TEILY, SIGMAX, SIGMAY, THETAX, THETAY,
 DIVIS, IOPT1, IOPT2, IOPT3, LIHIWI,
 INDLI, NPUF, KEMAX, NANZAL

Subroutines: MINMAX, ASSIGN, VIDRAW, Display-Software, INFLIN
 Storage location: 534

1. part: to compute constants and to restore arrays

For an acceleration of the visibility testing, a cartesian screen is computed, as then the testings only refer to one part of the screen and no longer to the entire region of existence. In the main program the minimum- and maximum-values of the surfaces have to be computed in X- and Y-direction XMIN, YMIN, XMAX, YMAX. The sizes DIFFX, DIFFY result from them, with the aid of which other minimum- and maximum-values for the cartesian screen XMIN, XMAX, YMIN, YMAX are computed.

These new minimum- and maximum-values result in a cartesian screen, which is a little greater than the surface. Thus it is avoided that surface points lie on the screen border (zero interrogation of floating point sizes). The distance between two screen lines - there are 12 of them in X- and 12 in Y-direction - is computed in X-direction DELTAX and in Y-direction DELTAY.

For a refinement of the screen, which is made in the subroutines VISKRI and ZERLEG, $1/2$, $1/4$, $1/8$ of the distance in X- and Y-direction is computed.

In the subroutine GREVIS the size DIVIS and in the subroutine VISKRI the sizes IOPT1, IOPT2, IOPT3 are used, to which values are allocated. The arrays INDLI (1024) and LIHIWI (11,11,2) are set to zero, to obtain unobjectionable conditions for each new visibility testing.

With CALL INFLIN(XC(1),YC(1),IN) the addresses of the X-, Y-ARRAYS and the address of IN for the subroutines INFLAP, INFLA3, and INFLA4 are transferred (see description of INFLAS).

2. part: allocation of the patches to the screen

In a DO-loop the allocation of the patches in the screen is made:

First a branch-parameter ISPRU = ISPR-1 is set, here ISPR is the DO-loop of the outermost loop. For ISPRU = 0 in a triplicate index for each patch the minimum and maximum X- and Y-value XMI, YMI, XMA, YMA is computed. Besides, the subroutine MINMAX is called, that yields XMI, YMI, XMA, YMA as output parameters. For the knot coordinates of the surface the one-dimensional representation with the index IQ is used.

In subroutine MINMAX it is called for the knot coordinates XC, YC with the indices (IQ), (IQ+1), (IQ+KEMAX+1), (IQ+KEMAX). These indices correspond in the XT- YT-representation to (I,K,L), (I+1,K,L), (I+1, K+1, L), (I,K+1, L). In the DO-loop I only runs to IE(L)-1, K only to KE(L)-1. It would be senseless, to let I and K run to IE(L) resp. KE(L), as then, in subroutine MINMAX, for example, it would be called for a knot with the indices (IE(L)+1, KE(L)+1, L), which is not at all defined in the main program.

The variables XMI, YMI, XMA, YMA form a triangle, containing the patch. Thus the patch is enlarged and it is safe to say that all points have been collected. Required are the screen patches containing the points of the triangle XMI, YMI, XMA, YMA. As both, screen and triangle have axially parallel boundaries, the problem is considerably simplified. The variables IRA, IRE, KRA, KRE are formed, which indicate, over which screen patches the triangle is extended.

IRA and IRE are beginning- and end-value in X-direction for IRX; KRA and KRE are beginning- and end-value in Y-direction for IRY. IRX, IRY, which specify the screen patch, compute in a double DO-loop the number of patches per screen patch, which are stored in the indication array LIHIWI(IRY,IRX,1). At the end of each DO-loop, in which K is varied, by an increase of IQ for (KEMAX+1 - KE(L)), and at the end of each DO-loop, in which I is varied by an increase of IQ for (KEMAX * (IEMAX+1 - IE(L))) those storage locations that do not correspond to any knot-coordinates, are skipped.

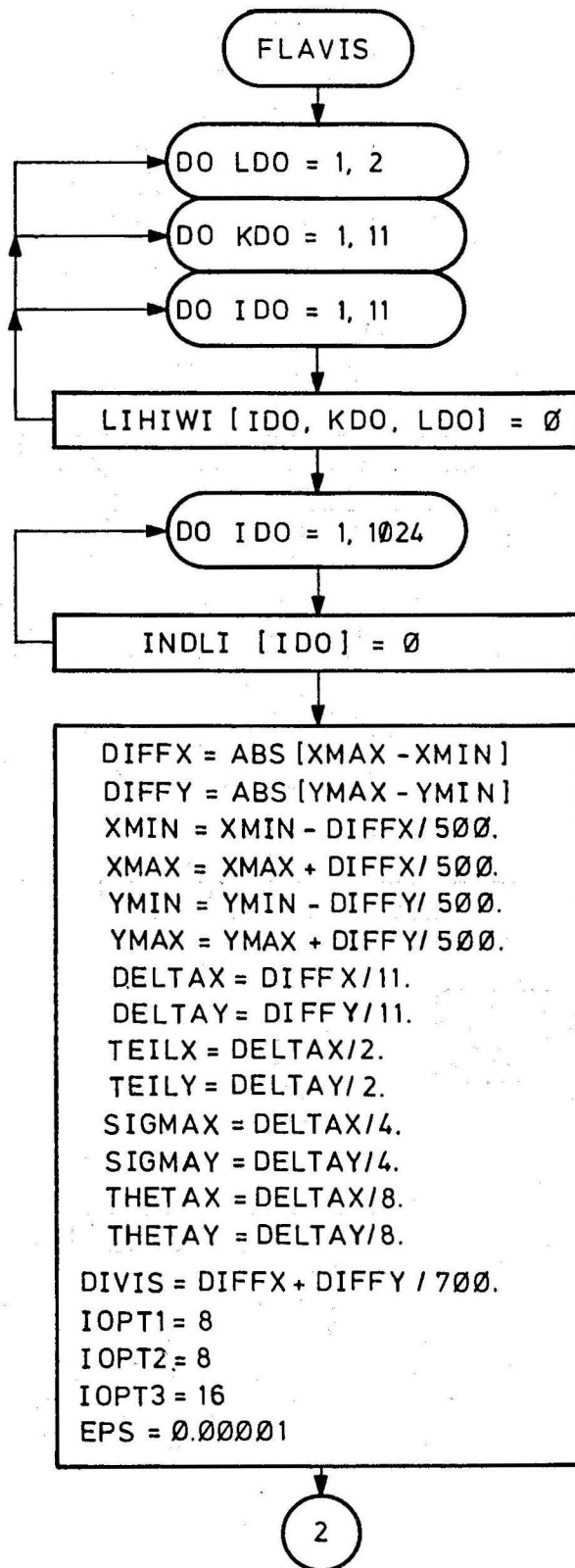
The number of patches in all screen patches is summed up and stored in array LIHIWI(IRY,IRX,2). At the same time the array LIHIWI(IRY,IRX,1), the values of which were taken over by the array LIHIWI(IRY,IRX,2), is set to zero. This is necessary, as the array LIHIWI(IRY,IRX,1) has to be built up once more in the 2nd run through the outermost loop (ISPRU=1).

In the second run through the outermost loop the program passes as in the first run the program part up to the generation of the indication array. Here too it is computed for each patch over which screen patches it is extended and this is stored in the indication array LIHIWI(IRY,IRX,1). With these values and the LIHIWI(IRY,IRX,2) computed in the first call, for each patch having points in a screen patch, a patch-counter IANZ is computed.

IANZ, as an input parameter is transferred to the subroutine ASSIGN, that yields IZQ, IMIN, IMAX as output parameters. With the system dependent program PUTBIT the patch-index IQ is stored in the storage unit INDLI(IZQ) of the index list INDLI between bits IMIN and IMAX. At the end of the DO-loops, the IQ-values, which are no indices of knot-coordinates are skipped.

3. part: Drawing of the visible picture elements

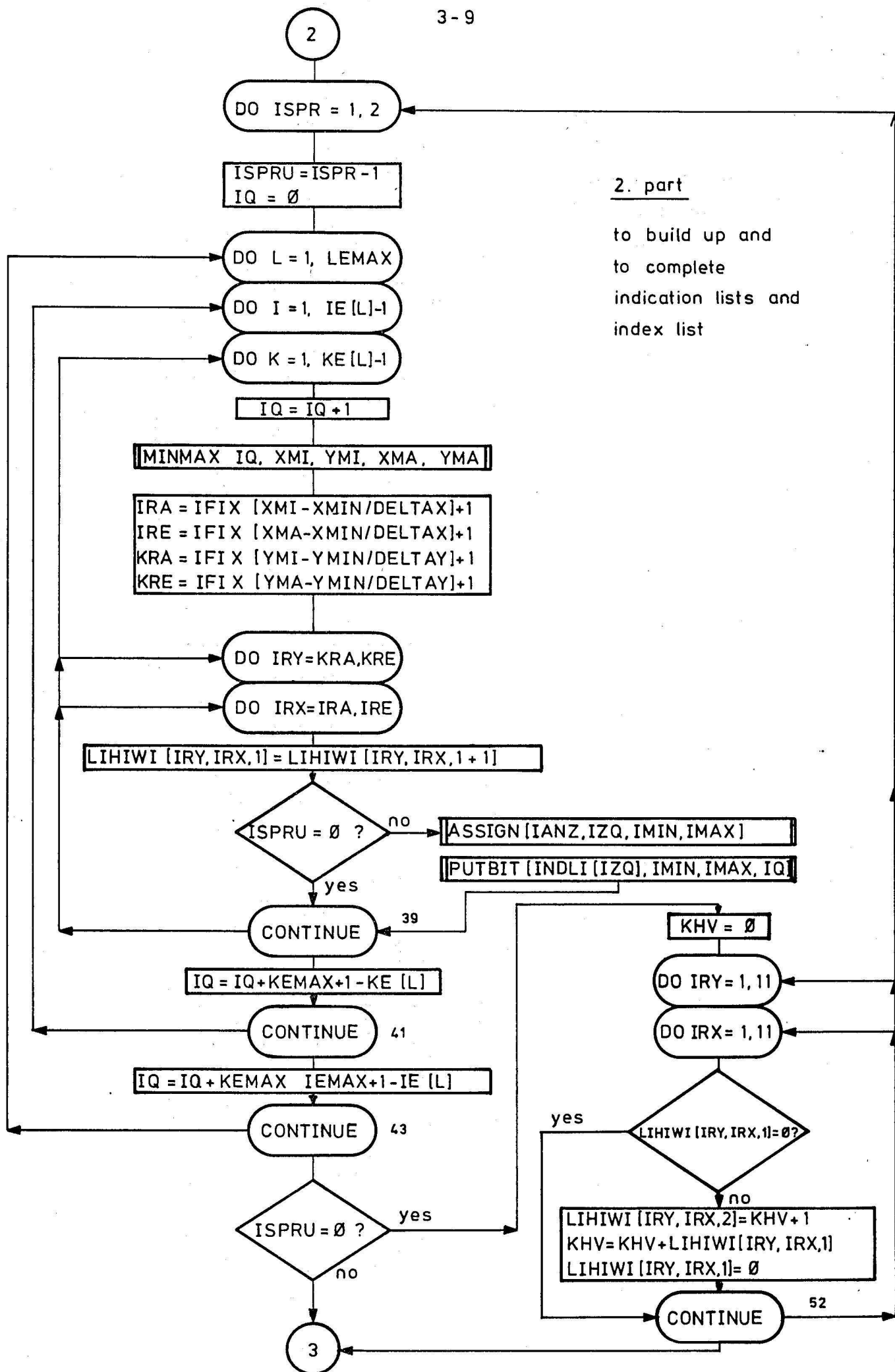
Because of the small storage space, no dynamic picture output is possible, so that the existing buffer storage has to be erased by CLEAR and a new display-picture has to be prepared by call of the subroutine SETUP. The drawing of the visible line elements is made by the subroutine VIDRAW. First the visible U-line elements are drawn, for this the variables $I1 = I-1$ and $K1 = K$ are set, afterwards the visible V-line elements are drawn, $I1 = I$ and $K1 = K-1$.

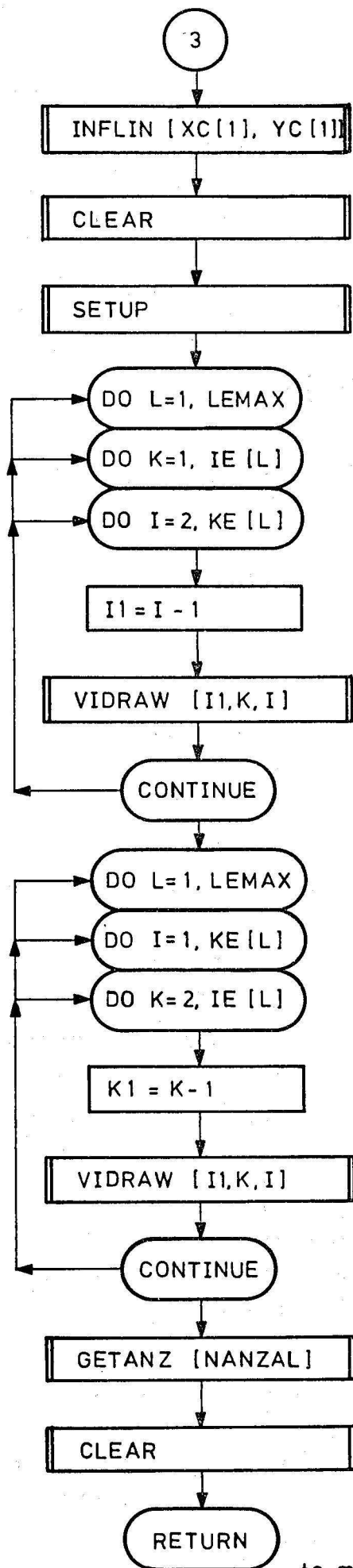


1. part

to restore lists

to compute constants



3. part

drawing of the
visible picture
elements

to main program

3.2 MINMAX

Name: MINMAX

Key-word: Limits of a patch

Language: FORTRAN II

Call: CALL MINMAX (IMM, XMI, YMI, XMA, YMA)

Parameters: Input parameter: IMM
Output parameter: XMI, YMI, XMA, YMA

COMMON: KEMAX, XC, YC

Subroutines: -

Storage location: 116

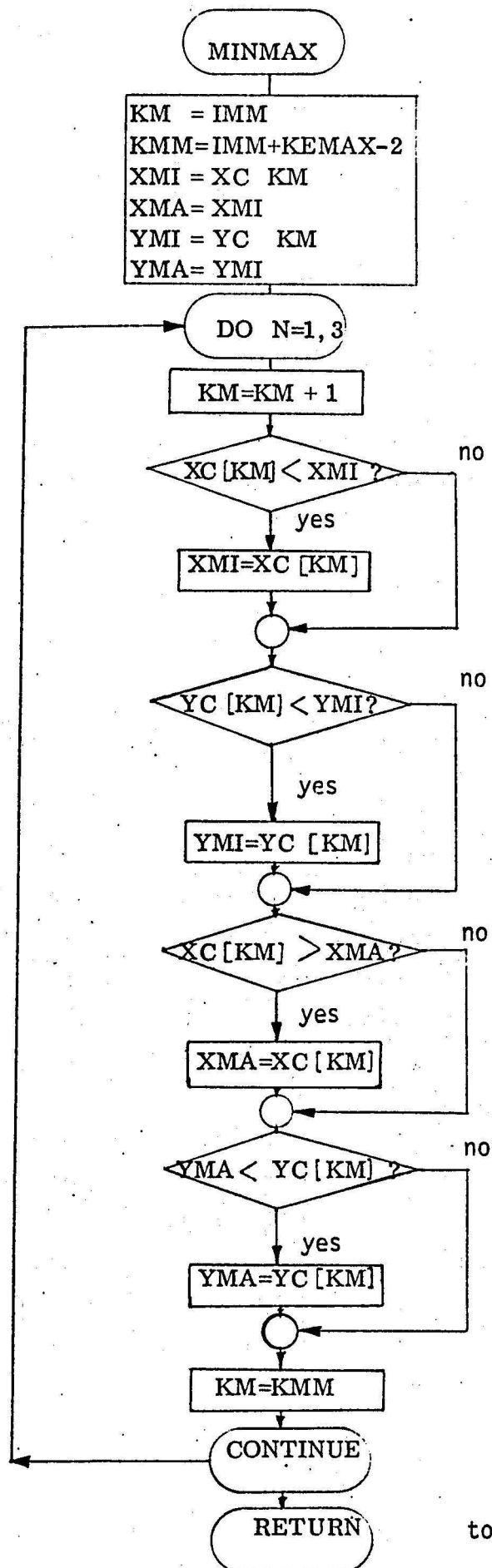
To save storage space and to reduce computing time in MINMAX the one-dimensional representation for the knots is used.

As the input parameter IMM may not be changed it is transferred to the local size KM. Then, for the DO-loop a size KMM=IMM+KEMA-2 is computed. Before the DO-loop

XMI = XC(KM) (Minimum in X-direction),
 XMA = XMI (Maximum in X-direction),
 YMI = YC(KM) (Minimum in Y-direction), and
 YMA = YMI (Maximum in Y-direction) is set.

In a DO-loop, the previous minima and maxima are compared with the three other corner-coordinates and after respective branches the new minima and maxima are allocated to the parameters XMI, XMA, YMI, YMA.

In the first run the index for XC resp. YC is equal IMM+1. At the end of the DO-loop $KM = IMM + KEMAX - 2 = KMM$ is set. Thus, in the 2nd run the index gets the value IMM + KEMAX. For the 3rd run $KM = IMM + KEMAX - 2$ is set again and in the 3rd run the index has the value IMM + KEMAX+1.



to FLAVIS resp ZERLEG

3.3 ASSIGN

Name: ASSIGN

Key-word: Assignment for system dependent programs

Language: FORTRAN II

Call: CALL ASSIGN (IANZ, IZQ, IMIN, IMAX)

Parameters: Input parameter: IANZ
Output parameter: IZQ, IMIN, IMAX

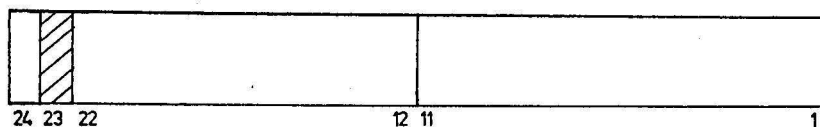
COMMON: -

Subroutines: -

Storage locations: 59

The input parameter IANZ is a measure for ascertaining how many patches are allocated to how many screen patches. A more exact computation see in subroutine FLAVIS. From IANZ the variable IZQ is formed in a way that always two successive values of IANZ result in a value of IZQ. IZQ is the index of the index list INDLI.

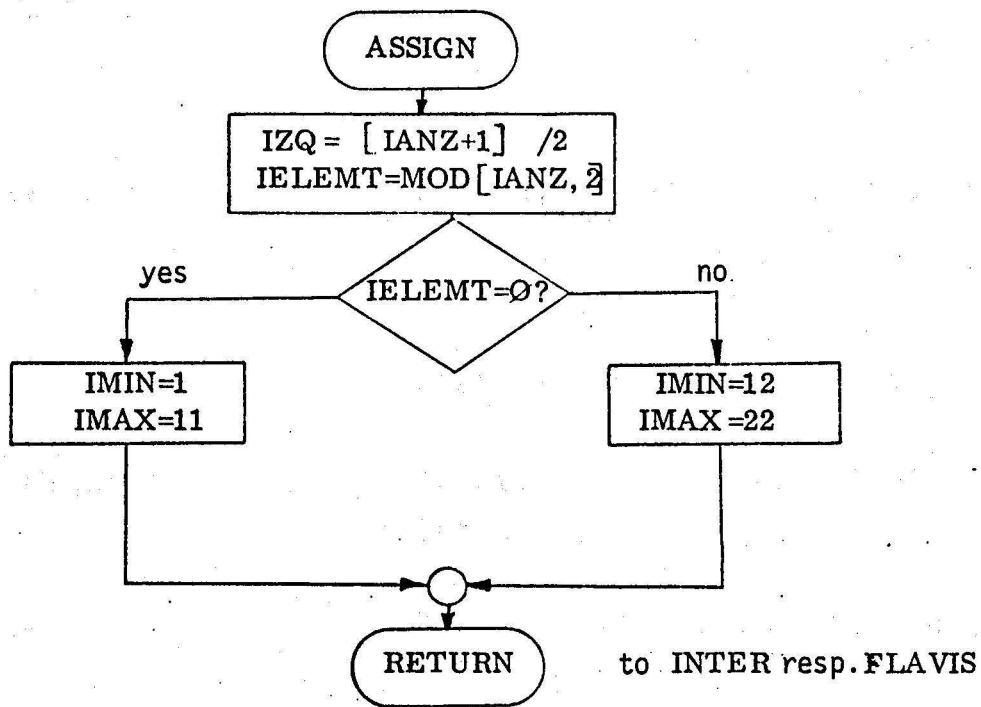
It is the meaning of the subroutine ASSIGN, to compute the bits for the storage locations of the index list in a way that always two indices IQ can be loaded into a storage cell INDLI(IZQ). IMIN is the first bit, IMAX the last, the index IQ may take. If the value of IANZ is an odd number, IMIN=1 and IMAX=11 is set, if it is an even number IMIN=12 and IMAX=22 is set.



In the partition of the storage cell according to this method, 22 of the 24 available bits are used, the 23. remains uncovered

and the 24. bit as sign bit is not to be covered. The representation with two indices I,K can only cover 20 bits of the 24 existing, therefore the product of two indices I,K can be maximally half as great as the index in the one-dimensional representation. Hence it follows that when applying two indices, the index list can only compute half of the knots, which could be computed with one index.

In the computation with one index IQ its value and thus the number of patches, which can be computed by the index list, can be doubled once more, if, after a suitable interrogation, 11 bits of a storage cell are allocated to the indices IQ smaller than 2^{11} , and if 12 bits are allocated to the indices IQ greater than 2^{11} but smaller than 2^{12} . With $2^{12}=4096$ knots here too the limit is reached up to which the indices IQ can be loaded into the index list.



3.4 VIDRAW

Name: VIDRAW

Key-word: Drawing of the visible picture elements

Language: FORTRAN II

Call: CALL VIDRAW (I1, K1, IKANF)

Parameters: Input parameter: I1, K1, IKANF
Output parameter: -

COMMON: EPS, I, III, K, KZZ, L, NPUF, XT, YT, ZT

Subroutines: VISKRI, GREVIS, Display-Software

Storage location: 253

First the beginning- resp. end-point of a line is exchanged out of the three-dimensional ARRAY. Here it is hold:

If I1 = I-1 and K1 = K, U-lines are tested for visibility.

If I1 = 1 and K1 = K-1, V-lines are tested for visibility.

The 1. point is only tested at the beginning of a U- or V-line, resp. if the subroutine GREVIS was left previously (IVK = -1, because beginning- and end-point lie closely together). The creterion, if a beginning point is concerned, is yield by the parameter IKANF (IKANF=2). It is only necessary to test the beginning point of the respective U- or V-line for visibility, as the subroutine GREVIS anyway computes the visibility of the end point of a line element. At the next line element this end-point becomes the new beginning point. If the first point is invisible, the subroutine GREVIS is called by the input parameter IWAHL = -1, if it is visible, IWAHL has the value 0.

With each call of GREVIS, XD1, YD1, ZD1, and XD2, YD2, ZD2 are transferred as input parameters. The output parameters XSTR, YSTR, ZSTR are the X-, Y-, Z-coordinates of the point, which marks the boundary of the visible line element. This can be a point up to which the line element is visible, or a point from which off the line element becomes visible.

1. case: If IWAHL is -1, after the call of GREVIS it is queried, whether the beginning- and end-point of the line element in question lie within an EPSILON-distance. If this is realized, the variable III is greater than 0 and it is returned at once into the calling program FLAVIS. If III is not greater 0, the X-, Y-, Z-coordinates of boundary point XSTR, YSTR, ZSTR are regarded as coordinates XD1, YD1, ZD1 of a new beginning point.

If the boundary point of visibility coincides with the second knot, it is returned into the calling program FLAVIS, as the entire connection-line has been tested for visibility. If it does not coincide with it, it is proceeded according to case 2.

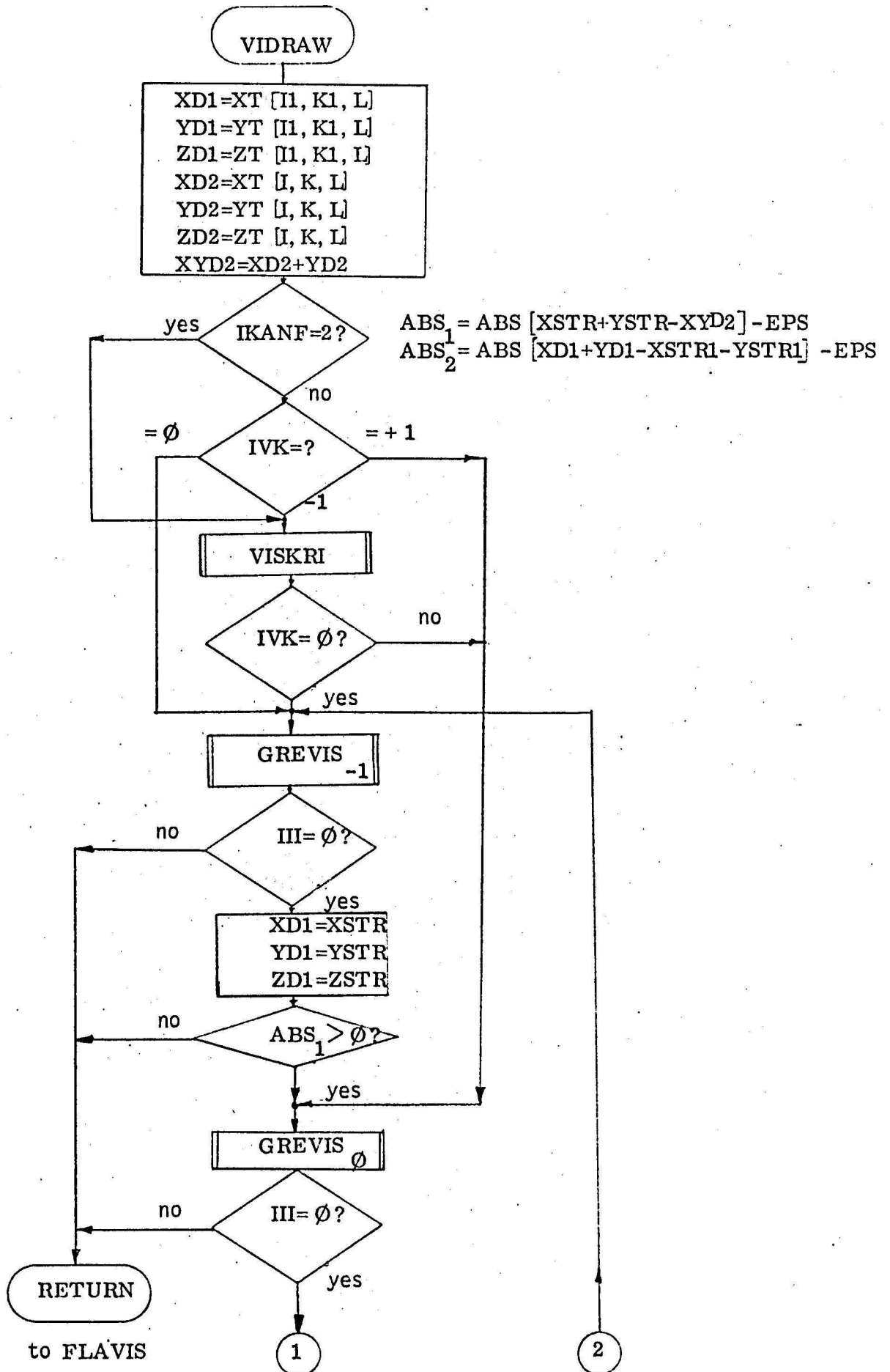
2. case: If IWAHL is 0, after the return from subroutine GREVIS, it is queried - as described above - whether beginning- and end-point lie within an EPSILON-distance.

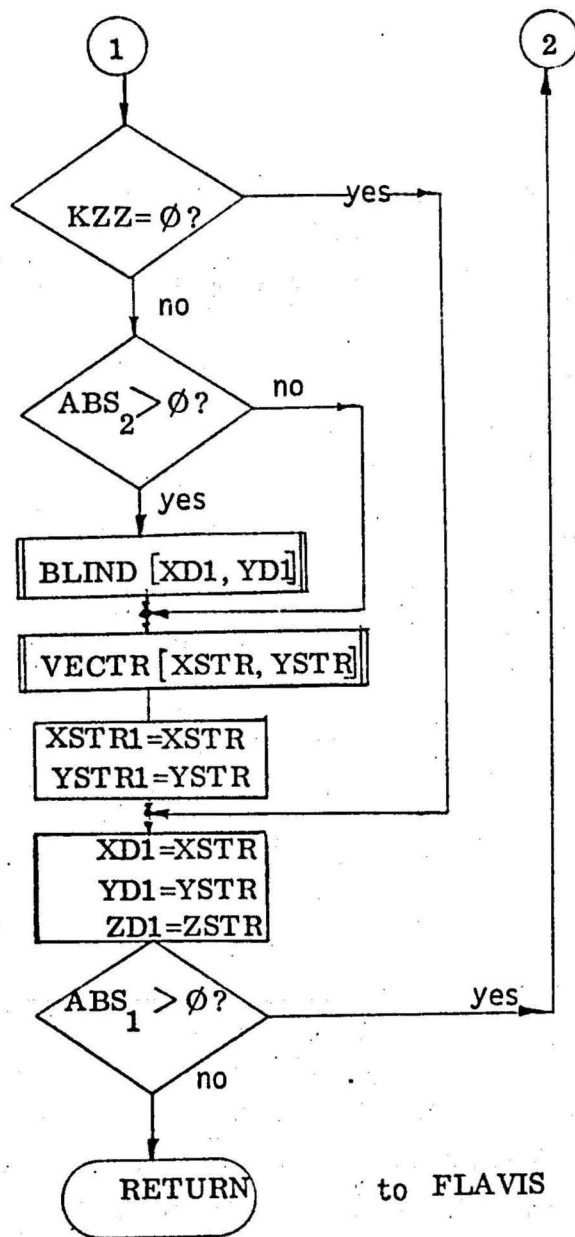
In subroutine GREVIS a loop counter KZZ, beginning from 0, is increased by one at each step from the beginning- to the end point. If KZZ at the return is 0, that means if only one step away from the beginning point the line element is visible, the part in between should not be drawn. In the program CALL BLIND and CALL VECTR are skipped then.

To keep the buffer storage NPUF as little as possible, the subroutine BLIND should be called only, if the new vector is not drawn from the end point of the last vector.

It is queried , whether the beginning point XD1, YD1 of the new vector coincides with the end point XSTR1, YSTR1 of the last vector drawn. If this is not the case, first BLIND is called and then VECTR, otherwise VECTR is called directly, for the subroutine VECTR has the characteristic to begin the vector always at the end point of the last drawn vector.

CALL VECTR(XSTR, YSTR) is always followed by a CALL SHOW(0), to ascertain after each drawn vector possibly occurring errors. The end point XSTR, YSTR of the drawn vector is stored in XSTR1, YSTR1, in order to be available for a later comparison with the beginning point of the next vector. (see above). The coordinates of the beginning point XD1, YD1, ZD1 get the values of the boundary point of visibility XSTR, YSTR, ZSTR. If the boundary point coincides with the second knot, it is returned into the calling program FLAVIS; if this is not the case it is proceeded according to case 1!





3.5 GREVIS

Name: GREVIS

Key-word: limit of visibility

Language: FORTRAN II

Call: CALL GREVIS (IWAHL, IVK, XD1, YD1, ZD1, XD2, YD2, ZD2, XSTR, YSTR, ZSTR)

Parameters: Input parameter: IWAHL, XD1, YD1, ZD1, XD2, YD2, ZD2
Output parameter: XSTR, YSTR, ZSTR, IVK

COMMON: DIVIS, EPS, III, KZZ

Subroutines: VISKRI

Storage location: 239

First the variables $III = 0$ and $KZZ = 0$ are set to have unique beginning conditions. Beginning point XD1, YD1, ZD1 and end point XD2, YD2, ZD2 of the connection line are transferred as input parameters. Its distance in all three coordinates is computed. The absolute value of the distance in X- and Y-direction is formed, whereby the sizes XABS and YABS are produced. Both are added and thus result in the variable BETRAG.

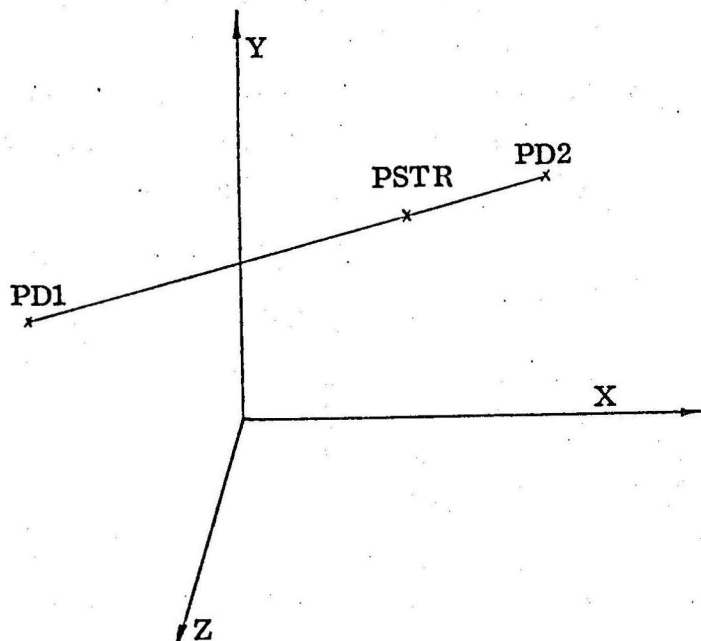
Now it is queried, whether BETRAG is less than or equal to $EPS = 10^{-5}$, that means beginning- and end point lie in the epsilon-criterion. If that is the case, $III = 1$ and $IVK = -1$ is set and it is branched to VIDRAW. $IVK = -1$ means for VIDRAW that a knot has to be once more tested for visibility. $III = 1$ causes in VIDRAW the return to FLAVIS.

If a line element is tested for visibility, the number of test points on it should correspond to its length.

Long line elements should have more test points than short ones. A measure for the line length and thus for the number of test points is the variable MBET which is directly proportional to size BETRAG and inversely proportional to variable DIVIS. The variable DIVIS was fixed in subroutine FLAVIS (see there). It is proportional to the absolute sizes of the surfaces in the X-, Y-plane.

The variable MBET, by which later has to be divided, may not have the value 0. If, however, the calculation results in the value 0, MBET = 1 is set.

The subroutine GREVIS is to compute the limiting point of visibility between a beginning point XD1,YD1,ZD1 and an end point XD2,YD2,ZD2. Beginning- and end point lie on the periphery of a patch. Because of the approximately infinitesimal character of the patch its peripheries may be regarded as straight lines. Therefore, for a computation of the test points the line equation in space between two defined points is sufficient.



$$\frac{XSTR - XD1}{XD2 - XD1} = \frac{YSTR - YD1}{YD2 - YD1} = \frac{ZSTR - ZD1}{ZD2 - ZD1} \quad (1)$$

$$XSTR = (YSTR - YD1) \frac{XD}{YD} + XD1 = (ZSTR - ZD1) \frac{XD}{ZD} + XD1 \quad (2)$$

$$YSTR = (XSTR - XD1) \frac{YD}{ZD} + YD1 = (ZSTR - ZD1) \frac{YD}{ZD} + YD1 \quad (3)$$

$$ZSTR = (YSTR - YD1) \frac{ZD}{YD} + ZD1 = (XSTR - XD1) \frac{ZD}{XD} + ZD1 \quad (4)$$

$$\text{with } XD = XD2 - XD1 \quad (5)$$

$$YD = YD2 - YD1 \quad (6)$$

$$ZD = ZD2 - ZD1 \quad (7)$$

The drawing of the surfaces with and without visibility is made in the X-,Y-plane. To reach a higher accuracy, always this X- or Y-coordinate is changed, for which the distance between beginning- and end point is greater. The other two coordinates X,Z or Y,Z are computed by the line equation.

Now it is queried whether $XABS > YABS$. If $XABS > YABS$, the X-coordinate is changed, otherwise the Y-coordinate. This interrogation is necessary to avoid a division by zero at the computation of the line equation. The case $XABS$ and $YABS = 0$ was already excluded by querying for the size of BETRAG.

Before the actual variation of the coordinates begins, constant sizes as auxiliary sizes are computed for the loop. These are for the variation of the Y-coordinate

$$XYD = XD/YD (= (XD2 - XD1) / (YD2 - YD1))$$

$$ZYD = ZD/YD (= (ZD2 - ZD1) / (YD2 - YD1))$$

$$YBET = YD/BET (= (YD2 - YD1) / FLOAT (MBET))$$

These are for the variation of the X-coordinate

$$YXD = YD/XD (= (YD2 - YD1) / (XD2 - XD1))$$

$$ZXD = ZD/XD (= (ZD2 - ZD1) / (XD2 - XD1))$$

By these actions unnecessary computations are avoided.

Now the coordinates XSTR, YSTR, ZSTR are computed from the line equation and transferred to the subroutine VISKRI, the output parameter IVK of which indicates whether the test point is visible or not.

IVK = 1 means it is visible, IVK = 0 means it is invisible. If it is visible and if IWAHL has the value -1, which means that the beginning point is invisible, the limit of visibility is reached, and it is returned into the calling program. If IWAHL has the value 0, which means that the beginning point is visible, it is moved one step forward towards the end point. If the test point is invisible and IWAHL has the value -1 it is moved one step forward towards the end point too. If IWAHL has the value 0 the limit of visibility is reached and it is returned into the calling program.

At each step along the connection line, the loop counter KZZ, beginning at 0, is increased by one. If KZZ reached the value MBET the test point coincides with the end point and it is returned into the calling program. If KZZ is less than MBET it is moved one step forward towards the end point.

GREVIS

```

III=0
KZZ=0
XD=XD2-XD1
YD=YD2-YD1
ZD=ZD2-ZD1
XABS=ABS[XD]
YABS=ABS[YD]
BETRAG=XABS+YABS

```

BETRAG > EPS?

```

IVK=-1
III=1

```

RETURN

MBET=IFIX[BETRAG/DIVIS]

MBET < 1?

MBET=1

BET=FLOAT[MBET]

XABS > YABS?

```

XYD=XD/YD
ZYD=ZD/YD
YBET=YD/BET
YSTR=YD1

```

```

YXD=YD/XD
ZXD=ZD/XD
XBET=XD/BET
XSTR=XD1

```

```

YSTR=YSTR+YBET
XSTR=[YSTR-YD1]*XYD+XD1
ZSTR=[YSTR-YD1]*ZYD+ZD1

```

VISKRI

IWAHL+IVK=0?

KZZ=KZZ+1

KZZ < MBET?

```

XSTR=XSTR+XBET
YSTR=[XSTR-XD1]*YXD+YD1
ZSTR=[XSTR-XD1]*ZXD+ZD1

```

VISKRI

IWAHL+IVK=0?

KZZ=KZZ+1

KZZ < MBET?

RETURN

to VIDRAW

3.6 VISKRI

Name: VISKRI

Key-word: visibility creterion

Language: FORTRAN II

Call: CALL VISKRI (A, B, C, IVK)

Parameters: Input parameter: A, B, C
Output parameter: IVK

COMMON:

KEMAX, XMIN, YMIN, DELTAX, DELTAY,
TEILX, TEILY, SIGMAX, SIGMAY,
THETAX, THETAY, IOPT1, IOPT2,
IOPT3, IHQ, KWQ, LFQ, MBQ, ICA,
LSC, MVC, NRC

Subroutines: INTER, ZERLEG, SEARCH, DIF

Storage location: 523

The input parameters A, B, C are the X-, Y-, Z-coordinates of the test point which is to be tested for visibility. It is fixed in which part of the screen it lies, that is regarding

- 1) DELTAX, DELTAY, 2) TEILX, TEILY, 3) SIGMAX, SIGMAY,
- 4) THETAX, THETAY. Thus the appertaining variables IRX, IRY, KDX, KDY, LPX, LPY, MGX, MGY arise, which mark the respective screen patch, 1/4 of the screen patch, 1/16 of the screen patch, 1/64 of the screen patch in the X-,Y-plane.

If the test point lies in the same screen patch, 1/4 screen patch, 1/16 screen patch, 1/64 screen patch, as the last point that was tested for visibility, it is not necessary to compute by a subroutine call which patches lie in the respective screen part, for this is still known from the last call.

The variables IRXA, IRYA, KDXA, KDYA, LPXA, LPYA, MGXA indicate the screen part in which the last tested test point is situated. It is queried succesively, whether IRX coincides with IRXA, IRY with IRYA, KDX with KDXA, KDY with KDYA, LPX with LPXA, LPY with LPYA, MGX with MGXA, MGY with MGXA.

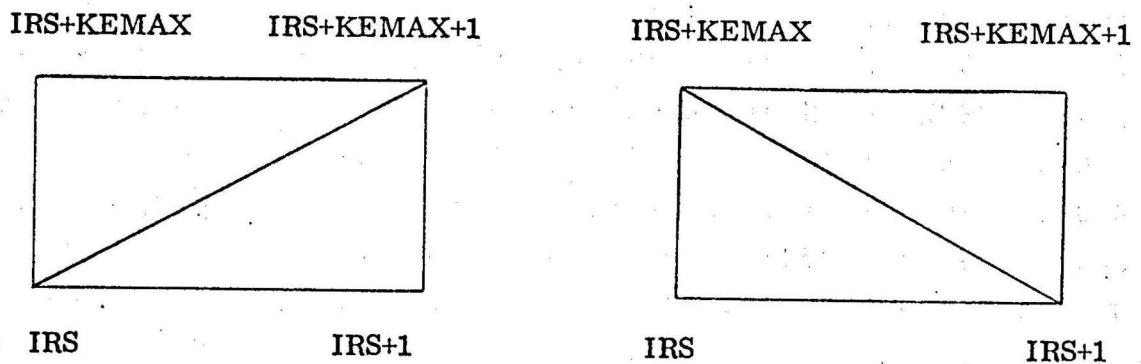
If this always is the case, the subroutine SEARCH can be called, that computes which partial triangles of patches contain the test point and excludes trivial cases. If there is no coincidence in the interrogations, it is branched to the respective subroutine that computes the patches for the fixed screen part.

Supposed, already in the comparison with IRXA or IRYA there would be no coincidence, the subroutine INTER(IRY,IRX,NIHQ) would be called. NIHQ indicates the number of patches having point quantities in the screen patch fixed by IRY, IRX. The indices of the surface elements are stored in field IHQ. If number NIHQ is less than IOPT1, a quadruple division of the screen patch is not advantageous.

IOPT1, IOPT2, IOPT3 are optimal values, which are fixed in the subroutine FLAVIS in a way that with a number of patches in the screen part, which is less than the appertaining optimal value, a quadruple division of the screen part involves no reduction of computing time. If the number is greater than the optimal value, the division is made, because then the computing time can be reduced.

If no division is made, the subroutine SEARCH is called to which NIHQ, IHQ, A, B, C are transferred as input parameters. Output parameters are the sizes NICA, NLSC, NMVC, NNRC, ISPRU, which indicate the number of triangles containing the test point. Each patch being a quadrangle can be divided into triangles in two different ways.

In SEARCH even in trivial cases an unique decision about the visibility can be made. Then $ISPRU = \emptyset$ (covering) resp. $ISPRU = -1$ (no covering possible) is set and after IVK was set accordingly it is returned into subroutine GREVIS. This causes for trivial cases a decisive reduction of computing time.



The following agreements are made:

Indices of corner points			number of triangles	Array of indices
IRS,	IRS+KEMAX,	IRS+KEMAX+1	NICA	ICA
IRS,	IRS+1,	IRS+KEMAX+1	NLSC	LSC
IRS+1,	IRS+KEMAX,	IRS+KEMAX+1	NMVC	MVC
IRS,	IRS+1,	IRS+KEMAX	NNRC	NRC

After the call of SEARCH the screen lines IRX, IRY are stored in IRXA, IRYA, for being available for the next call of subroutine VISKRI.

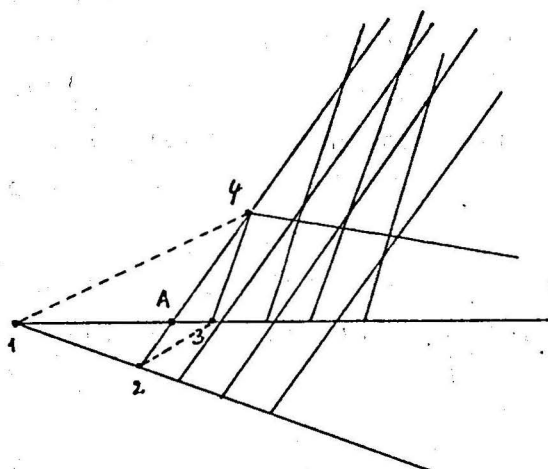
If number NIHQ is greater than IOPT1, the screen patch is divided into four parts. Thus the number of patches in the smaller screen parts becomes smaller and there is a reduction in computing time. In addition, the subroutine ZERLEG is called,

to which NIHQ, IHQ, TEILX, TEILY, KDX, KDY are transferred as input parameters. Output parameters are the sizes NKWQ and KWQ. In field KWQ the indices of those patches are stored, which lie in the 1/4 screen patch fixed by KDX, KDY, and the number of which is NKWQ.

After the call of ZERLEG it is computed, whether the value of the variable NKWQ is smaller than IOPT2. If that is the case no further division of the screen part is made. The subroutine SEARCH with the input parameters NKWQ, KWQ, A, B, C is called. Output parameters are again the variables NICA, NLSC, NMVC, NNRC, ISPRU. After the call, IRX, IRY, KDX, KDY are stored in equal sequence in IRXA, IRYA, KDXA, KDYA. If the variable NKWQ is greater than IOPT2, the subroutine ZERLEG with the input parameters NKWQ, KWQ, SIGMAX, SIGMAY, LPX, LPY and the output parameters NLFQ and LFQ is called. In field LFQ are the indices of patches, which lie in the 1/16 screen patch marked by LPX and LPY, and the number of which is NLFQ.

If the variable NLFQ is smaller than size IOPT3 no division of the 1/16 screen patch is made. The subroutine SEARCH with the input parameters NLFQ, LFQ, A, B, C and the output parameters NICA, NLSC, NMVC, NNRC, ISPRU is called. After the return, IRX, IRY, KDX, KDY, LPX, LPY are allocated in equal sequence to sizes IRXA, KDXA, KDYA, LPXA, LPYA. If the variable NLFQ is greater than IOPT3 the subroutine ZERLEG with the input parameters NLFQ, LFQ, THETAX, MGX, MGY and the output parameters NMBQ, MBQ is called. In field MBQ are the indices of the patches which lie in the 1/64 screen patch fixed by MGX, MGY, and the number of which is NMBQ.

After the third division the subroutine SEARCH with the input parameters NMBQ, MBQ, A, B, C and the output parameters NICA, NLSC, NWVC, NNRC, ISPRU is called. After the return, IRX, IRY, KDX, KDY, LPX, LPY, MGX, MGY are allocated in equal sequence to the variables IRXA, IRYA, KDXA, KDYA, LPXA, LPYA, MGXA, MGYA.



Before the actual visibility of the test point is computed, another consideration has to be made. We regard the opposite patch 1, 2, 3, 4. Point 3 shall have a smaller Z-coordinate perpendicular to the drawing plane than point 2. Point 3 shall lie "behind" point 2. As you can see from the picture, then lines 1-2

and 2-4 are visible, line 3-4 is invisible. Line 1-3 is visible in section 1-A and invisible in section A-3.

As shown above, each four-cornered patch can be divided into triangles in two different ways. If patch 1, 2, 3, 4 is divided into triangles 1, 2, 3 and 2, 3, 4, triangle 2, 3, 4 only covers section A-3. If it is divided into triangles 1, 2, 4 and 1, 3, 4, triangle 1, 2, 4 covers section 1-A, which is visible.

This shows that a point can be actually visible, if it is only covered by one triangle. It is invisible, if it is covered by at least two triangles. For this the point has to be contained in two triangles, what can be only satisfied, if each patch is divided into triangles in two different ways.

The output parameter IVK of subroutine VISKRI indicates whether a test point is visible or not. $IVK = \emptyset$ means it is invisible, $IVK = 1$ means it is visible. In the program first $IVK = 2$ is set and at each covering of the test point by a triangle IVK is reduced by 1. If the test point is only covered once, the result is $IVK = 1$, and it is visible. If it is covered twice, the result is $IVK = \emptyset$, and it is invisible. Then it is returned into subroutine GREVIS.

If number NICA of the triangles, the indices of which are in array ICA, = \emptyset , it is interrogated next, whether number NLSC = \emptyset too. If NICA is not \emptyset , for all indices in field ICA the indices of the cornerpoint-coordinates XC, YC, ZC are computed.

The cornerpoints have the indices ICA(MP), ICA(MP)+KEMAX, ICA(MP)+KEMAX+1, where MP is a DO variable running from 1 to NICA.

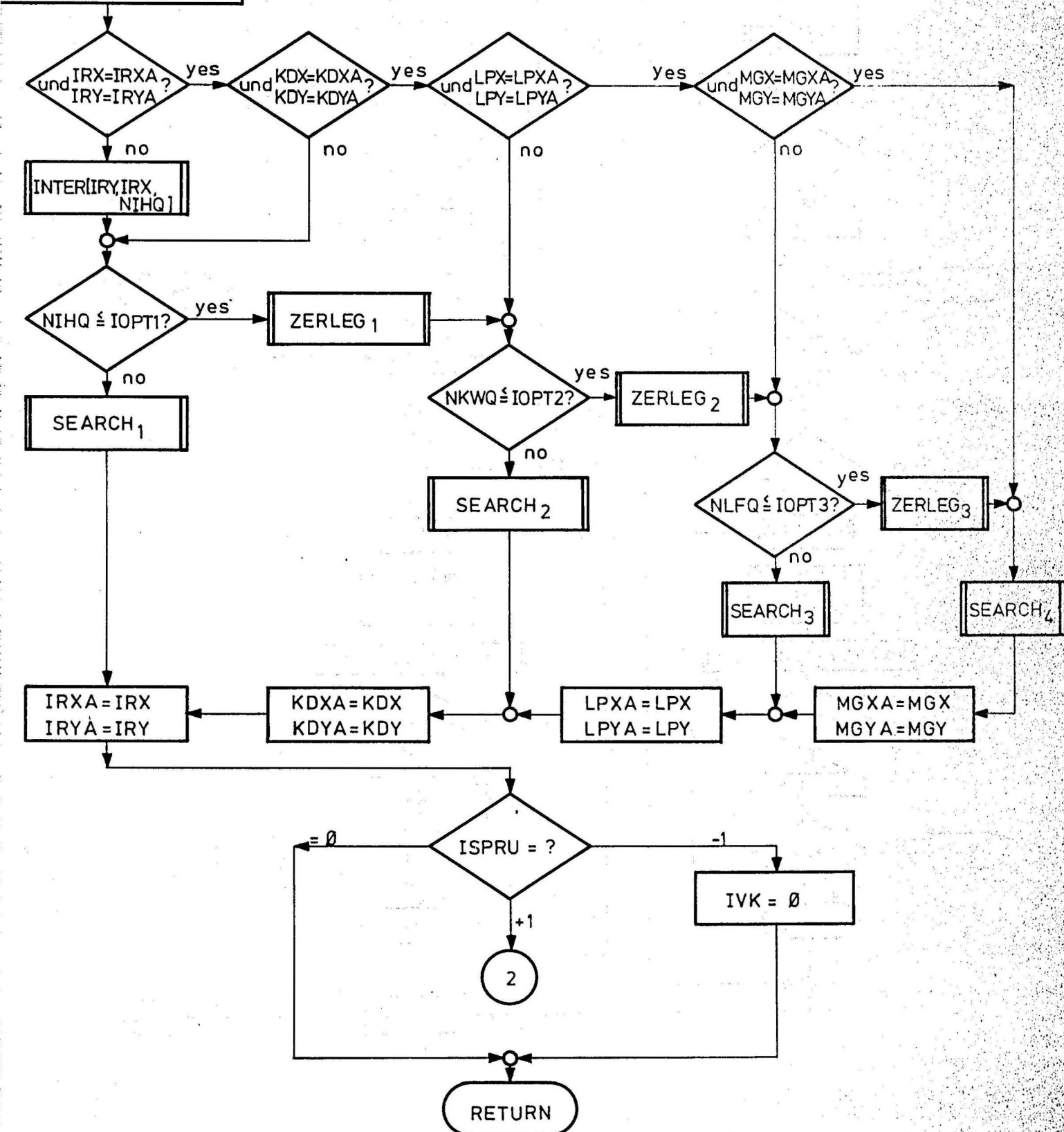
Then the subroutine DIF is called. The indices of the cornerpoint-coordinates and the test point-coordinates are transferred to it as input parameters. As initial size one gets the parameter DIFF which indicates whether the test point was covered by the respective triangle or not:

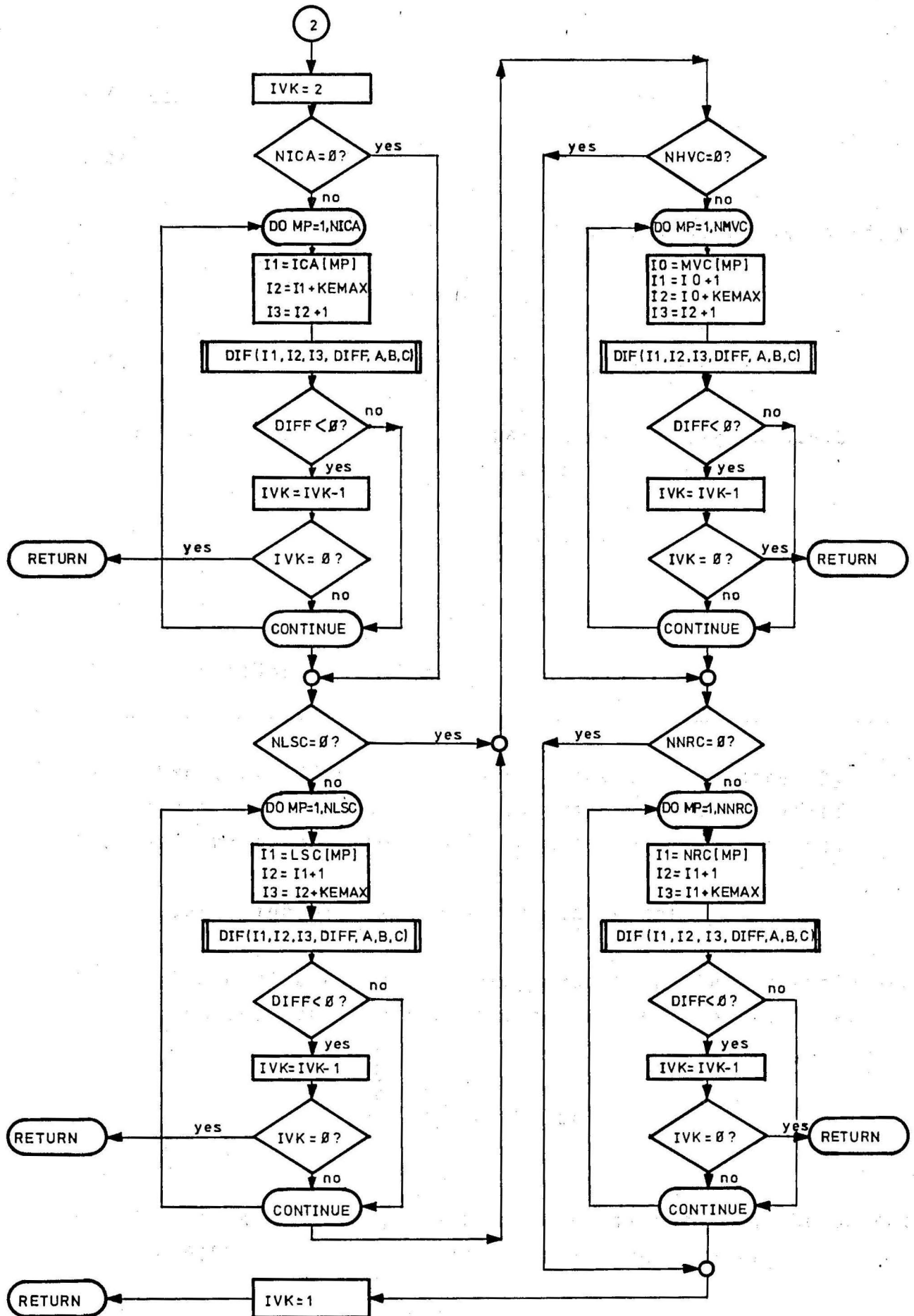
DIFF < \emptyset invisible
DIFF \geq \emptyset visible.

The arrays LSC, MVC, NCR with the numbers NLSC, NMVC, NNRX are considered in the same way as before arrays ICA with the number NICA. If all arrays are processed, IVK has the value 1 or 2. In both cases IVK=1 is set, the test point thus is recognized as visible and it is returned into the calling programm GREVIS, unless already previously with IVK= \emptyset was returned.

$X = A - X_{MIN}$
 $Y = B - Y_{MIN}$
 $IRX = IFIX[AX/DELTAX] + 1$
 $IRY = IFIX[BY/DELTAY] + 1$
 $KDX = IFIX[AX/TEILX] + 1$
 $KDY = IFIX[BY/TEILY] + 1$
 $LPX = IFIX[AX/SIGMAX] + 1$
 $LPY = IFIX[BY/SIGMAY] + 1$
 $MGX = IFIX[AX/THETAX] + 1$
 $MGY = IFIX[BY/THETAY] + 1$

$SEARCH_1 = SEARCH[NIHQ, IHQ, NICA, NLSC, NMVC, NNRC, A, B, C, ISPRU]$
 $SEARCH_2 = SEARCH[NKWQ, KWQ, NICA, NLSC, NMVC, NNRC, A, B, C, ISPRU]$
 $SEARCH_3 = SEARCH[NLFQ, LFQ, NICA, NLSC, NMVC, NNRC, A, B, C, ISPRU]$
 $SEARCH_4 = SEARCH[NMBQ, MBQ, NICA, NLSC, NMVC, NNRC, A, B, C, ISPRU]$
 $ZERLEG_1 = ZERLEG[NIHQ, IHQ, NKWQ, KWQ, TEILX, TEILY, KDX, KDY]$
 $ZERLEG_2 = ZERLEG[NKWQ, KWQ, NLFQ, LFQ, SIGMAX, SIGMAY, LPX, LPY]$
 $ZERLEG_3 = ZERLEG[NLFQ, LFQ, NMBQ, MBQ, THETAX, THETAY, MGX, MGY]$





3.7 DIF:

Name: DIF

Key-word: Testing whether a test point is visible

Language: FORTRAN II

Call: CALL DIF (I1,I2,I3,DIFF,A,B,C)

Parameters: Input parameters: I1,I2,I3,A,B,C
Output parameter: DIFF

COMMON: EPS, XC, YC, ZC

Subroutines: (ERROR)

Storage Location: 228

The subroutine DIF gets as input parameters 3 indices by which the corner point coordinates of a triangle are specified. The coordinates of a test point are further input sizes.

First subroutine DIF tests the trivial cases:

1. All Z-coordinates of the corner points of the triangle are smaller than the Z-coordinate of the test point, i. e.

$$\begin{aligned} ZC(I1) &< C, \\ ZC(I2) &< C, \text{ and} \\ ZC(I3) &< C. \end{aligned}$$

If this case occurs, the test point is visible, the output size DIFF is set =+10, and it is returned to VISKRI.

2. All Z-coordinates of the corner points of the triangle are greater than the Z-coordinate of the test point, i. e.

$$ZC [I1] > C,$$

$$ZC [I2] > C \text{ and}$$

$$ZC [I3] > C.$$

If that case occurs, the test point is invisible, the output size DIFF is set = - 1 \emptyset , and it is returned to VISKRI.

If none of the two cases occurred, the test point has to be tested more detailed. To this some preliminary reflections:

Let $P1(X1,Y1,Z1)$, $P2(X2,Y2,Z2)$, and $P3(X3,Y3,Z3)$ be three points in space. These three points form a plane. A fourth point $P(X,Y,Z)$ lies in the plane if and only if

$$\begin{vmatrix} X1 & X2 & X3 & X \\ Y1 & Y2 & Y3 & Y \\ Z1 & Z2 & Z3 & Z \\ 1 & 1 & 1 & 1 \end{vmatrix} = \emptyset \quad (1)$$

In DIF by solving equation (1) it is ascertained, whether the Z-coordinate of the test point corresponds to Z, i.e. (1) becomes

$$\begin{vmatrix} XF1 & XF2 & XF3 & A \\ YF1 & YF2 & YF3 & B \\ ZF1 & ZF2 & ZF3 & ZV \\ 1 & 1 & 1 & 1 \end{vmatrix} = \emptyset \quad (2)$$

(2) is solved to ZV:

$$ZV = ZF1 + \left[(B - YF1) \cdot (XX1 \cdot ZZ2 - XX2 \cdot ZZ1) \right. \\ \left. (A - XF1) \cdot (YY1 \cdot ZZ2 - YY2 \cdot ZZ1) \right] / \text{DIVID} \quad (3)$$

$$\begin{aligned}
\text{with} \quad & \text{XX1} = \text{XF2} - \text{XF1} = \text{XC(I2)} - \text{XC(I1)} & (4a) \\
& \text{XX2} = \text{XF3} - \text{XF1} = \text{XC(I3)} - \text{XC(I1)} & (4b) \\
& \text{YY1} = \text{YF2} - \text{YF1} = \text{YC(I2)} - \text{YC(I1)} & (4c) \\
& \text{YY2} = \text{YF3} - \text{YF1} = \text{YC(I3)} - \text{YC(I1)} & (4d) \\
& \text{ZZ1} = \text{ZF2} - \text{ZF1} = \text{ZC(I2)} - \text{ZC(I1)} & (4e) \\
& \text{ZZ2} = \text{ZF3} - \text{ZF1} = \text{ZC(I3)} - \text{ZC(I1)} & (4f) \\
\text{and} \quad & \text{DIVID} = \text{XX1} \cdot \text{YY2} - \text{XX2} \cdot \text{YY1} & (5)
\end{aligned}$$

To avoid rounding errors, after each partial size (equations (4a) to (4f)) the subroutine ERROR is called, which controls whether the coordinate-difference has already become smaller than epsilon. If that occurs, the coordinate-difference is set \emptyset . This is necessary to avoid - when having many little patches lying closely together - that the picture parts lying in front of the patches are recognized as invisible. (so called "moth effect"). Mathematically this effect is to explain in the following way: the three points forming the test plane lie, within the limits of the computing accuracy, so closely together that the plane is no longer determined uniquely. If such cases shall not be considered, you can renounce to call ERROR.

Moreover it has to be queried whether size DIVID has become \emptyset , to avoid a division through \emptyset .

If $\text{DIVID} = \emptyset$ that means

1. $P_1 (X_1, Y_1, Z_1) = P_2 (X_2, Y_2, Z_2)$,
- or 2. $P_1 (X_1, Y_1, Z_1) = P_3 (X_3, Y_3, Z_3)$,
- or 3. points P_1, P_2 , and P_3 lie on a line.

If one of the three cases occurred, the test plane is no longer determined uniquely (plane degenerated to straight line). In this case $\text{DIFF} = +1 \emptyset$ is set (i.e. visible) and it is returned to VISKRI.

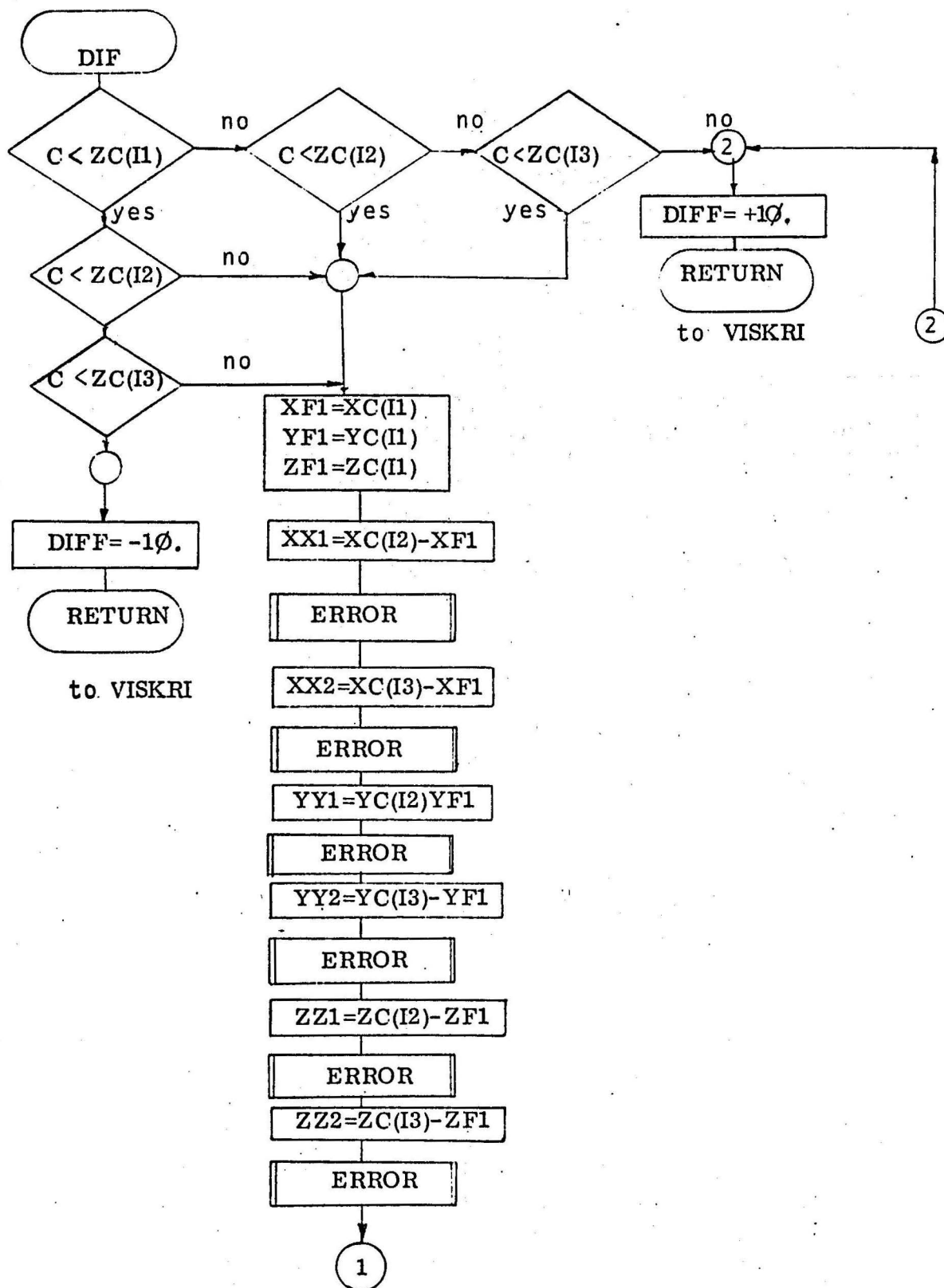
In all other cases after the solution of equation (3) size DIFF is computed by taking equations (4a) to (4f), and (5):

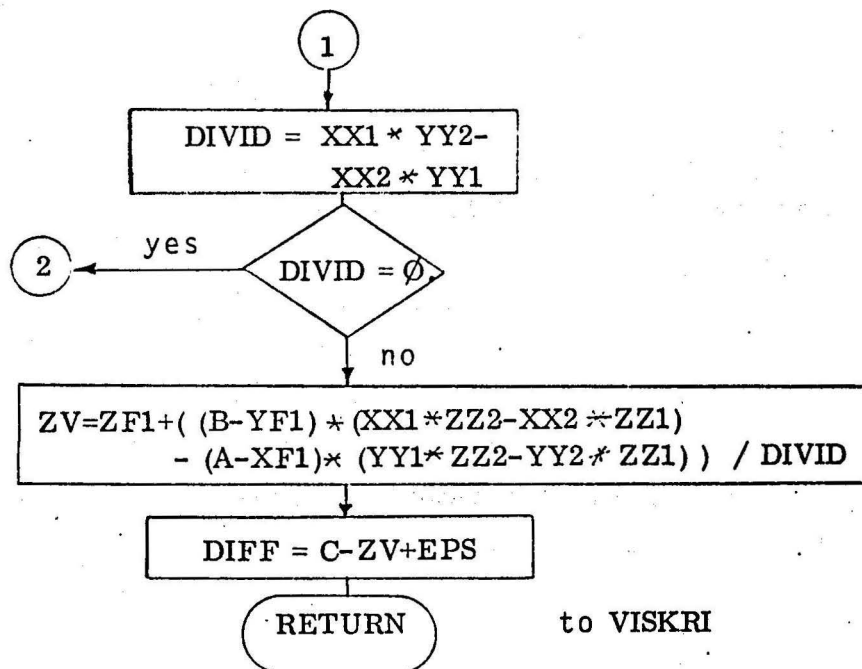
$$\text{DIFF} = C - ZV \quad (6)$$

Thereafter it is returned to VISKRI, where size DIFF is evaluated:

DIFF < 0 test point invisible: IVK=IVK-1

DIFF ≥ 0 test point visible: IVK=IVK.





3.8 ERROR

Name: ERROR

Key-word: Elimination of computing inaccuracy

Language: FORTRAN II

Call: CALL ERROR (VAL, EPS)

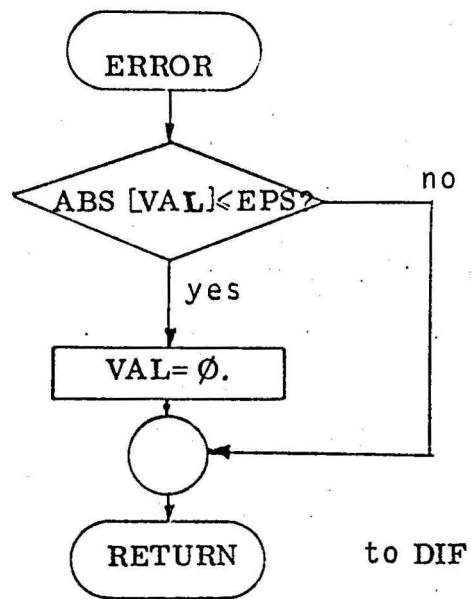
Parameters: Input parameters: VAL, EPS
Output parameter: VAL

COMMON: -

Subroutines: -

Storage location: 35

The subroutine ERROR tests the input parameter VAL, whether it is absolutely already smaller than EPS ($=10^{-5}$). If that is the case, VAL=0 is set, otherwise VAL is preserved.



3.9 INTER

Name:	INTER
Key-word:	patches in the screen patch
Language:	FORTRAN II
Call:	CALL INTER(IRY, IRX, NIHQ)
Parameters:	Input parameters: IRY, IRX Output parameter: NIHQ
COMMON:	LIHIWI, INDLI, IHQ
Subroutines:	ASSIGN, LODBIT
Storage location:	92

The subroutine INTER computes the patches in a screen patch, which is fixed by the input parameters IRX, IRY. The output parameter NIHQ indicates the number of patches searched, the indices of which are collected in field IHQ. As generally the number of patches is different in each screen patch, it has to be newly computed in each INTER-call. In order to have the correct beginning-value for it, in the beginning NIHQ=0 is set.

The number of patches in the respective screen patch is also given by the value of the indication array LIHIWI (IRY, IRX,1), which is computed in subroutine FLAVIS.

In a DO-loop, beginning with 1 and ending with the value LIHIWI (IRY, IRX, 1)=LI1, in each run NIHQ is increased by 1 and the patch counter IANZ is computed. The value of IANZ results from the start value for each screen patch LI2=LIHIWI(IRY,IRX,2) and NIHQ IANZ is transferred as input parameter to subroutine ASSIGN, which yields as output parameters IZQ, IMIN, IMAX. The system dependent program LODBIT loads into cell IHQ(ML) the index, which in cell INDLI(IZQ) of the index list is situated between bits. IMIN and IMAX.

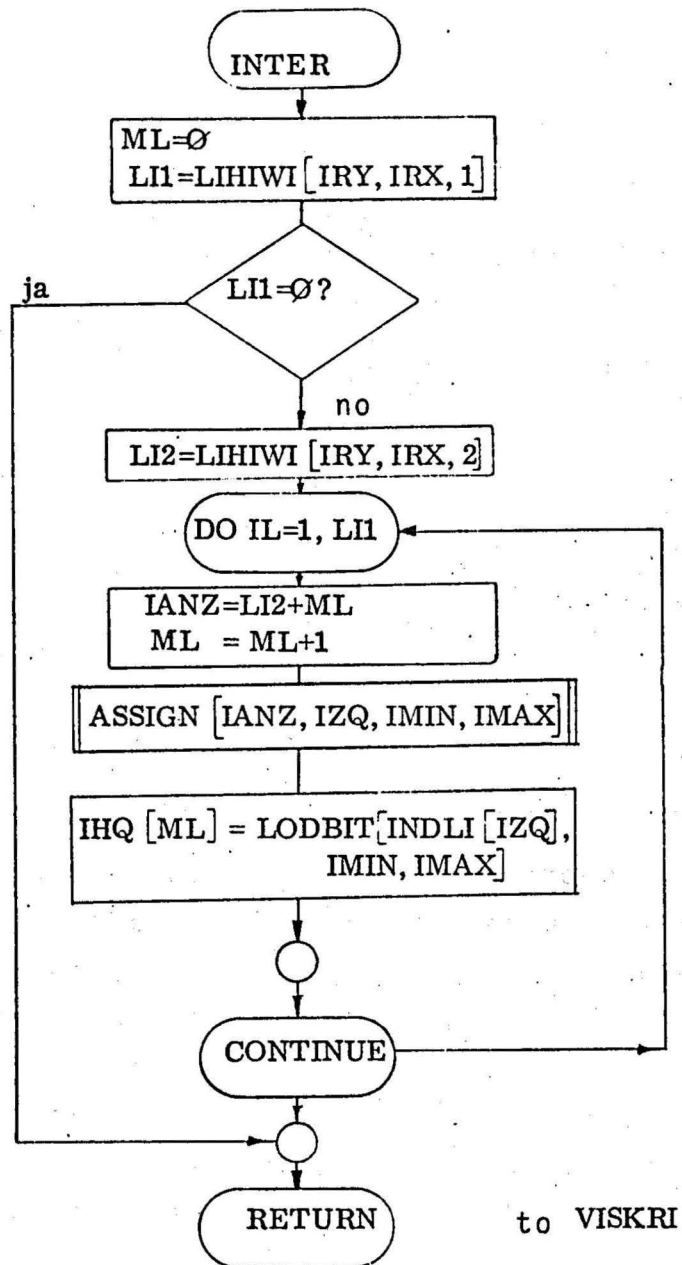
3.9 INTER

Name:	INTER
Key-word:	patches in the screen patch
Language:	FORTRAN II
Call:	CALL INTER(IRY, IRX, NIHQ)
Parameters:	Input parameters: IRY, IRX Output parameter: NIHQ
COMMON:	LIHIWI, INDLI, IHQ
Subroutines:	ASSIGN, LODBIT
Storage location:	92

The subroutine INTER computes the patches in a screen patch, which is fixed by the input parameters IRX, IRY. The output parameter NIHQ indicates the number of patches searched, the indices of which are collected in field IHQ. As generally the number of patches is different in each screen patch, it has to be newly computed in each INTER-call. In order to have the correct beginning-value for it, in the beginning NIHQ=0 is set.

The number of patches in the respective screen patch is also given by the value of the indication array LIHIWI (IRY, IRX,1), which is computed in subroutine FLAVIS.

In a DO-loop, beginning with 1 and ending with the value LIHIWI (IRY, IRX, 1)=LI1, in each run NIHQ is increased by 1 and the patch counter IANZ is computed. The value of IANZ results from the start value for each screen patch LI2=LIHIWI(IRY,IRX,2) and NIHQ IANZ is transferred as input parameter to subroutine ASSIGN, which yields as output parameters IZQ, IMIN, IMAX. The system dependent program LODBIT loads into cell IHQ(ML) the index, which in cell INDLI(IZQ) of the index list is situated between bits IMIN and IMAX.



3.10 ZERLEG

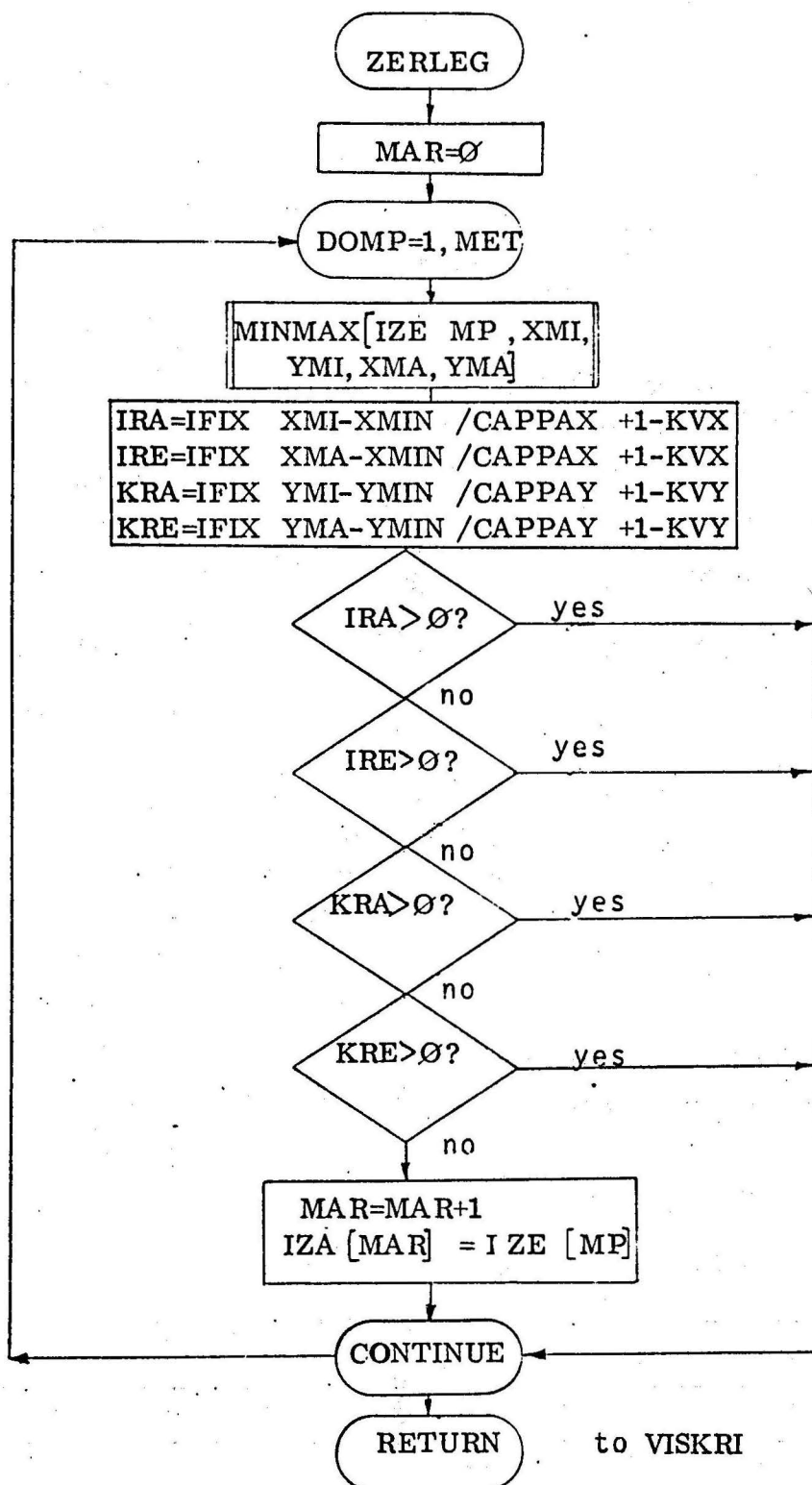
Name: ZERLEG
 Key-word: Division of a screen patch
 Language: FORTRAN II
 Call: CALL ZERLEG (MET, IZE, MAR, IZA,
 CAPPAX, CAPPAY, K VX, K VY)
 Parameters: Input parameters: MET, IZE, CAPPAX, CAPPAY,
 K VX, K VY
 Output parameters: MAR, IZA
 COMMON: XMIN, YMIN
 Subroutines: MINMAX
 Storage Location: 147

Out of a quantity of patches - the number of which is MET and the indices are stored in field IZE - those having point quantities in one quarter of the existing screen part are computed. The position of the screen quarter is given by the variables K VX, K VY, the appertaining distances between X- and Y-screen-lines are CAPPAX, CAPPAY. The indices of those patches, having point quantities in the screen part determined by K VX, K VY, are collected in array IZA. Their number is allocated to the output parameter MAR.

In order to get the right beginning value for each call of ZERLEG, in the beginning MAR=0 is set. For each patch, the index of which is in array IZE, its minimum XMI, YMI- and maximum XMA, YMA-values in X- and Y-direction are preserved by calling subroutine MINMAX. With these minimum- and maximum-values the variables IRA,IRE respecting screen-line-distance CAPPAX, the variables KRA,KRE respecting screen-line-distance CAPPAY are formed analogously to subroutine FLAVIS. IRA,KRA indicate the first screen part, IRE,KRE the last screen part containing point quantities of the patch.

If the first value IRA is greater than K VX or the last IRE less than K VX, the patch cannot have point quantities in screen part KVC, K VY. It is the same, if KRA greater K VY or KRE less K VY. In this case it is passed to the next patch. In all other cases the patch has point quantities in the fixed screen part. The output parameter MAR is increased by 1, and the index of the patch, which is in array IZE, is stored in array IZA.

The patches, lying in a screen patch IRY, IRX, were computed in subroutine INTER, where an indication array LIHIWI and an index list INDLI are used.



3.11 SEARCH

Name: SEARCH
 Key-word: Searching of patches containing the test point
 Language: FORTRAN II
 Call: CALL SEARCH (NIRS, IRS, NICA, NLSC, NMVC, NNRC, A, B, C, ISPRU)
 Parameters: Input parameters: A, B, C, NIRS, IRS
 Output parameters: NICA, NLSC, NMVC, NNRS, ISPRU
 COMMON: EPS, ICA, KEMAX, LSC, MYC, NRC, XC, YC, ZC, IN
 Subroutines: INFLAP, INFLA4, INFLA3
 Storage Location: 237

Out of a number NIRS of patches, the indices of which are in field IRS, those containing the test point P(A,B,C) are to be searched.

First the counters NICA, NLSC, NMVC, and NNRC=0 are set. The significance of the counters is shown in the following table (see also chap. 6):

Array of surface indices	1. Index	2. Index	3. Index	Number of surfaces in the array
ICA	N	N+KEMAX	N+KEMAX+1	NICA
LSC	N	N+1	N+KEMAX+1	NLSC
MVC	N+1	N+KEMAX+1	N+KEMAX	NMYC
NRC	N	N+1	N+KEMAX	NNRC

Moreover the branch-parameter ISPRU=1 is set. With the call CALL INFLAP(A,B) in the subroutine package INFLAS the X-, Y-coordinates of the test point are transferred. In the further process of SEARCH only the indices of the corner points

of the respective patch are transferred to INFLAS.

Dependent on the DO-index of the DO-loop, these indices are computed in the loop. Then it is queried, whether all Z-coordinates of the quadrangle are smaller than the Z-coordinate C of the test point. If that is the case, the patch is irrelevant for the further testing, i.e. the patch cannot cover the test point and it is returned to the end of the loop.

If not all Z-coordinates of the quadrangle are smaller than C, it is computed by call CALL INFLA4(IR,IR1,IR3,IR2), whether the test point lies in the quadrangle. The result is in the COMMON-size IN. The address-allocation for IN is made in subroutine FLAVIS.

IN	Significance
-2	test point lies on a line
-1	test point lies in a corner point
0	test point outside the quadrangle
+1	test point inside the quadrangle

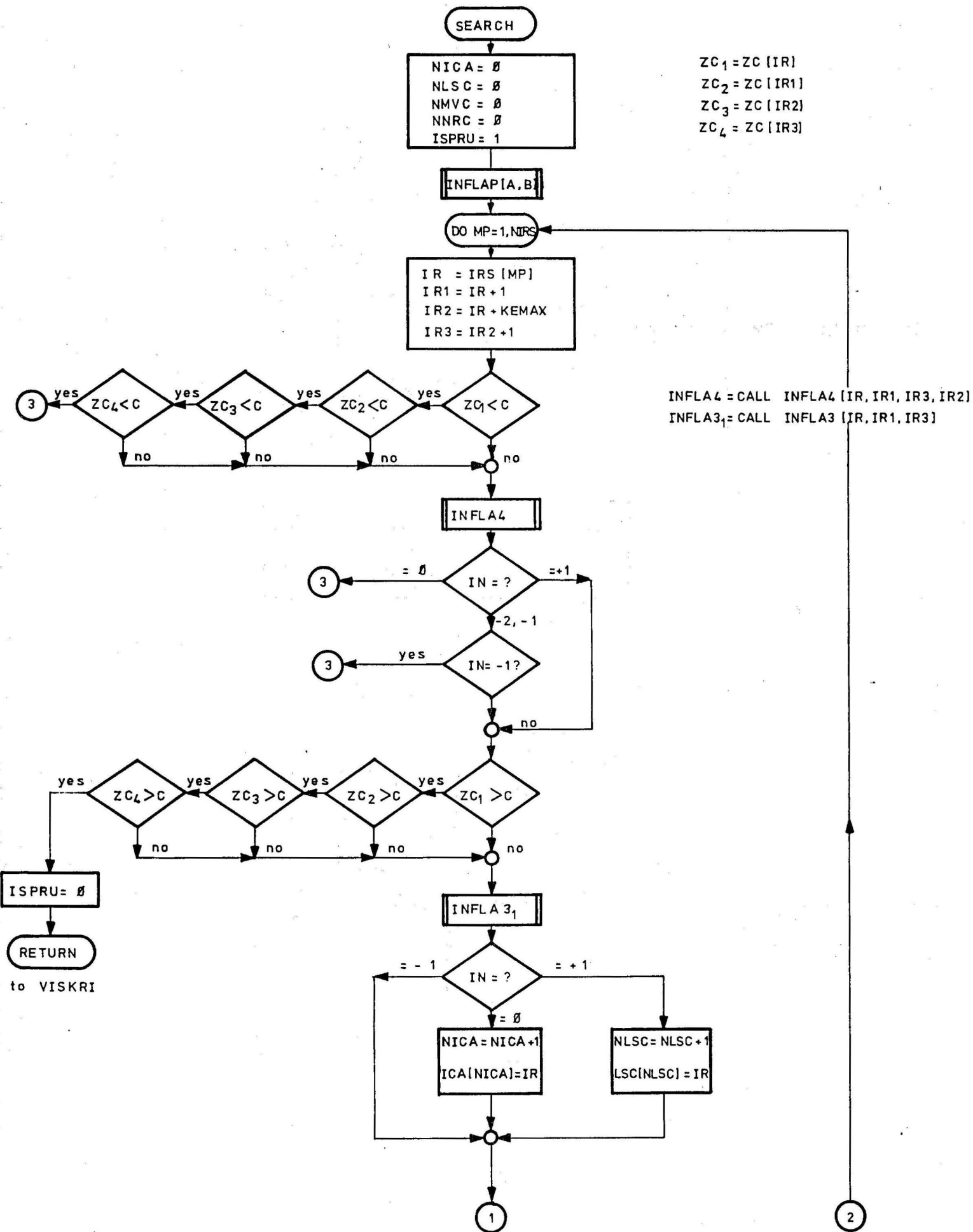
In the following branches IN is tested:

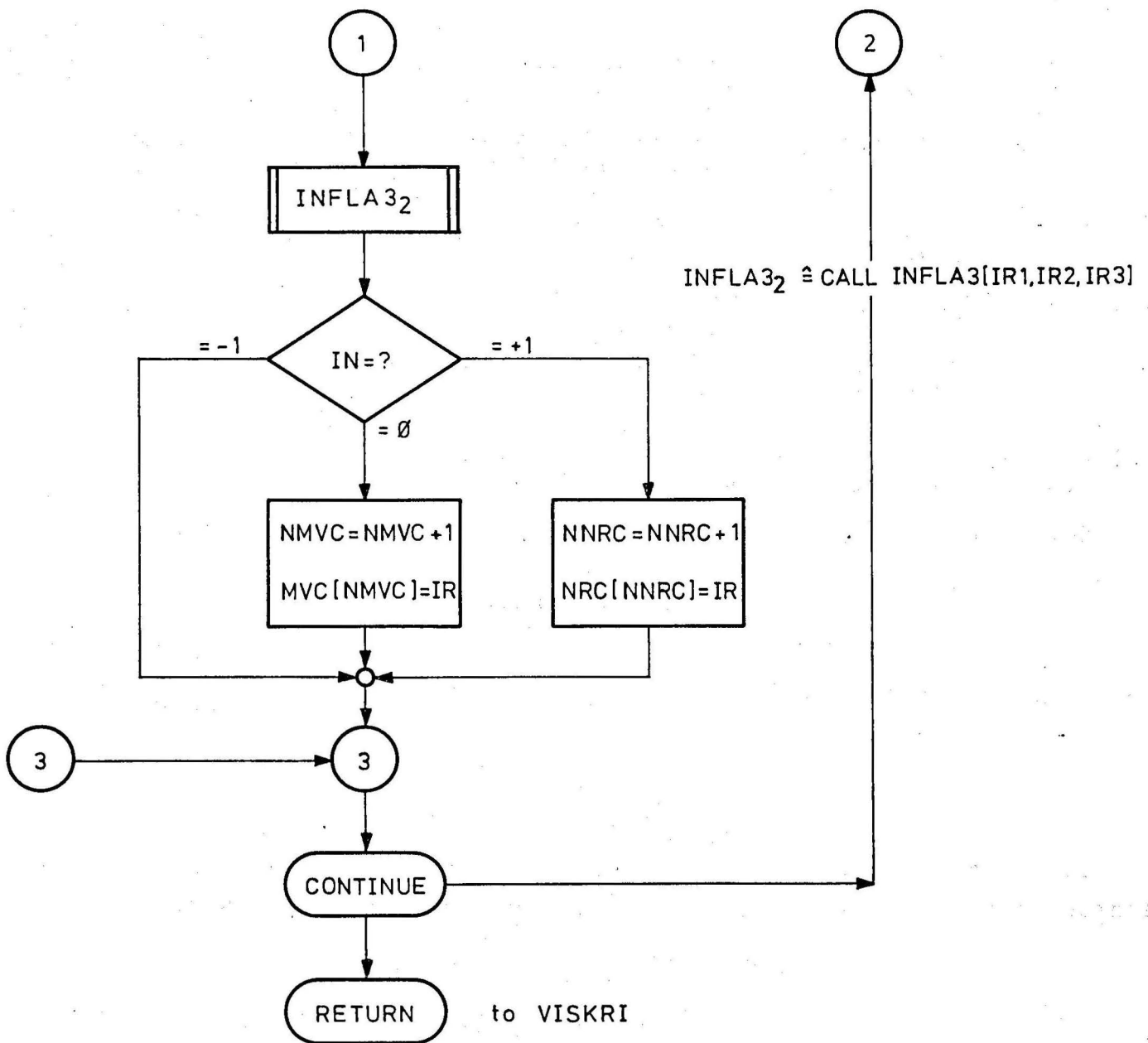
IN	further operations
=-1	branch off loop-end
=0	branch off loop-end
>0	further testing of the Z-coordinates of the quadrangle
=-2	

If IN=-2 or >0 (test point lies in the quadrangle or on a boundary line), the Z-coordinates of the quadrangle are tested, whether all Z-coordinates of the quadrangle are greater than Z-coordinate C of the test point. If that is the case, the quadrangle anyway covers test point P and the branch parameter ISPRU is set to zero. Afterwards it is returned to VISKRI, where ISPRU=0 leads to a return to GREVIS resp. VIDRAW with IVK=0 (point invisible).

After the exclusion of all trivial cases, the quadrangle is divided in two different ways in triangles (see chap. 3.6) and by call CALL INFLA3(INDEX1, INDEX2, INDEX3) it is computed whether the test point is in a triangle.

When the loop is worked off, the numbers of the respective triangles have been allocated to the output parameters and the input sizes are unchanged. Then it is returned to VISKRI.





3.12 INFLAS new

Name: INFLAS

Key-word: Computation, whether a point lies within a surface limited by vectors

Language: META 920, has to be loaded with the FORTRAN-loader

Calls: CALL INFLIN (XC,YC,IN) (taking over of the (field addresses and the address of the result parameters)
 CALL INFLAP (XP,YP) (taking over of the test point-coordinates)
 CALL INFLA3 (IND1,IND2,IND3) (INFLAS for a patch consisting of 3 corner points)
 CALL INFLA4 (IND1, IND2, IND3,IND4) (INFLAS for a patch consisting of 4 corner points)

Parameters: Input parameters: XC,YC,XP,YP;IND1,IND2,IND3,IND4
 Output parameter: IN

COMMON: -

Subroutines: -

Storage Location: 229

INFLAS has to compute as quickly as possible, whether a test point $P(XP,YP)$ lies within a surface, which is spanned by points

$P1 = P1 (XC(IND1), YC(IND1)) ,$

$P2 = P2 (XC(IND2), YC(IND2)) ,$

$P3 = P3 (XC(IND3), YC(IND3))$

and by $P4 = P4 (XC(IND4), YC(IND4))$ when having patches with 4 corner points.

For time-saving reasons, INFLAS is initialized one time in subroutine FLAVIS with the call CALL INFLIN(XC(1),YC(1),IN), i.e. the field addresses and the address of the result parameter IN are transferred.

For the same reasons the coordinates of test point P are transferred in subroutine SEARCH by call CALL INFLAP(XP,YP). In the loops, the indices of the corner points of a patch are then only transferred by CALL INFLA3(IND1,IND2,IND3) resp. CALL INFLA4(IND1,IND2,IND3,IND4).

The subroutine yields for both, convexo and concave patches the true sentence. The result parameter IN gets for each case the following values:

IN	Significance
-2	test point P lies on a line
-1	test point P lies on a corner point
0	test point P lies outside
+1	test point P lies inside

)
) of
) the patch
)

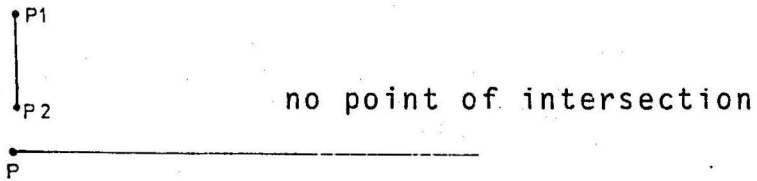
In subroutine INFLAS from a point P a straight line is put in one direction. It is tested by the boundary vectors of the surface whether they form a point of intersection with this straight line. The number of points of intersection available is counted. If the number is 0 or an even number, P is outside, if it is odd, P is inside the patch.

Thus we distinguish the following cases, which are generated by comparison of the signs of the two X-values:

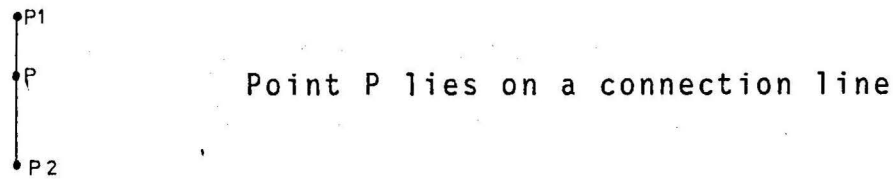
Case 1:

X_1 and $X_2 = \emptyset$

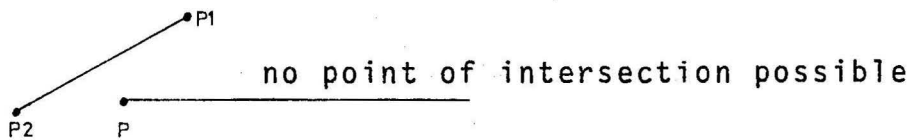
1a) Y_1 and Y_2 have equal signs

Case 1b:

Y_1 and Y_2 have different signs

Case 2:

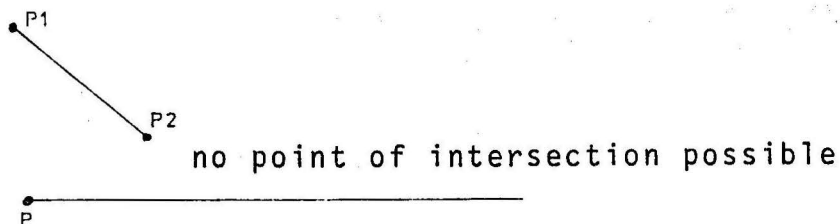
One X -value = \emptyset , one negative

Case 3:

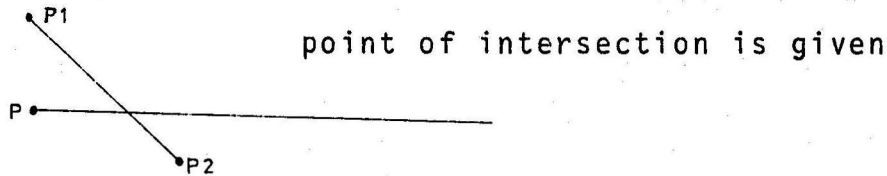
One X -value = \emptyset , one positive

3a:

Y_1 and Y_2 have equal signs



3b: Y1 and Y2 have different signs

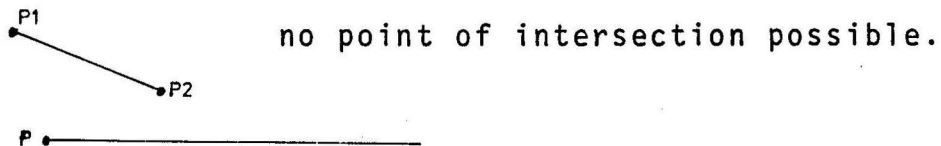


Case 4: Both X-values have positive signs;
point of intersection is given with different
Y-signs; according to 3.

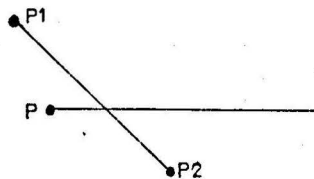
Case 5: Both X-values have negative signs;
according to 2 no point of intersection possible.

Case 6: X1 and X2 have different signs

6a: Y1 and Y2 have equal signs



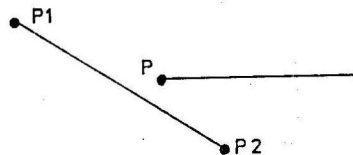
6b: Y1 and Y2 have different signs



One point of intersection possible.

In order to ascertain, whether there is a point of intersection, the value YP is substituted into the straight-line-equation of the connection line.

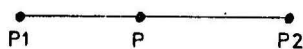
If result value $X = 0$, the point lies on the straight line.



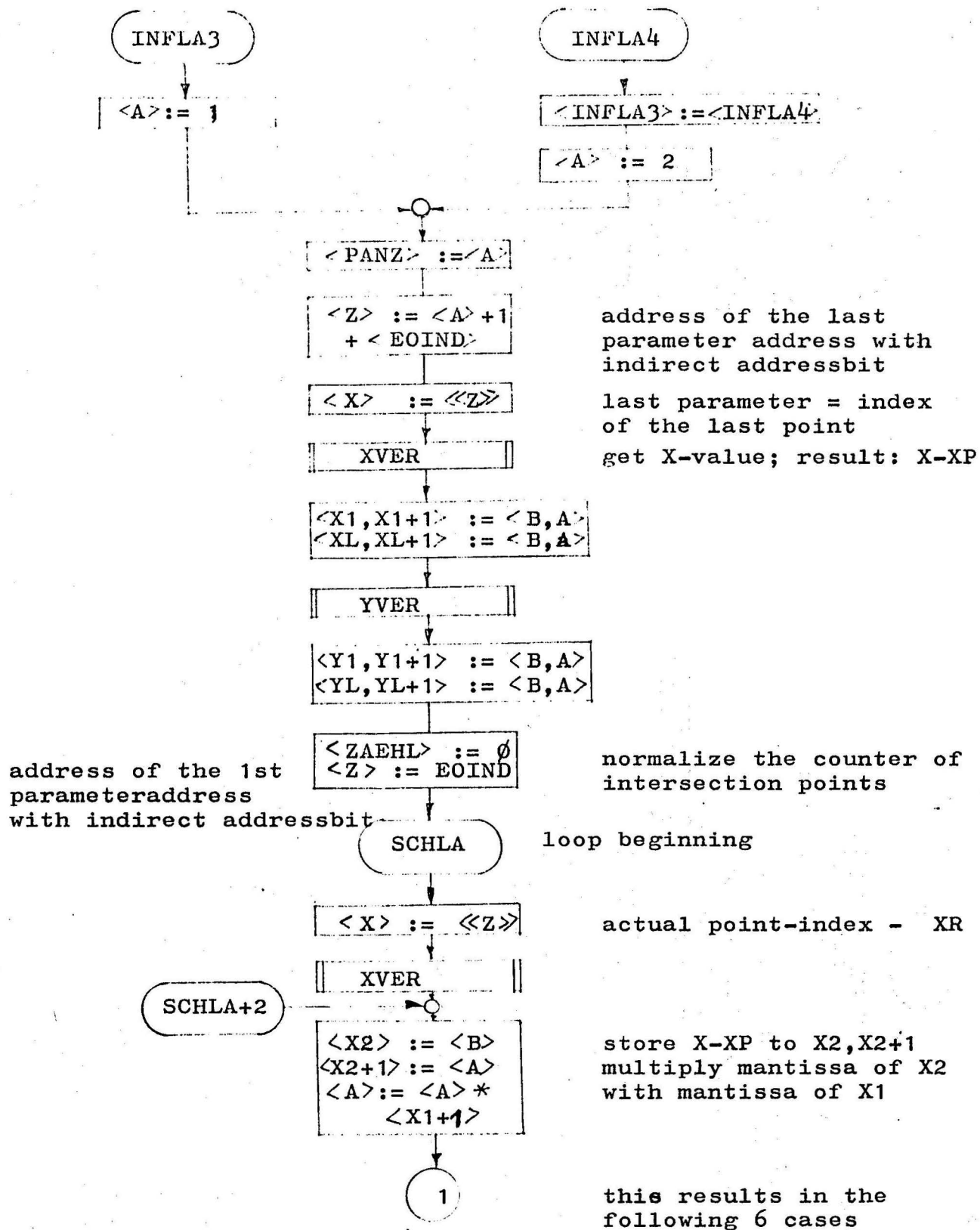
If the value is $X > 0$, there is a point of intersection with the positive unlimited line.

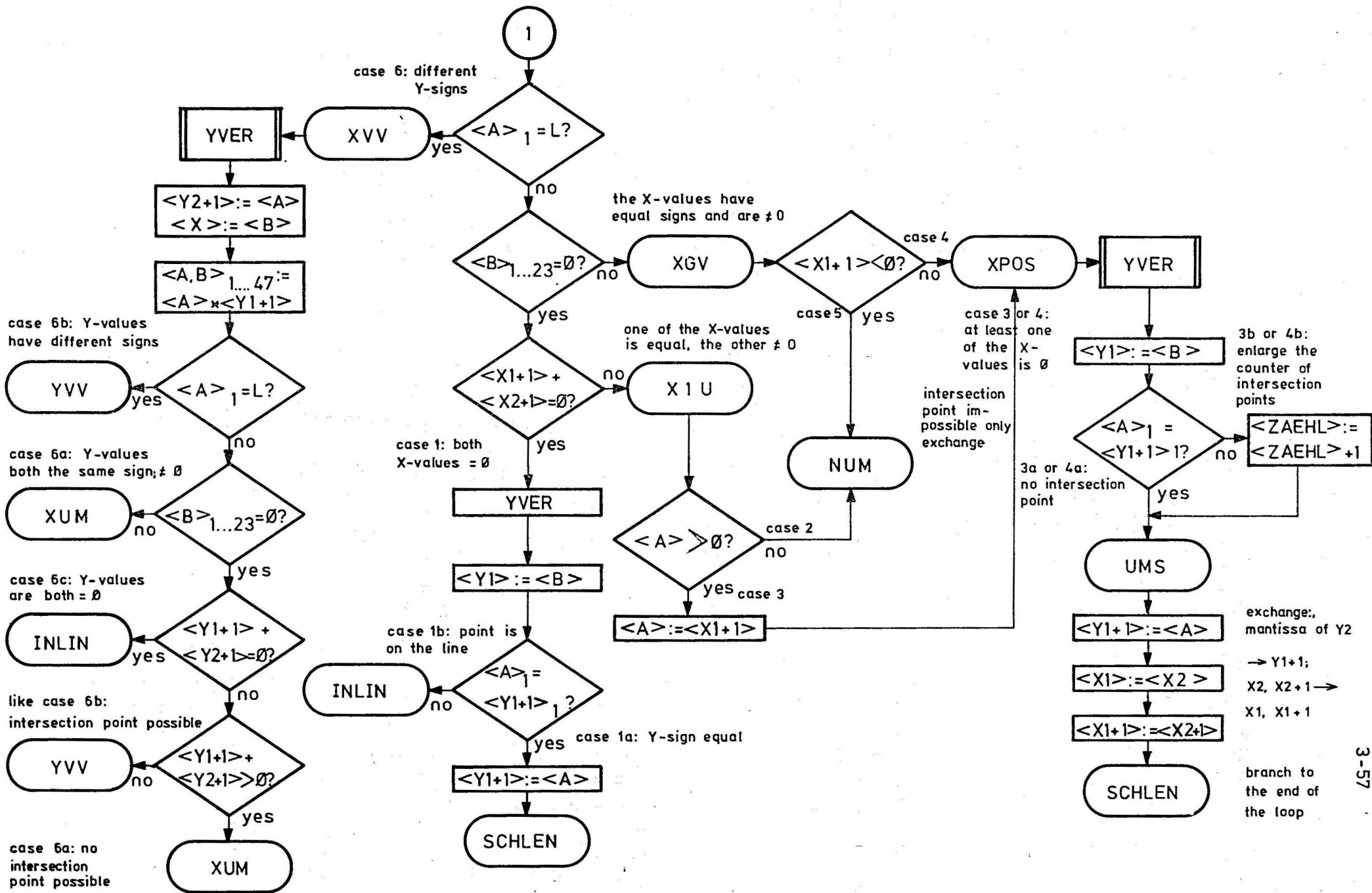
If X-value < 0 , there is no point of intersection.

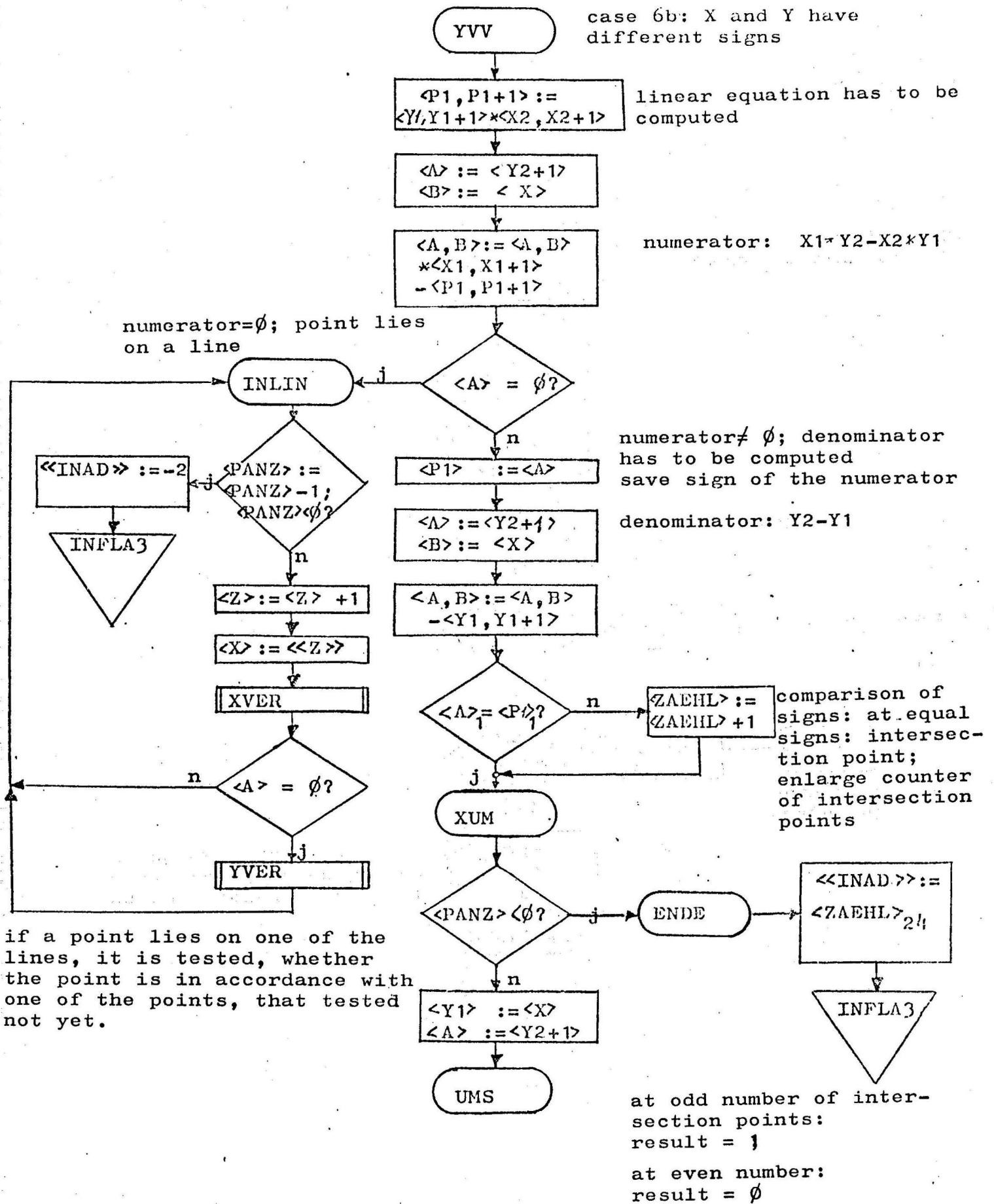
6c: Y1 and Y2 are $= 0$

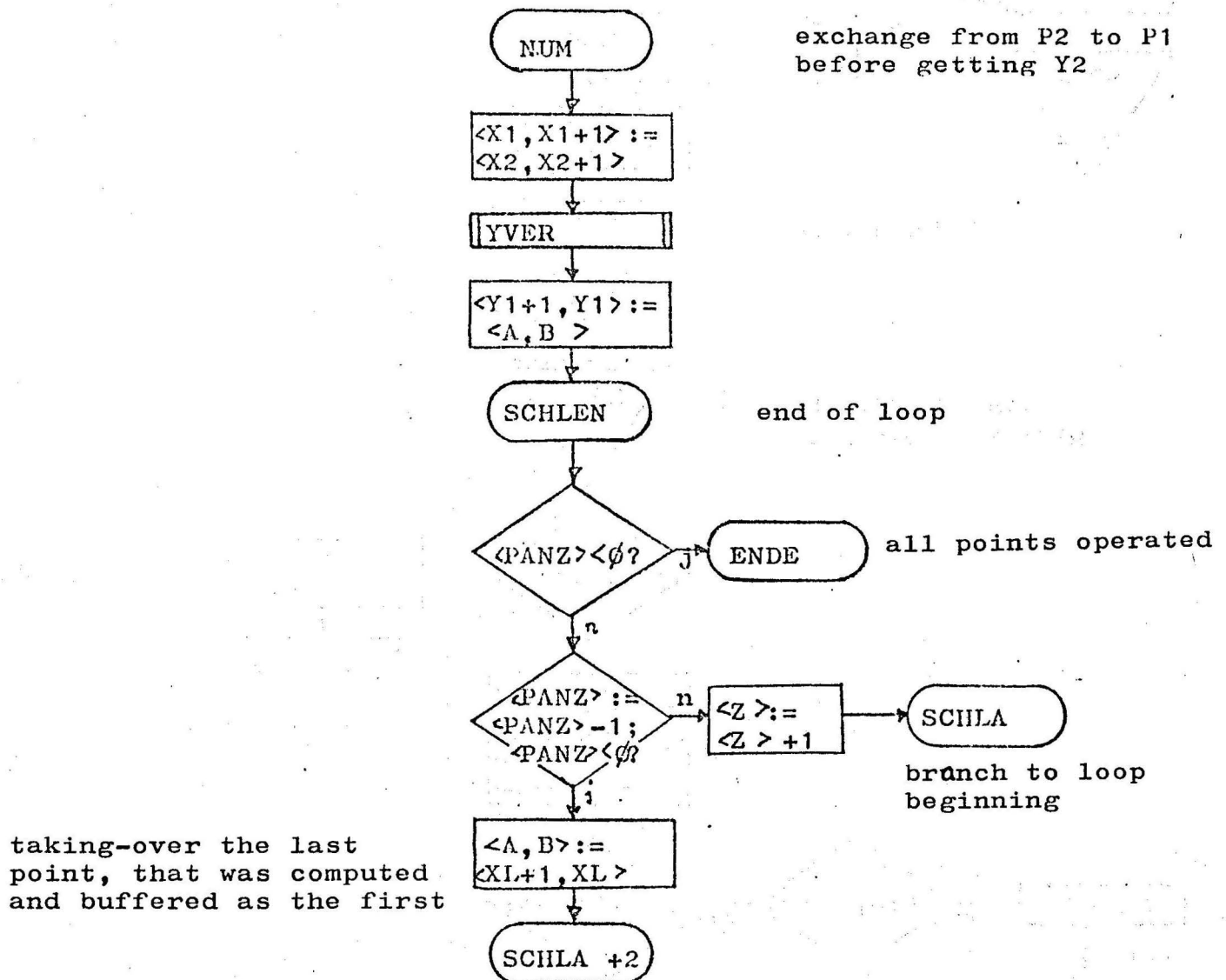


Point P lies on the connection line



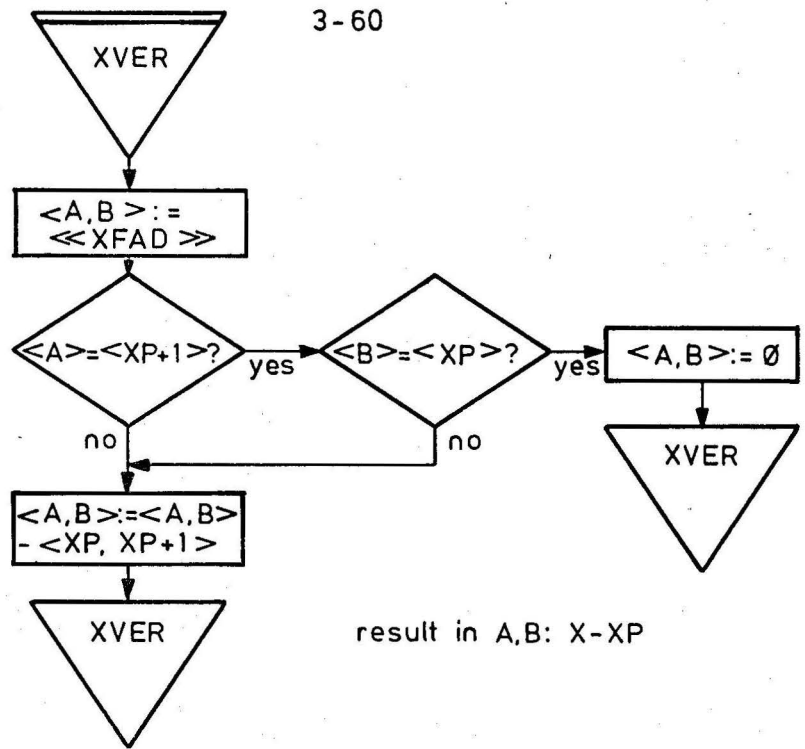




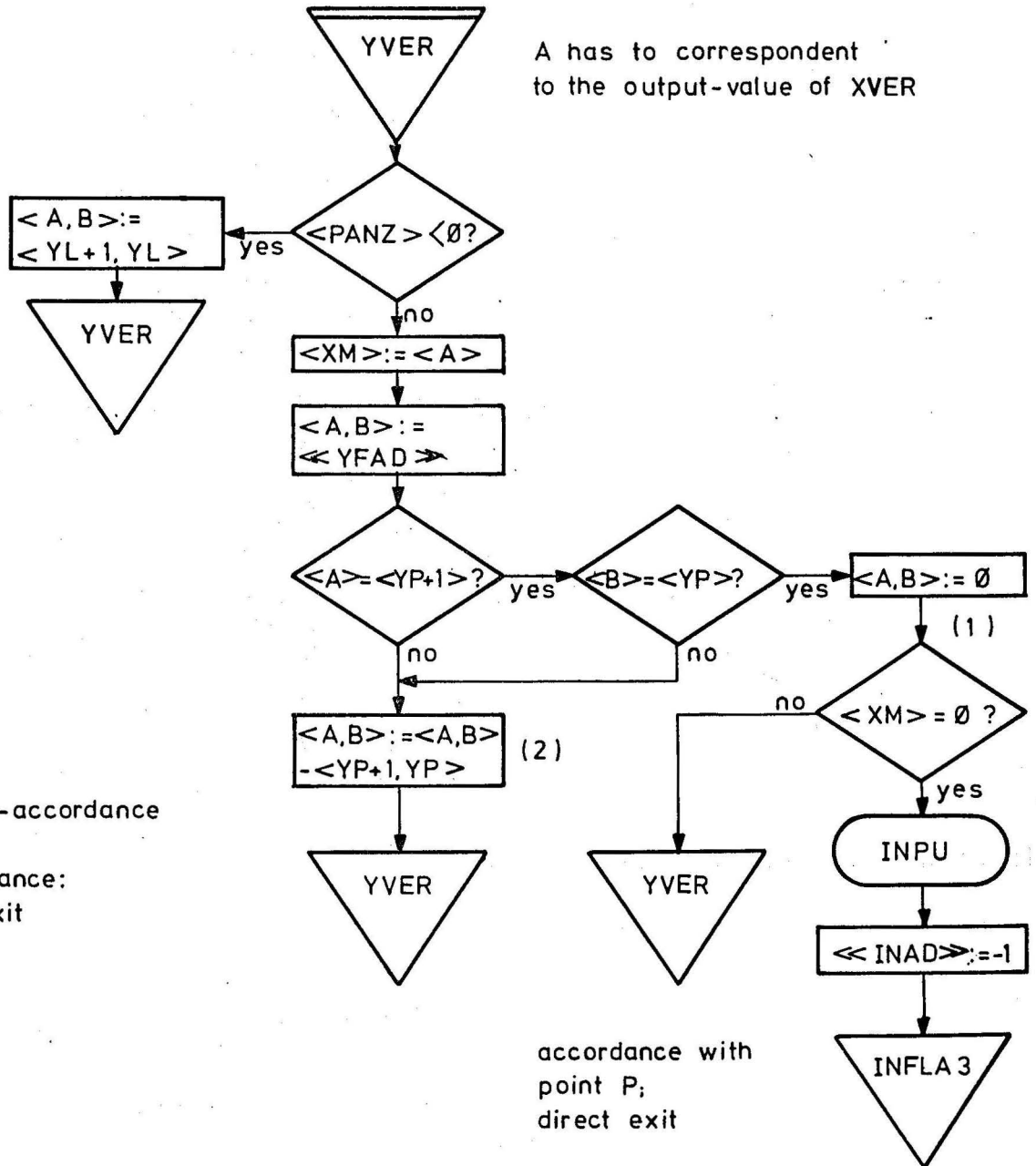


taking over of the X-coord.
of the next point;
test regarding accordance
with XP; subtraction X-XP

3-60



last point



(1) test for X-accordance

(2) no accordance:
normal exit

4. Measurements of time

Measurements of time resulted in the following computing time:

$$T = \left(\sum_{IRY=1}^{11} \sum_{IRX=1}^{11} ML \cdot ITR \right) \cdot T_n \quad (1)$$

there is

ML = Number of patches in the screen patch, which is defined by IRX and IRY.

ITR= Number of VISKRI-calls, the visibility testings of which refer to a point in the screen patch.

T_n = Computing time for a VISKRI-call, the visibility testing of which refers to a screen patch, that only contains one patch.

From (1) follows

(2) $T = f(\text{time-figure}), \text{i.e. the computing time is linearly proportional to a time-figure.}$

In the first approximation results

$$(3) \quad \overline{ML} = \left(\sum_{IRY=1}^{\sqrt{VN}} \sum_{IRX=1}^{\sqrt{VN}} ML \right) \cdot \frac{1}{N}$$

with \overline{ML} = mean value of the patches per screen patch

and

$$(4) \quad \overline{ITR} = \left(\sum_{IRY=1}^{\sqrt{VN}} \sum_{IRX=1}^{\sqrt{VN}} ITR \right) \cdot \frac{1}{N}$$

with \overline{ITR} = mean value of the visibility testings per screen patch

Hence follows

$$(5) \quad \overline{ML} \approx \frac{1}{N} ; \quad \overline{ITR} \approx \frac{1}{N}$$

and (6) time-figure $\approx \frac{1}{N^2}$

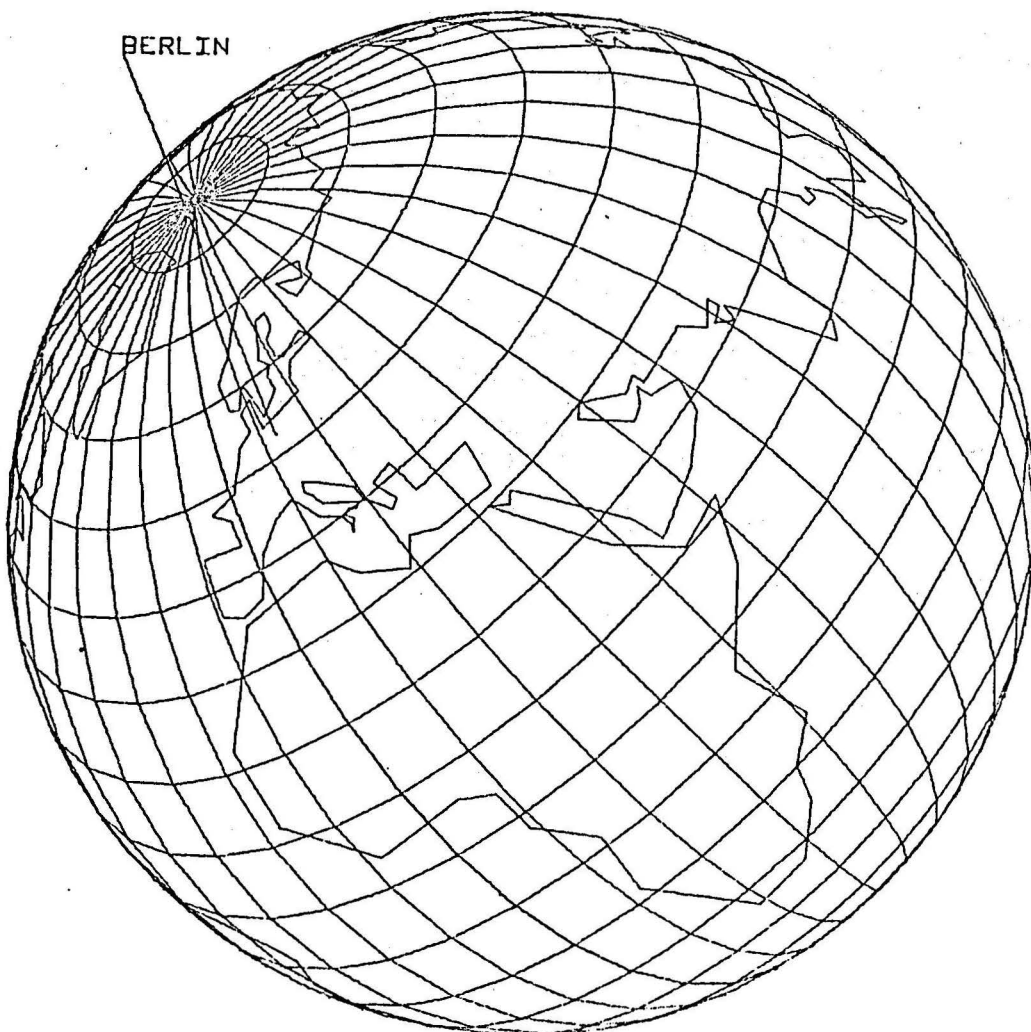
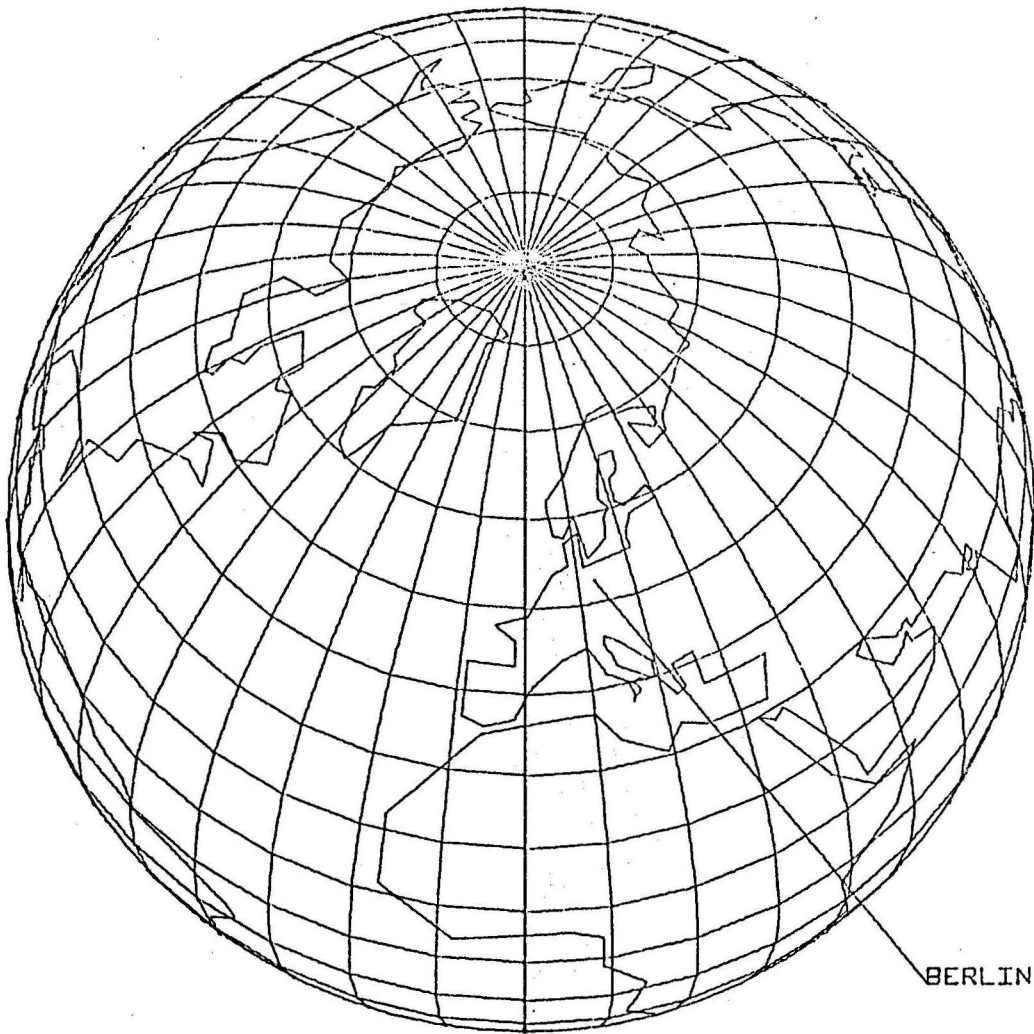
The computing time is inversely proportional to the square of the screen patch number or to the number of screen patches arising from a possible division.

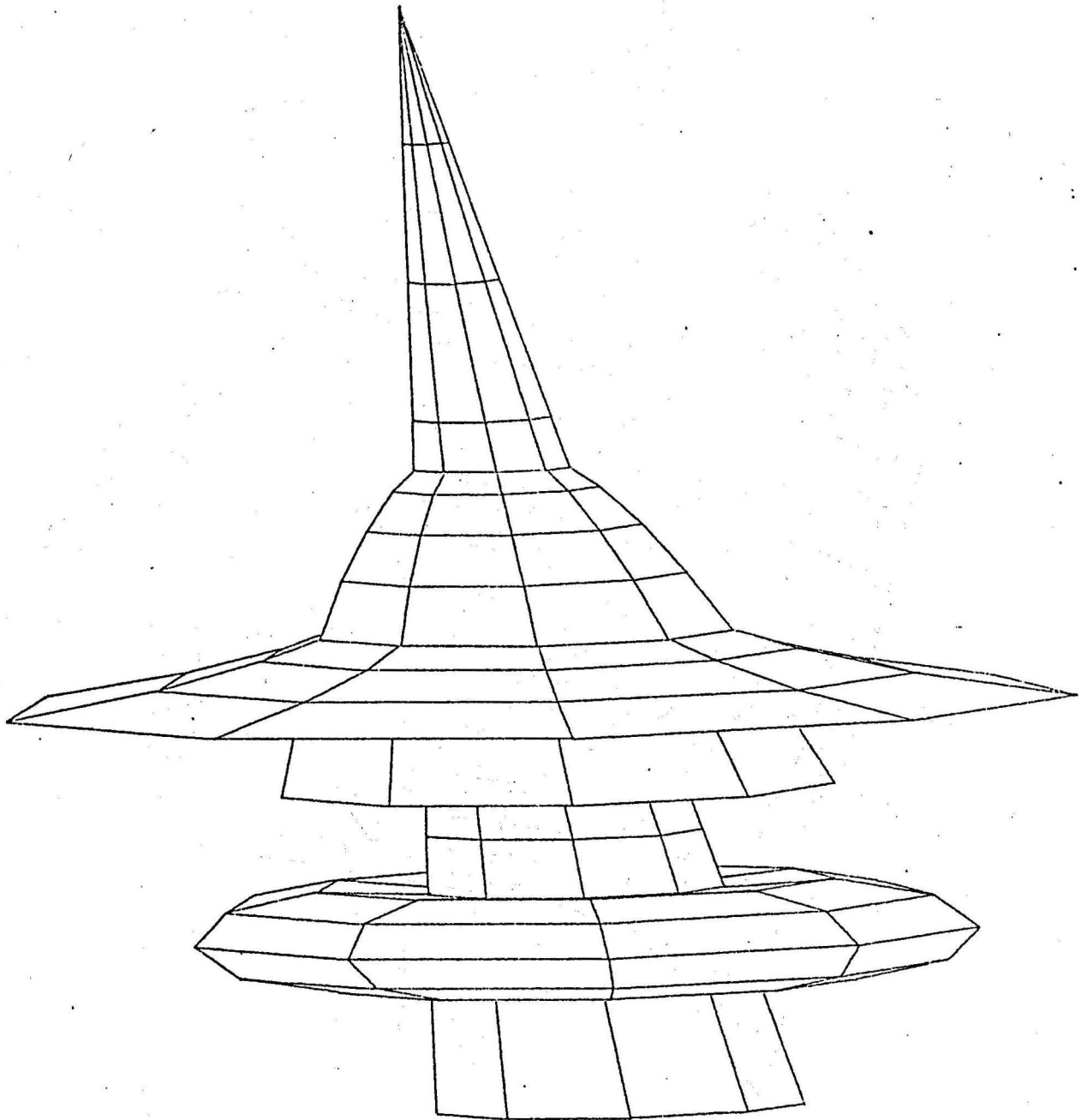
You cannot use this favourable dependence on smaller computers as for example C 90-40, for there is not enough storage space.

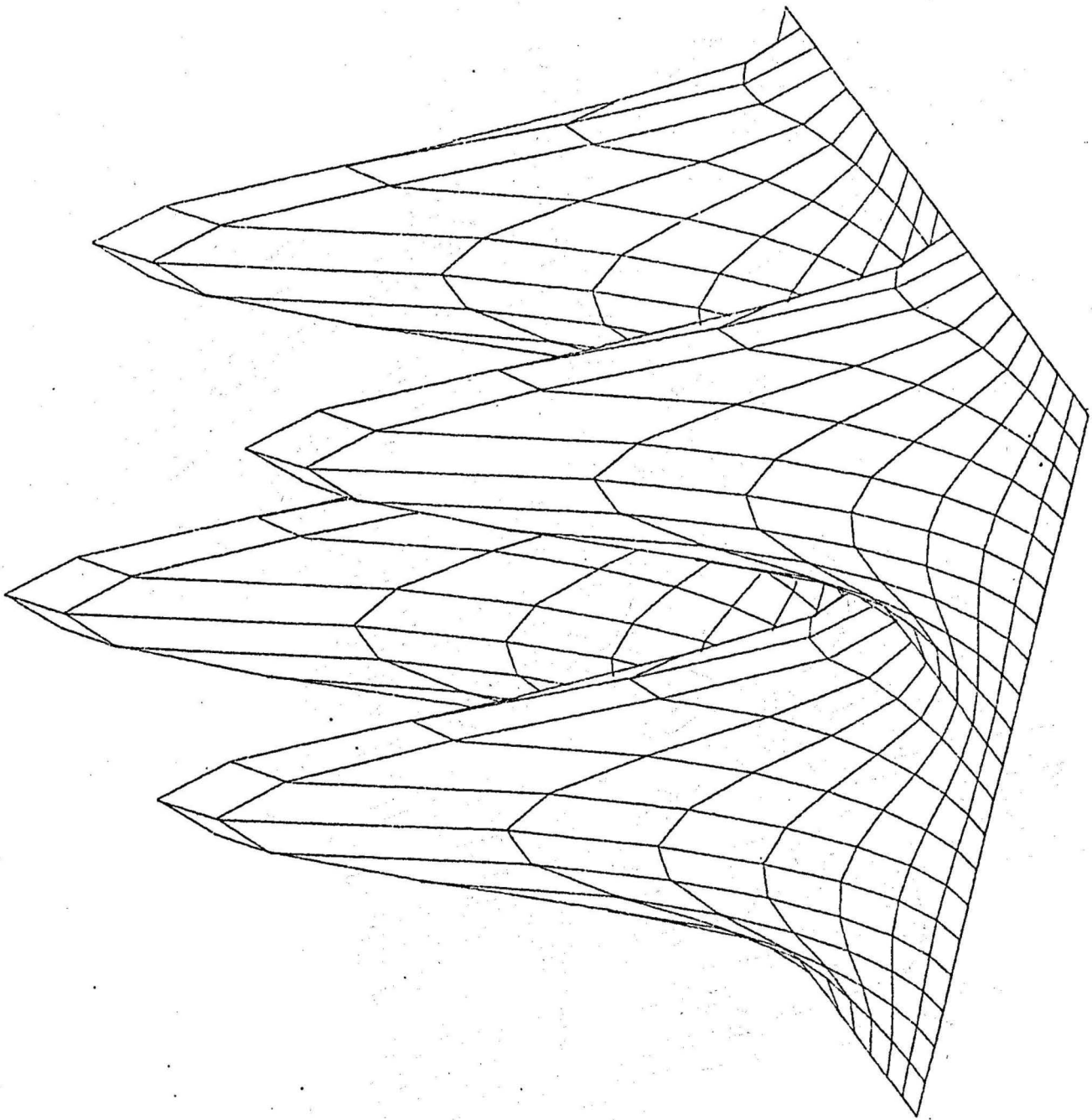
On large scale computers the use of this relation means a considerable time saving, and it is easily to realize by increasing the screen patch number resp. further division of the screen patches.

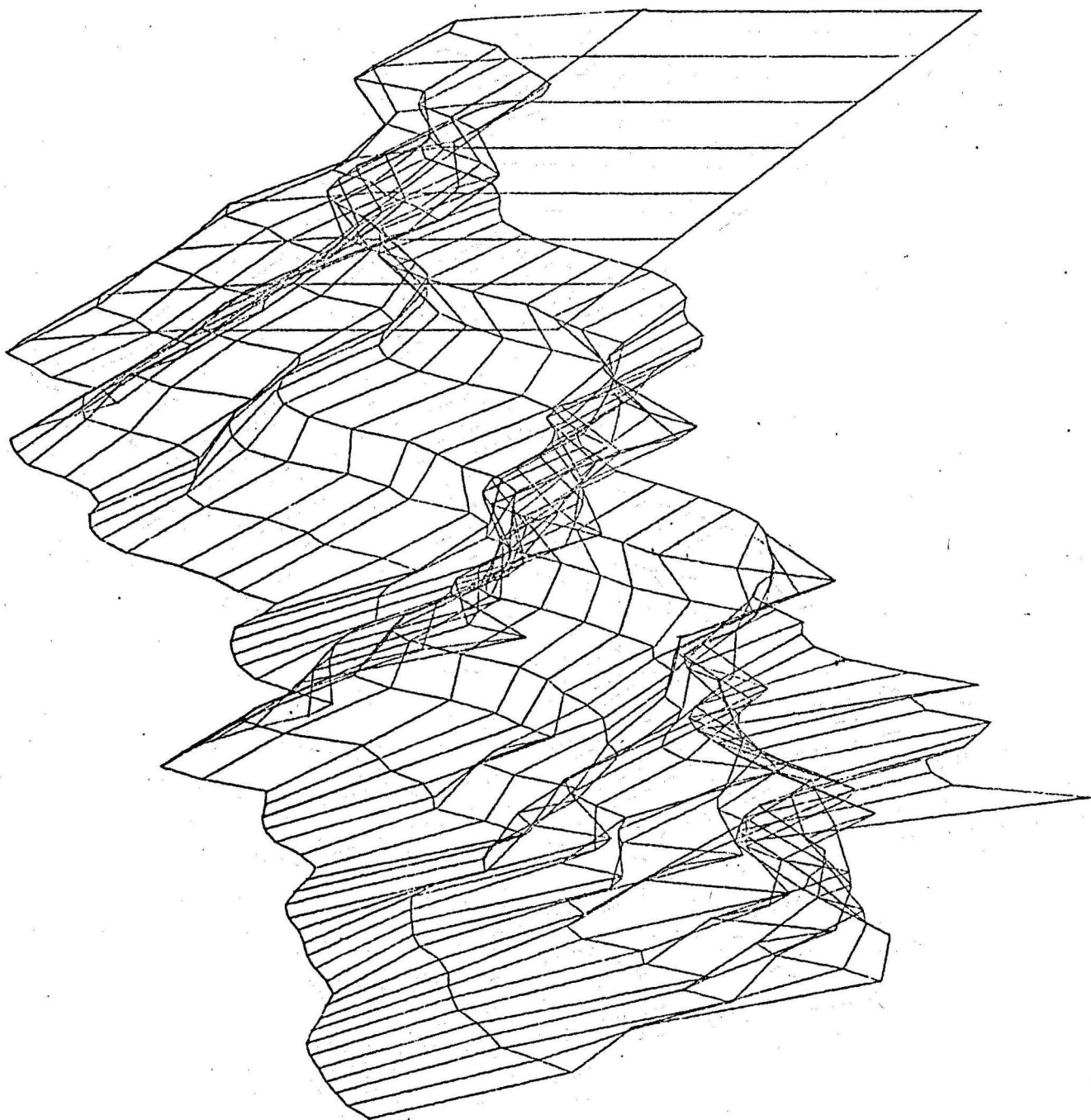
In its present form FLAVIS needs for 100 patches an average of 4 - 5 minutes.

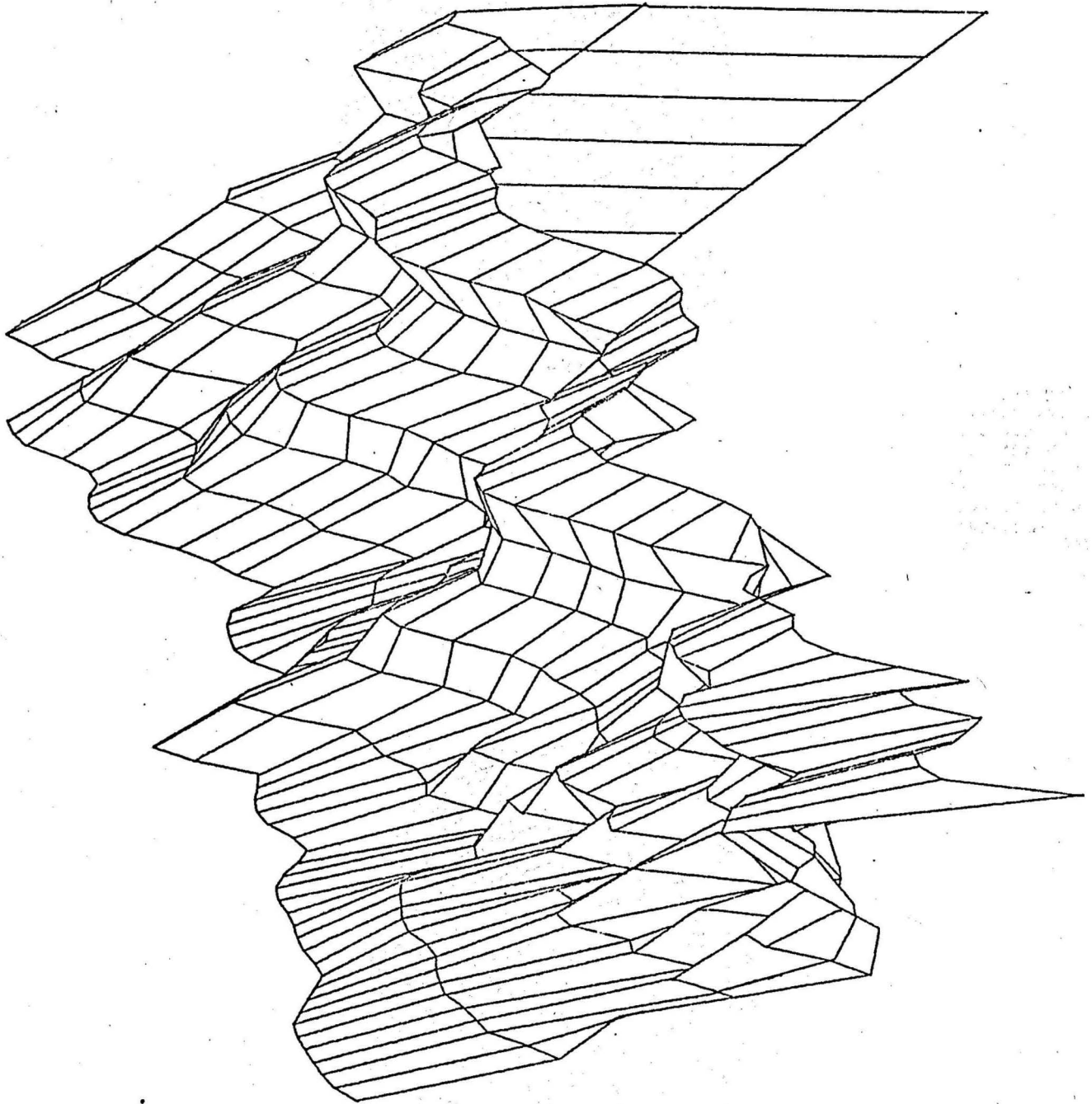
5. Picture examples for the results obtained by FLAVIS

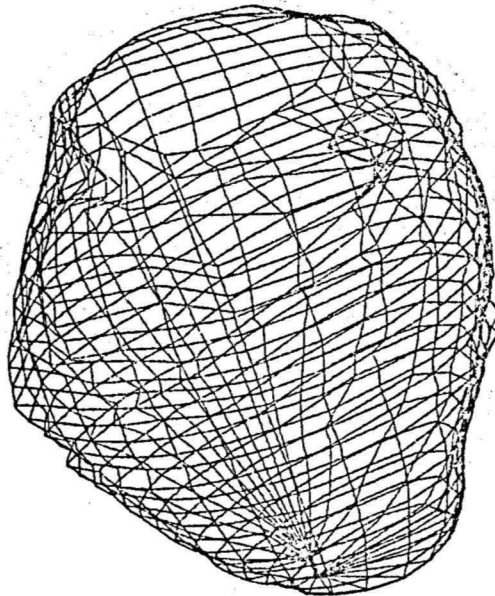




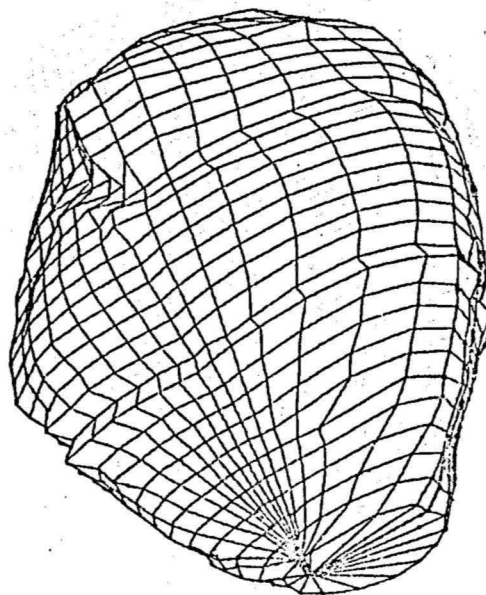




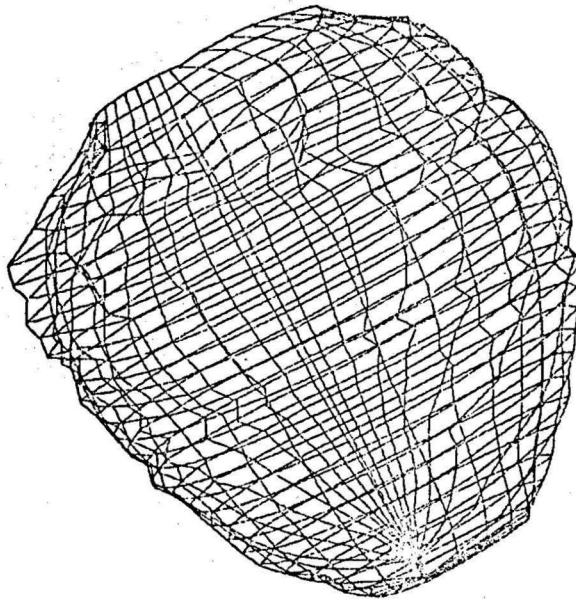




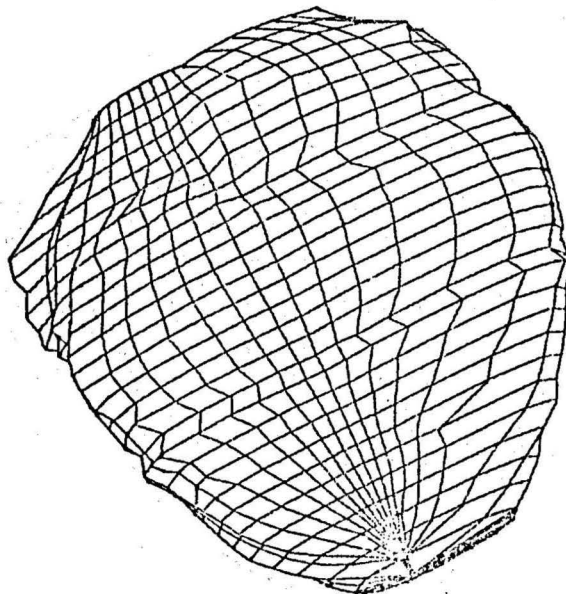
1.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=0$ GRAD



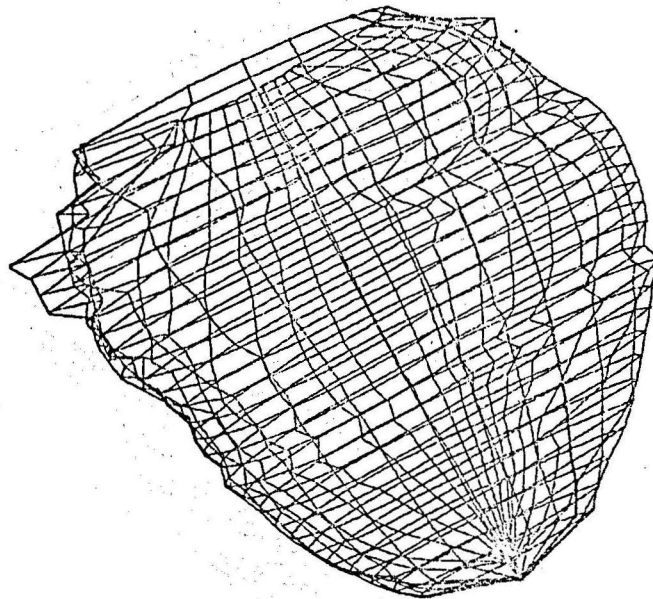
1.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=0$ GRAD



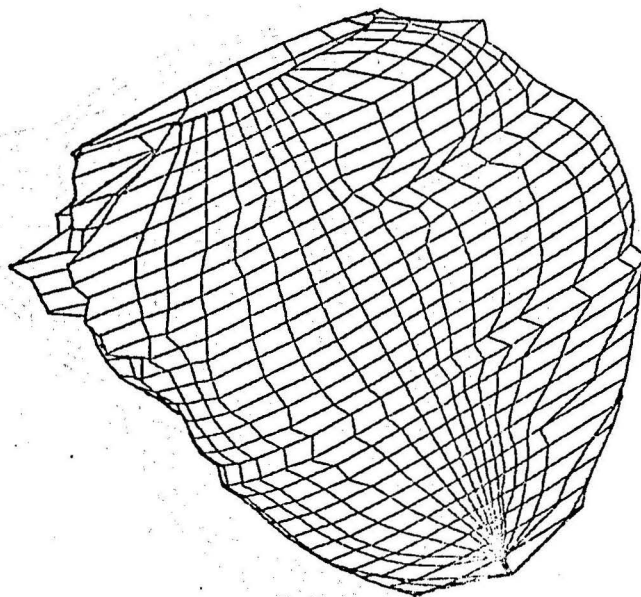
2.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=30$ GRAD



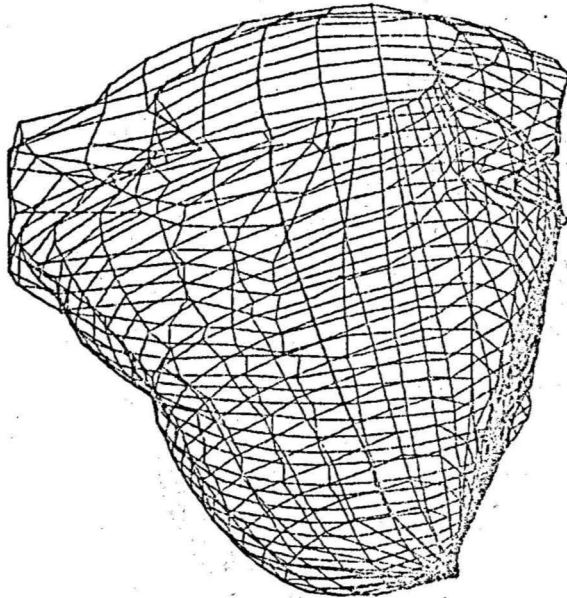
2.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=30$ GRAD



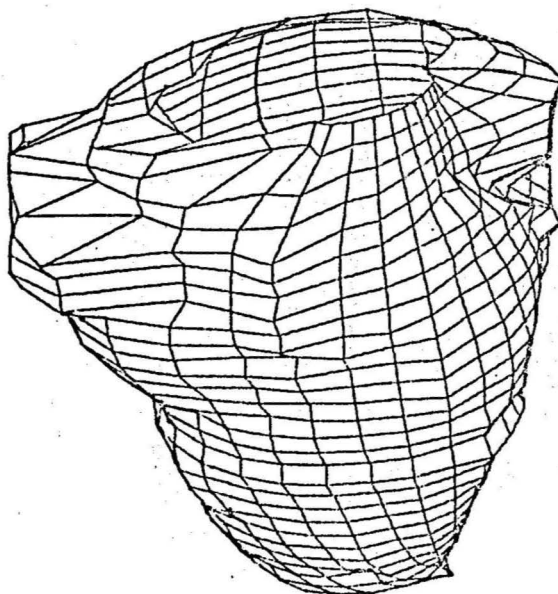
3.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
STARTLAGE:
XW= 70 GRAD
YW= 0 GRAD
ZW= 20 GRAD
DREHUNG:
YW= 60 GRAD



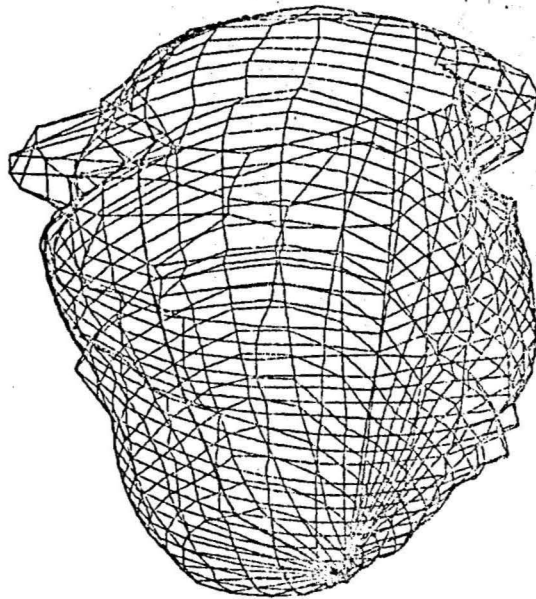
3.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
STARTLAGE:
XW= 70 GRAD
YW= 0 GRAD
ZW= 20 GRAD
DREHUNG:
YW= 60 GRAD



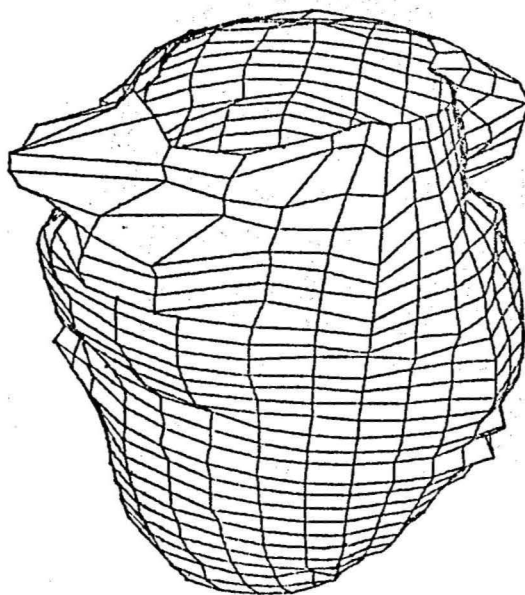
5.BILD:
 $\Delta\Phi_1 = 12.41$ GRAD
 $\Delta Z = 4.8$ MM
 STARTLAGE:
 $XW = 70$ GRAD
 $YW = 0$ GRAD
 $ZW = 20$ GRAD
 DREHUNG:
 $YW = 120$ GRAD



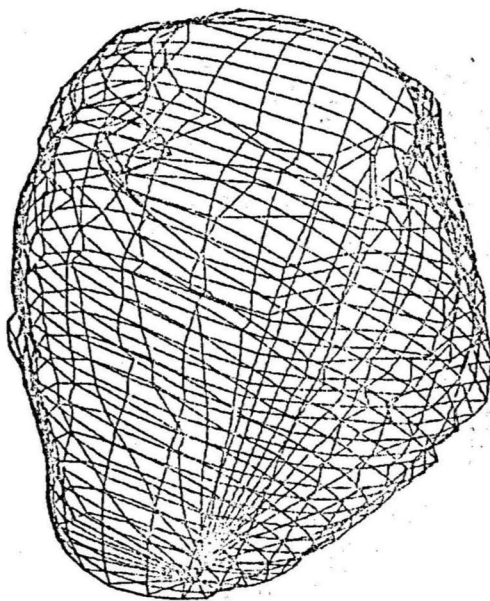
5.BILD:
 $\Delta\Phi_1 = 12.41$ GRAD
 $\Delta Z = 4.8$ MM
 STARTLAGE:
 $XW = 70$ GRAD
 $YW = 0$ GRAD
 $ZW = 20$ GRAD
 DREHUNG:
 $YW = 120$ GRAD



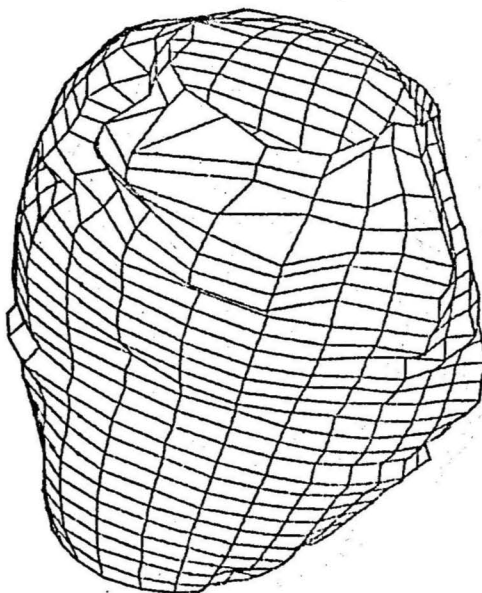
6.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=150$ GRAD



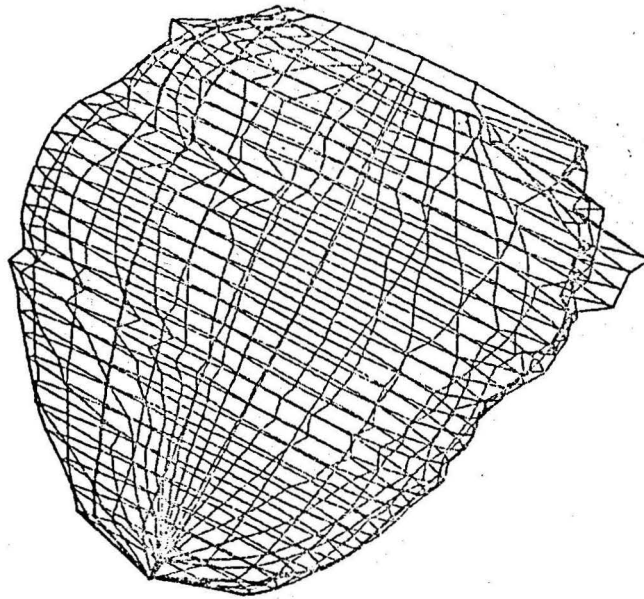
6.BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=150$ GRAD



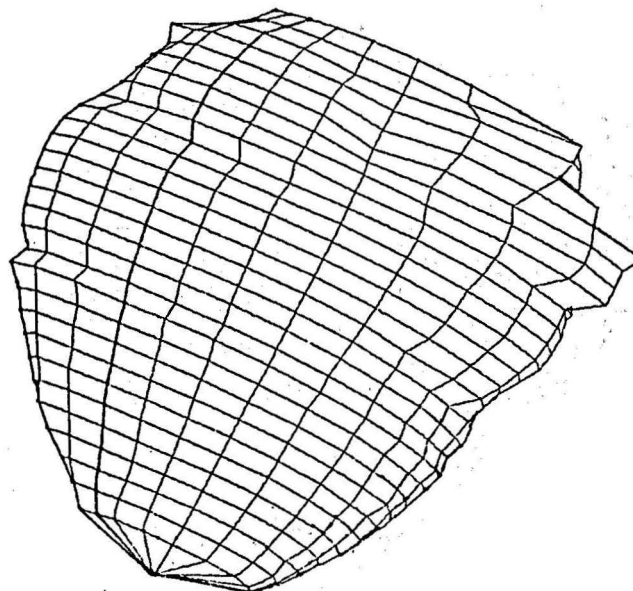
7-BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
STARTLAGE:
XW= 70 GRAD
YW= 0 GRAD
ZW= 20 GRAD
DREHUNG:
YW= 180 GRAD



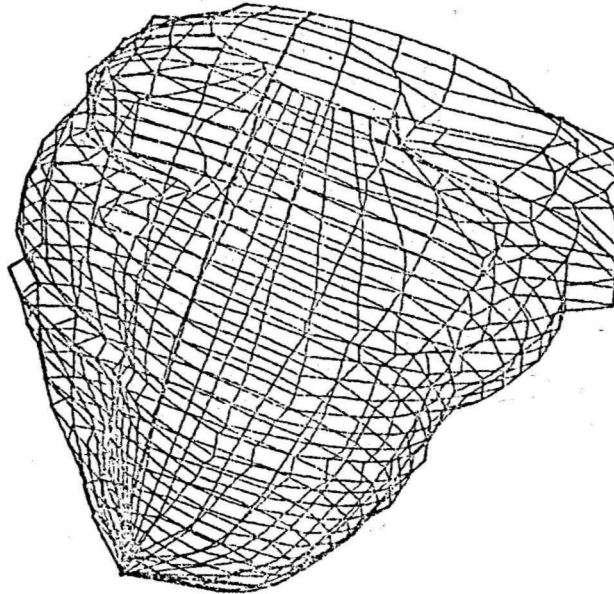
7-BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
STARTLAGE:
XW= 70 GRAD
YW= 0 GRAD
ZW= 20 GRAD
DREHUNG:
YW= 180 GRAD



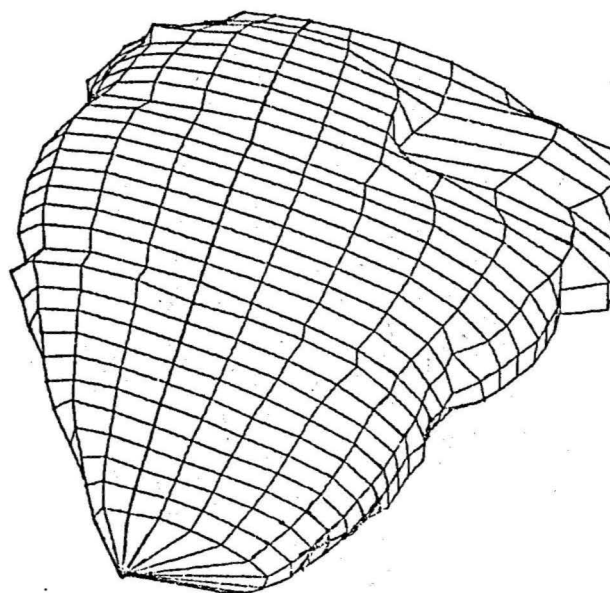
9-BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=240$ GRAD



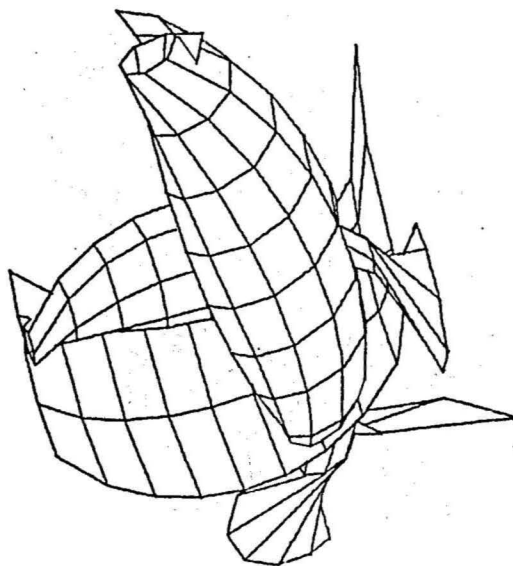
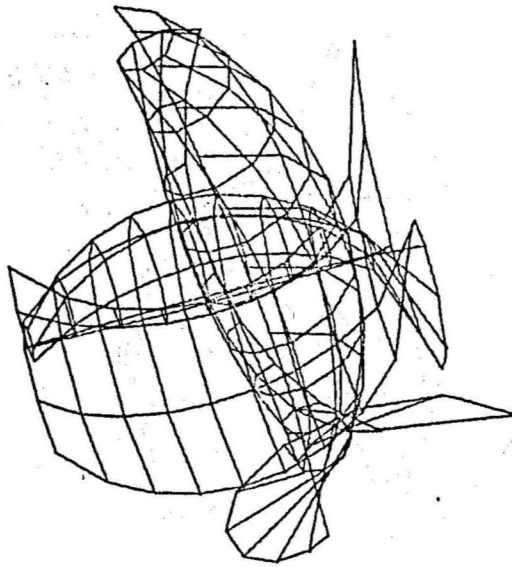
9-BILD:
 $\Delta\text{PHI}=12.41$ GRAD
 $\Delta Z=4.8$ MM
 STARTLAGE:
 $\text{XW}=70$ GRAD
 $\text{YW}=0$ GRAD
 $\text{ZW}=20$ GRAD
 DREHUNG:
 $\text{YW}=240$ GRAD

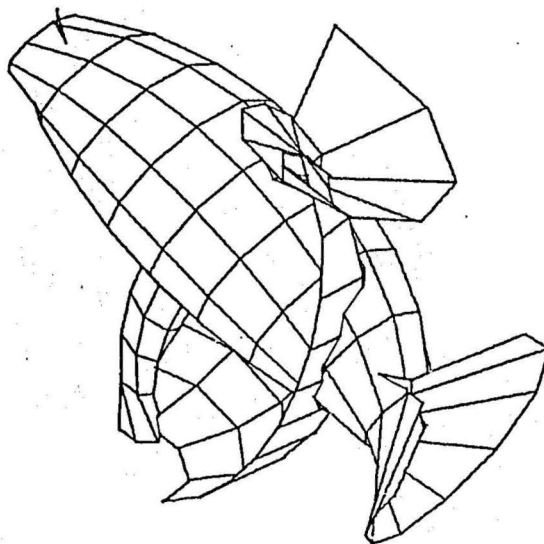
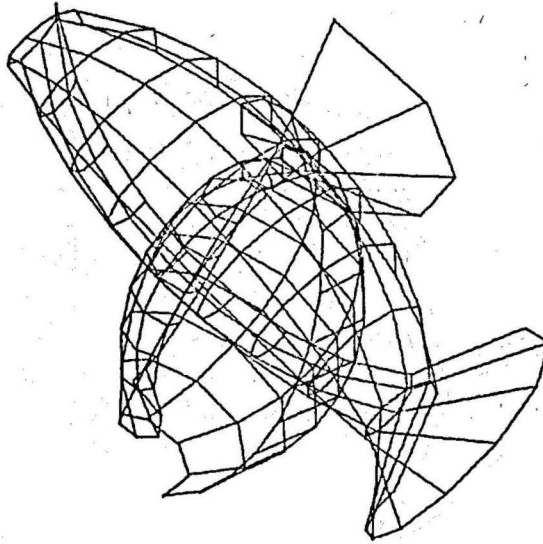


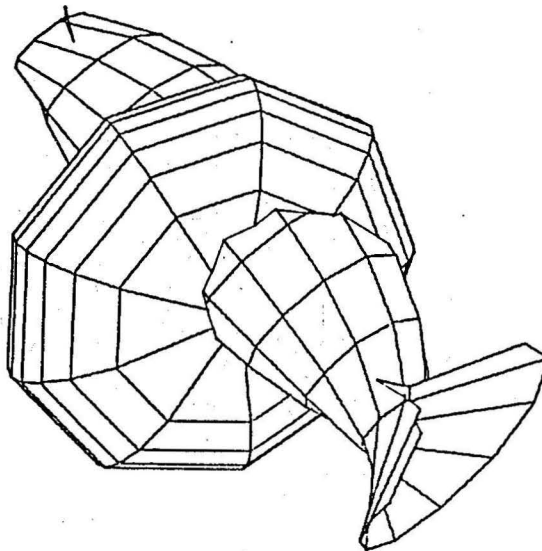
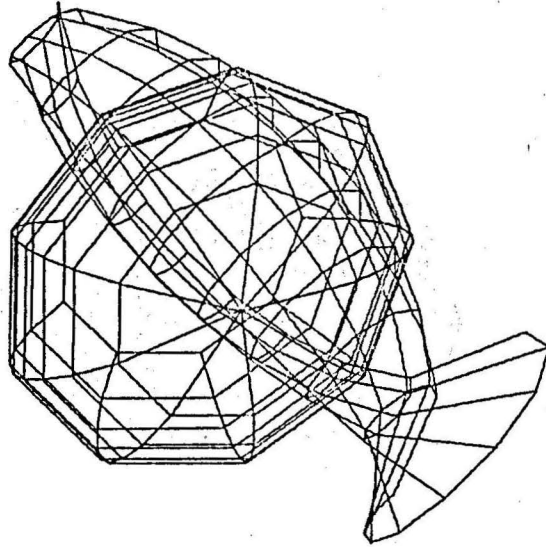
10-BILD:
 $\Delta PHI = 12.41$ GRAD
 $\Delta Z = 4.8$ MM
 STARTLAGE:
 XW= 70 GRAD
 YW= 0 GRAD
 ZW= 20 GRAD
 DREHUNG:
 YW= 270 GRAD

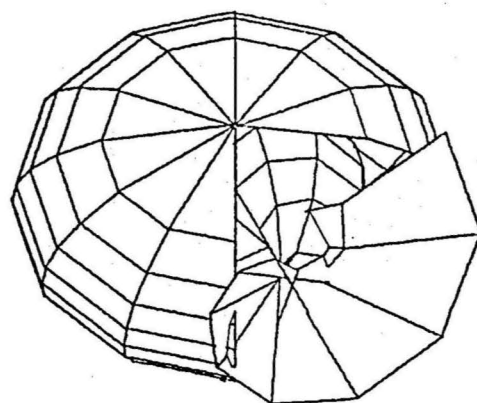
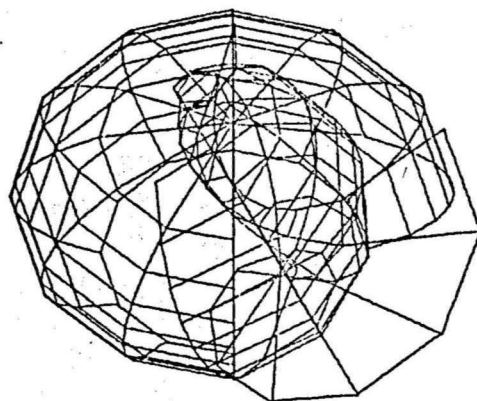


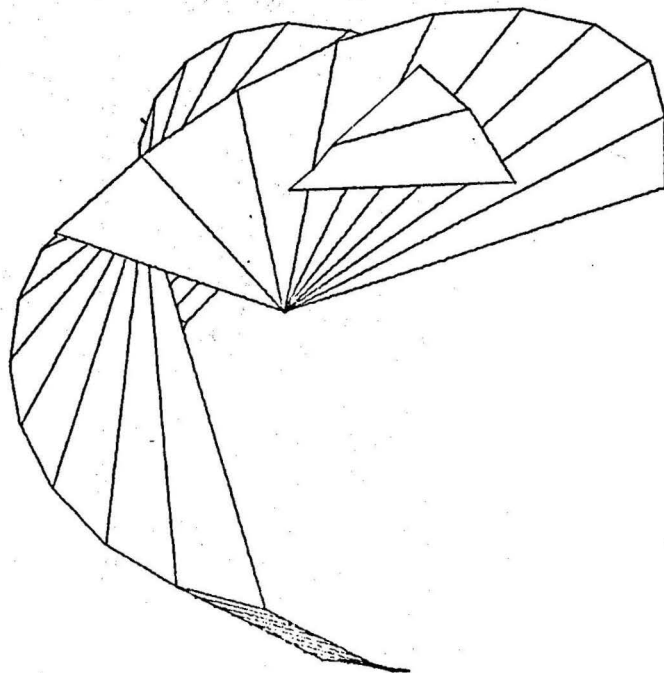
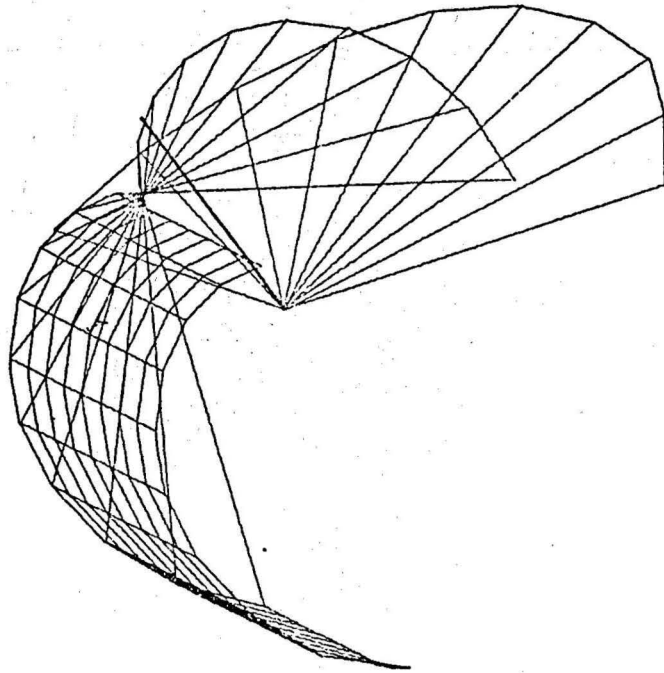
10-BILD:
 $\Delta PHI = 12.41$ GRAD
 $\Delta Z = 4.8$ MM
 STARTLAGE:
 XW= 70 GRAD
 YW= 0 GRAD
 ZW= 20 GRAD
 DREHUNG:
 YW= 270 GRAD

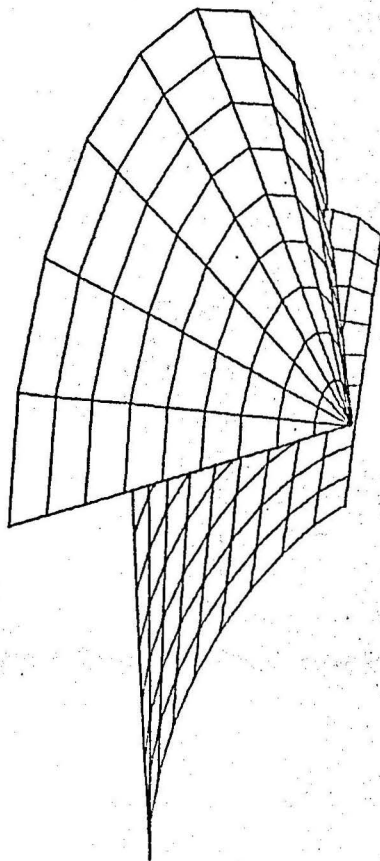
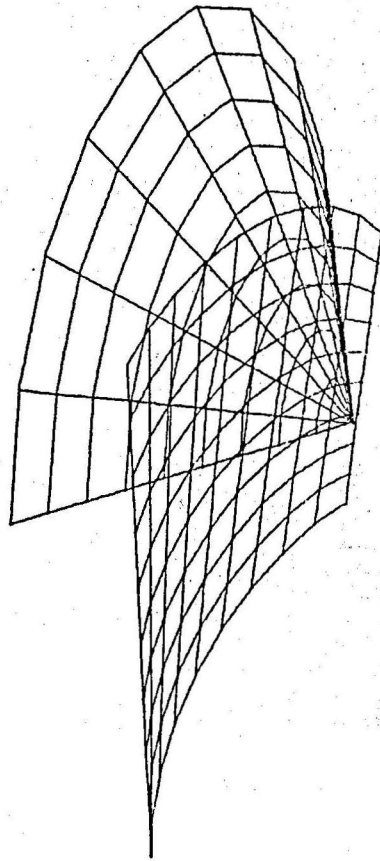


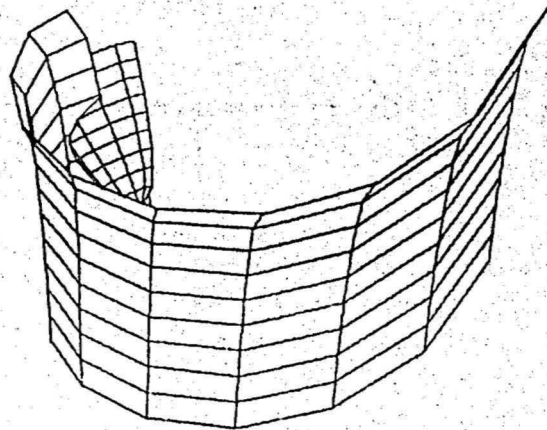
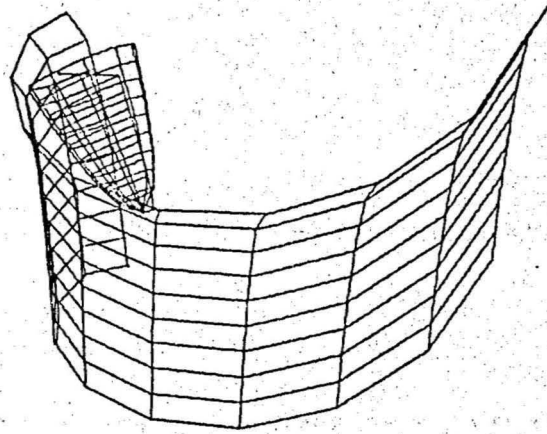












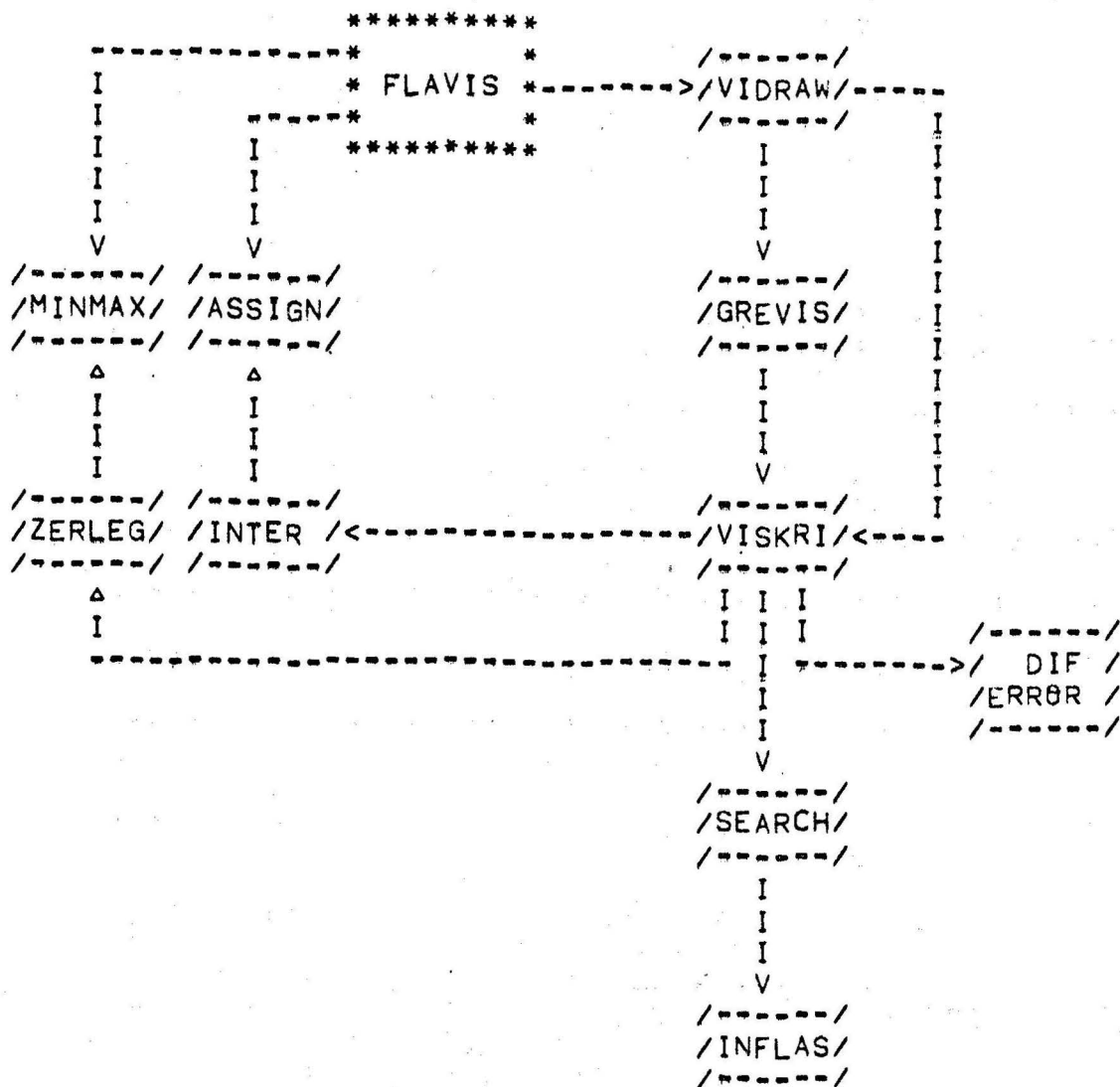
6. Listings

```

1 C1*****
2 C
3 C
4 C      FFFFF L      AAA V V I SSS
5 C      F      L      A A V V I S S
6 C      F      L      A A V V I S
7 C      FFFF L      AAAAA V V I SSS
8 C      F      L      A A V V I S S
9 C      F      L      A A V V I S S
10 C      F      LLLL A A V I SSS
11 C
12 C
13 C

```

PROGRAM HIERARCHY OF FLAVIS



EXPLANATION OF THE SUBROUTINES

	FORTRAN	ASSEMBL	
SUBR.	USED SUBR.	USED SYSTEM- SUBR.	PURPOSE
FLAVIS	MINMAX ASSIGN VIDRAW	PUTBIT CLEAR SETUP GETANZ	TO SETUP LISTS, TO COMPUTE CONSTANTS
MINMAX	-	-	MIN-, MAX-SEARCH IN SCREEN PATCH
ASSIGN	-	-	TO COMPUTE BITFIELD FOR INDEX
VIDRAW	VISKRI GREVIS	BLIND VECTR	VISIBILITY, DRAWING THE VISIBLE PARTS OF THE PICTURE
GREVIS	VISKRI	-	TO COMPUTE THE LIMIT OF VISIBILITY
VISKRI	INTER ZERLEG SEARCH DIF	- - - -	VISIBILITY CRITERION
DIF	ERROR	-	TO COMPUTE VISIB. OF A TESTING POINT
ERROR	-	-	TO EXAMINE PRECISION OF COMPUTATION
INTER	ASSIGN	L0DBIT	TO COMPUTE PATCH IN SCREEN PATCH
ZERLEG	MINMAX	-	TO COMPUTE NUMBER OF PATCHES IN THE DIVIDED SCREEN PATCH
SEARCH	-	INFLAS	SELECTION OF PATCHES, CONTAINING THE TESTPOINT

EXPLANATION OF THE SYSTEM-DEPENDENT SUBROUTINES

SUBR.	LANGU.	PURPOSE
SETUP	ASSEMBL	DISPLAYFILE DEF., SCALATION
CLEAR	ASSEMBL	TO ERASE DISPLAY PICTURE
BLIND	ASSEMBL	BLIND ADJUSTMENT OF POINT
VECTR	ASSEMBL	TO DRAW A VECTOR
SHOW	ASSEMBL	TO OUTPUT DISPLAYFILE
GETANZ	ASSEMBL	TO COMPUTE NUMBER OF FILLED DISPLAYFILE-CELLS
PUTBIT	ASSEMBL	TO FILLIN BITSAMPLES
L0DBIT	ASSEMBL	OUTPUT OF BITSAMPLES
INFLAS	ASSEMBL	INTERROGATION, WHETHER TESTPOINT LIES IN PATCH

SHORT SPECIFICATION OF THE FLAVIS-SUBROUTINE-PACKAGE
 =====

FIRST, IN THE FIRST PART OF FLAVIS THE CONSTANTS ARE COMPUTED, INDICATION- AND INDEX-LISTS ARE RESTORED. THEN, IN A 2ND PART OF FLAVIS WITH THE SUBROUTINES MINMAX, ASSIGN AND PUTBIT INDICATION- AND INDEX-LISTS ARE SET UP. IN A 3RD PART OF FLAVIS THE VISIBILITY STUDY IS STARTED AND CONTROLLED. [SUBROUTINE VIDRAW]

VIDRAW CAUSES, IF NECESSARY, THE VISIBILITY STUDY OF THE KNOT AND THAN TRANSFERS THE INITIAL- OR ENDPOINT OF A U- RESP. V-LINE-ELEMENT TO THE SUBROUTINE GREVIS. THE DISPLAYFILE THAN WILL BE FILLED WITH THE RESULT OF GREVIS.

THE SUBROUTINE GREVIS TESTS THE LIMIT OF VISIBILITY WITH THE SUBROUTINE VISKRI.

THE SUBROUTINE VISKRI ASCERTAINS WITH THE PROGRAMS INTER, SEARCH ZERLEG AND DIF THE VISIBILITY OF THE TEST-POINT.

THEREBY IT IS FOUND OUT WITH INTER, HOW MANY PATCHES ARE IN THE SCREEN PATCH.

WITH THE SUBROUTINE SEARCH IT IS ASCERTAINED WHICH PATCHES INCLUDE THE RESPECTIVE TEST POINT [THIS IS DONE BY THE SUBROUTINE INFLAS: IN FLAVIS WITH INFLIN THE ADDRESSES OF THE XC- AND YC-LISTS AND THE ADDRESS OF THE RESULT PARAMETER ARE TRANSFERRED. IN SEARCH FIRST WITH INFLAP, THE COO. OF THE TEST POINT ARE TRANSFERRED. IN THE LOOP ONLY INFLA4 - WITH 4 INDICES OF THE CORNER COO. OF A QUADRANGULAR PATCH RESP. INFLA3 WITH THE 3 INDICES OF A TRIANGULAR PATCH ARE CALLED]. AFTER THAT THE PATCH IS PARTED IN TWO DIFFERENT WAYS INTO TRIANGLES AND IT IS CALLED WHICH OF THEM INCLUDE THE TEST POINT [WITH INFLA3]. THE RESULT IS STORED.

IN DIF AND SEARCH TRIVIAL CASES ARE HANDLED PREVIOUSLY OR EXCLUDED.

BY THE SUBROUTINE ZERLEG - IF NECESSARY - A DIVISION OF THE SCREEN-PATCH IS MADE.

BY THE SUBROUTINE DIF IT IS ASCERTAINED WHETHER A TRIANGLE COVERS THE TEST POINT OR NOT. POSSIBLE INACCURACIES IN COMPUTATION ARE ELIMINATED BY THE SUBROUTINE ERROR.


```

240 C5*6*****
241 C
242 C
243 C      SIGNIFICANCE OF THE COMMON-SIZES
244 C
245 C
246 C*****
247 C
248 C*****
249 C
250 C
251 C DELTAX: DISTANCE OF TWO X-SCREEN LINES
252 C
253 C DELTAY: DISTANCE OF TWO Y-SCREEN LINES
254 C
255 C DIVIS : MEASURE FOR THE ABSOLUTE SIZE OF ALL PATCHES IN THE X-,Y-PLANE
256 C
257 C EPS   : EPSILON = 0.00001
258 C
259 C I     : U-INDEX OF A KNOT
260 C
261 C ICA   : LIST OF THE TRIANGLES GOING THROUGH THE POINTS WITH THE
262 C         INDICES IQ,IQ+KEMAX,IQ+KEMAX+1 AND CONTAINING A POINT THAT
263 C         IS TO BE STUDIED FOR VISIBILITY.
264 C
265 C IE    : NUMBER OF U-LINES
266 C
267 C IEMAX : MAXIMUM NUMBER OF U-LINES
268 C
269 C IHQ   : LIST OF THE IQ-INDICES OF PATCHES, HAVING POINT QUANTITIES
270 C         IN ONE SCREEN PATCH
271 C
272 C III   : SHOWS, WHETHER 2 POINTS HAVE A SHORTER DISTANCE THAN EPS
273 C
274 C IKL   : FREE FOR EXTENSIONS
275 C
276 C IN    : SHOWS, WHETHER A POINT LIES IN A PATCH
277 C
278 C INDLI : INDEX-LIST OF PATCHES
279 C
280 C IM    : FREE FOR EXTENSIONS
281 C
282 C IOPT1 : LIMIT FOR NUMBER OF PATCHES AT THE 1ST DIVISION OF THE
283 C         SCREEN PATCH
284 C IOPT2 : LIMIT FOR NUMBER OF PATCHES AT THE 2ND DIVISION OF THE
285 C         SCREEN PATCH
286 C IOPT3 : LIMIT FOR NUMBER OF PATCHES AT THE 3RD DIVISION OF THE
287 C         SCREEN PATCH
288 C
289 C IQ    : INDEX, COMBINING I-,K-,L-INDEX
290 C
291 C K     : V-INDEX OF A KNOT
292 C
293 C KE    : NUMBER OF V-LINES
294 C
295 C KEMAX : MAXIMUM NUMBER OF V-LINES
296 C
297 C KWQ   : LIST OF IQ-INDICES OF PATCHES HAVING POINT QUANTITIES IN
298 C         A 1/4 OF THE SCREEN PATCH
299 C

```

```

300 C KZZ      : LOOP-COUNTER FOR LIMIT OF VISIBILITY
301 C
302 C L        : INDEX OF SURFACE RELATIONSHIP WHEN THERE ARE SEVERAL SURFACES
303 C
304 C LEMAX    : MAXIMUM NUMBER OF SURFACES
305 C
306 C LFO      : LIST OF IQ-INDICES OF PATCHES, HAVING POINT QUANTITIES IN
307 C           1/16 OF THE SCREEN PATCH
308 C
309 C LIHIWI   : INDICATION LIST FOR THE ALLOCATION OF PATCHES TO THE SCREEN
310 C
311 C LSC      : LIST OF TRIANGLES, GOING THROUGH THE POINTS WITH THE
312 C           INDICES IQ,IQ+1,IQ+KEMAX+1 AND CONTAINING A POINT THAT IS TO
313 C           BE STUDIED FOR VISIBILITY
314 C
315 C MBQ      : LIST OF IQ-INDICES OF PATCHES, HAVING POINT QUANTITIES IN
316 C           1/64 OF THE SCREEN PATCH
317 C
318 C MVC      : LIST OF TRIANGLES, GOING THROUGH THE POINTS WITH THE
319 C           INDICES IQ+1,IQ+KEMAX,IQ+KEMAX+1 AND CONTAINING A POINT THAT
320 C           IS TO BE STUDIED FOR VISIBILITY
321 C
322 C NANZAL   : NUMBER OF DISPLAY-FILE CELLS, WHICH ARE ALREADY FILLED
323 C
324 C NPUF     : DISPLAY-FILE
325 C
326 C NRC      : LIST OF TRIANGLES, GOING THROUGH THE POINTS WITH THE
327 C           INDICES IQ,IQ+1,IQ+KEMAX AND CONTAINING A POINT THAT IS TO
328 C           BE STUDIED FOR VISIBILITY
329 C
330 C SIGMAX   : ONE QUARTER OF THE DISTANCE BETWEEN 2 X-SCREEN LINES
331 C SIGMAY   : ONE QUARTER OF THE DISTANCE BETWEEN 2 Y-SCREEN LINES
332 C
333 C TEILX    : HALF DISTANCE BETWEEN 2 X-SCREEN LINES
334 C TEILY    : HALF DISTANCE BETWEEN 2 Y-SCREEN LINES
335 C
336 C THETAX   : ONE EIGHTH OF THE DISTANCE BETWEEN 2 X-SCREEN LINES
337 C THETAY   : ONE EIGHTH OF THE DISTANCE BETWEEN 2 Y-SCREEN LINES
338 C
339 C XC       : =XT
340 C
341 C XMAX     : MAXIMUM X-COORDINATE OF THE DISPLAY
342 C
343 C XMIN     : MINIMUM X-COORDINATE OF THE DISPLAY
344 C
345 C XT       : X-COORDINATE OF KNOTS
346 C
347 C YC       : =YT
348 C
349 C YMAX     : MAXIMUM Y-COORDINATE OF THE DISPLAY
350 C
351 C YMIN     : MINIMUM Y-COORDINATE OF THE DISPLAY
352 C
353 C YT       : Y-COORDINATE OF KNOTS
354 C
355 C ZC       : =ZT
356 C
357 C ZT       : Z-COORDINATE OF KNOTS
358 C
359 C *****

```


SIGNIFICANCE OF THE LISTS OF PATCH-INDICES

IN LIHIWI[IRY,IRX,1] APPEARS THE NUMBER OF PATCHES IN THE
 SCREEN PATCH IRY,IRX.
 IN LIHIWI[IRY,IRX,2] APPEARS THE RESPECTIVE START VALUE [INDEX]
 FOR THE INDLI-LIST.
 IN INDLI[INDEX] APPEAR THE INDICES OF THE PATCHES.

LIST OF PATCH INDICES	SCREEN PATCH	SCREENSIZE ΔX ΔY	LIST- SIZE	NUMBER OF PATCHES IN THE LIST
-----------------------------	-----------------	-------------------------------------	---------------	----------------------------------

IHQ	1/1	DELTAX DELTAY	200	NIHQ
KWQ	1/4	TEILX TEILY	100	NKWQ
LFQ	1/16	SIGMAX SIGMAY	50	NLFQ
MBQ	1/64	THETAX THETAY	40	NMBQ

THERE IS;
 $DELTAX = ABS[XMAX - XMIN]/11.$
 $DELTAY = ABS[YMAX - YMIN]/11.$
 $TEILX = DELTAX/2.$
 $TEILY = DELTAY/2.$
 $SIGMAX = DELTAX/4.$
 $SIGMAY = DELTAY/4.$
 $THETAX = DELTAX/8.$
 $THETAY = DELTAY/8.$

LISTS OF THE DIVIDED PATCHES:

LIST OF PATCH INDICES	INDICES OF THE TRIANGLES			NUMBER OF PATCHES IN THE LIST	LIST-SIZE
	1. INDEX	2. INDEX	3. INDEX		
ICA	N	N+KEMAX	N+KEMAX+1	NICA	25
LSC	N	N+1	N+KEMAX+1	NLSC	25
MVC	N+1	N+KEMAX+1	N+KEMAX	NMVC	25
NRC	N	N+1	N+KEMAX	NNRC	25

SPECIFICATION OF DIMENSIONING:

IN CASE MORE THAN 1000 KNOTS ARE TO BE OPERATED OR THE NUMBER OF KNOTS PER SURFACE SHOULD BE OTHER THAN 100, THE DIMENSIONING OF FOLLOWING SIZES HAS TO BE CHANGED:

XT,YT,ZT, XC,YC,ZC, IE,KE, INDLI,NPUF.

YOU HAVE TO TAKE NOTICE OF THE FOLLOWING RULES:

IF
XT[ID,KD,LD], YT[ID,KD,LD] AND ZT[ID,KD,LD]

WITH ID = MAX. NUMBER OF KNOTS IN U-DIRECTION
WITH KD = MAX. NUMBER OF KNOTS IN V-DIRECTION
LD = MAX. NUMBER OF SURFACES

THEN

XC[ID*KD*LD], YC[ID*KD*LD] AND ZC[ID*KD*LD]

MOREOVER

INDLI[ID*KD*LD + SECURITY-DISTANCE]

NPUF[2*[ID*KD*LD + SECURITY-DISTANCE]] HAVE TO BE SETUP.

IN THE MAIN PROGRAM DEPENDENT ON THE DIMENSIONING THE FOLLOWING SIZES HAVE TO BE DEFINED:

IE MAX = ID
KE MAX = KD
LE MAX = LD

ALL THE OTHER ARRAYS CAN REMAIN FIRMLY DIMENSIONED.

INDEPENDENT ON THE DIMENSIONING PRIOR TO A FLAVIS-CALL THE FOLLOWING SIZES HAVE TO BE DEFINED IN THE MAIN PROGRAM:

XMIN,XMAX,YMIN,YMAX;
XT,YT,ZT BZW. XC,YC,ZC
IE,KE,LEMAX.

NECESSARY CHANGES FOR THE RUN OF FLAVIS ON OTHER MACHINES
 =====
 THAN C90/40:
 =====

IN FLAVIS:

37 CALL ASSIGN[....

NOT APPLICABLE

38 CALL PUTBIT[....

NOT APPLICABLE

THEREFORE

37 INDLI[IANZ]=IQ

THE STATEMENTS

53 CALL CLEAR

54 CALL SETUP[....

67 CALL GETANZ[....

68 CALL CLEAR

HAVE TO BE REPLACED FOR RESPECTIVE OTHER SYSTEM-DEPENDENT
 DISPLAY-PROGRAMS OR SIMILAR.

THE SUBROUTINE ASSIGN IS NOT APPLICABLE.

IN VIDRAW:

THE STATEMENTS

25 CALL BLIND[....

26 CALL VECTR[....

27 CALL SHOW[0.]

HAVE TO BE SUBSTITUTED FOR RESPECTIVE OTHER SYSTEM-DEPENDENT
 DISPLAY-PROGRAMS OR SIMILAR.

IN INTER:

8 CALL ASSIGN[....

NOT APPLICABLE

9 IHQ[NIHQ]=....

NOT APPLICABLE

THEREFORE

8 IHQ[NIHQ]=INDLI[IANZ]

THE INFLAS SUBROUTINE-PACKAGE [INFLIN,INFLAP,INFAL3,INFLA4]
 HAS TO BE NEWLY WRITTEN FOR EACH MACHINE IN ASSEMBLER.

THE DIMENSIONING INSTRUCTION FOR INDLI IS:

INDLI[4*[ID*KD*LD + SECURITY DISTANCE]]

```

540 C*****
541 C
542 C
543 C      SUBROUTINE FLAVIS
544 C
545 C
546 C*****
547 C
548 C      IN THE 1ST PART OF THE SUBROUTINE FLAVIS THE CONSTANTS ARE
549 C      COMPUTED.
550 C      IN THE 2ND PART THE INDICATION ARRAYS AND THE PATCH INDEX LIST
551 C      ARE BUILT UP.
552 C
553 C      IN THE 3RD PART THE VISIBLE PICTURE ELEMENTS ARE DRAWN.
554 C
555 C      CALL:      CALL FLAVIS
556 C      INPUTPARAMETERS:      -
557 C      OUTPUTPARAMETERS:    -
558 C      COMMON:      DELTAX,DELTAY,DIVIS,EPS,I,IE,IEMAX,IN,INDLI,
559 C                   IOPT1,IOPT2,IOPT3,IQ,K,KE,KEMAX,L,LEMAX,
560 C                   LIHIWI,NANZAL,NPUF,SIGMAX,SIGMAY,TEILX,TEILY,
561 C                   THETAX,THETAY,XMAX,XMIN,YMAX,YMIN
562 C      SUBROUTINES:      MINMAX,ASSIGN,VIDRAW
563 C
564 C*****
565 C      SUBROUTINE FLAVIS
566 C*****
567 C
568 C      DIMENSION XT[10,10,10],YT[10,10,10],ZT[10,10,10],INDLI[1024]
569 C      DIMENSION XC[1000],YC[1000],ZC[1000],IE[10],KE[10]
570 C      DIMENSION NPUF[2048]
571 C      DIMENSION ICA[25],LSC[25],MVC[25],NRC[25]
572 C      DIMENSION LIHIWI[11,11,2],IHQ[200],KWQ[100],MBQ[40],LFQ[50]
573 C*****
574 C      COMMON IN,IM,IKL
575 C      COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS,DIVIS,III,KZZ
576 C      COMMON ICA,LSC,MVC,NRC,I,K,L,NPUF,DELTAX,DELTAY,KWQ,LFQ,MBQ
577 C      COMMON IOPT1,IOPT2,IOPT3,SIGMAX,SIGMAY,TEILX,TEILY,THETAX,THETAY
578 C      COMMON IE,IEMAX,IQ,KE,LEMAX,NANZAL,XMAX,YMAX
579 C*****
580 C      EQUIVALENCE [XT,XC],[YT,YC],[ZT,ZC]
581 C*****
582 C
583 C      RESET LISTS:
584 C
585 C*****RESET LIHIWI-LIST:
586 C
587 C      D0 1000 LD0=1,2
588 C      D0 1000 KD0=1,11
589 C      D0 1000 ID0=1,11
590 C      1000 LIHIWI[ID0,KD0,LD0]=0
591 C
592 C*****RESET INDLI-LIST:
593 C
594 C      D0 2000 ID0=1,1024
595 C
596 C      2000 INDLI[ID0]=0
597 C
598 C
599 C

```

```

600 C*****
601 C*****
602 C
603 C      COMPUTE CONSTANTS FOR NEW SCALATION
604 C
605 C*****
606 C      1 DIFFX=ABS[XMAX-XMIN]
607 C      2 DIFFY=ABS[YMAX-YMIN]
608 C*****
609 C
610 C      NEW SCALATION:
611 C
612 C*****
613 C      3 XMIN=XMIN-DIFFX/500.
614 C      4 XMAX=XMAX+DIFFX/500.
615 C      5 YMIN=YMIN-DIFFY/500.
616 C      6 YMAX=YMAX+DIFFY/500.
617 C*****
618 C
619 C      COMPUTE SCREEN DISTANCES
620 C
621 C*****
622 C      1          SCREEN UNIT
623 C      7 DELTAX=DIFFX/11.
624 C      8 DELTAY=DIFFY/11.
625 C      1/4          SCREEN UNIT
626 C      9 TEILX=DELTAX/2.
627 C     10 TEILY=DELTAY/2.
628 C      1/16          SCREEN UNIT
629 C     11 SIGMAX=DELTAX/4.
630 C     12 SIGMAY=DELTAY/4.
631 C      1/64          SCREEN UNIT
632 C     13 THETAX=DELTAX/8.
633 C     14 THETAY=DELTAY/8.
634 C*****
635 C
636 C      COMPUTE OTHER CONSTANTS:
637 C
638 C*****
639 C     15 DIVIS=[DIFFX+DIFFY]/700.
640 C     16 I0PT1=8
641 C     17 I0PT2=8
642 C     18 I0PT3=16
643 C     19 EPS=0.00001
644 C*****
645 C
646 C      BUILD UP INDICATION LISTS
647 C
648 C*****
649 C     20 D0 52 ISPR=1,2
650 C     21 ISPRU=ISPR-1
651 C
652 C      SET BRANCH PARAMETER
653 C      ISPRU=0 : BUILD UP INDICATION ARRAYS [ 1ST RUN ]
654 C      ISPRU=1 : COMPLETE INDICATION ARRAYS [ 2ND RUN ]
655 C
656 C     22 IQ=0
657 C     23 D0 43 L=1,LEMAX
658 C     24 D0 41 I=1,IE[L]-1
659 C     25 D0 39 K=1,KE[L]-1

```

```

660      26      IQ=IQ+1
661 C*****
662 C      COMPUTATION OF THE MINIMUM AND MAXIMUM X- RESP. Y-VALUES FOR
663 C      EACH PATCH:
664 C
665      27      CALL MINMAX[IQ,XMI,YMI,XMA,YMA]
666 C
667 C      XMI,YMI,XMA,YMA FORM A TRIANGLE, CONTAINING THE PATCH.THE
668 C      VARIABLES IRA,IRE; KRA,KRE ARE COMPUTED OUT OF IT, THEY INDICATE
669 C      OVER WHICH SCREEN PATCHES THE PATCH IS EXTENDED.
670 C
671 C
672      28      IRA=IFIX[(XMI-XMIN)/DELTAX]+1
673      29      IRE=IFIX[(XMA-XMIN)/DELTAX]+1
674      30      KRA=IFIX[(YMI-YMIN)/DELTAY]+1
675      31      KRE=IFIX[(YMA-YMIN)/DELTAY]+1
676 C
677 C
678 C      COMPUTE THE NUMBER OF PATCHES PER SCREEN PATCH
679 C      [IRX,IRY INDICATE THE SCREEN PATCH]:
680 C
681      32      DO 39 IRY=KRA,KRE
682      33      DO 39 IRX=IRA,IRE
683 C
684 C      COMPUTE OVER WHICH SCREEN PATCHES THE PATCH IS EXTENDED AND STORE
685 C      IN LIHIWI[IRY,IRX,1]
686 C
687      34      LIHIWI[IRY,IRX,1]=LIHIWI[IRY,IRX,1]+1
688 C
689 C      BRANCH FOR THE 1ST RESP. 2ND RUN:
690 C
691      35      IF[ISPRU] 36,39,36
692 C
693 C      COMPUTATION OF THE PATCH COUNTER IANZ:
694 C
695      36      IANZ=LIHIWI[IRY,IRX,2]-1+LIHIWI[IRY,IRX,1]
696 C
697 C      COMPUTE THE VALUES FOR THE PROGRAMS PUTBIT AND L0DBIT:
698 C
699      37      CALL ASSIGN[IANZ,IZQ,IMIN,IMAX]
700 C
701 C      WITH THE PROGRAM PUTBIT[INDLI[IZQ],IMIN,IMAX,IQ] THE PATCH INDEX
702 C      IQ IS STORED IN THE CELL INDLI[IZQ] BETWEEN THE BITS IMIN AND
703 C      IMAX.
704 C
705      38      CALL PUTBIT[INDLI[IZQ],IMIN,IMAX,IQ]
706 C
707      39      CONTINUE
708 C
709 C      SKIP THE MEMORY LOCATIONS, WHICH DO NOT CORRESPOND TO THE KNOTS:
710 C
711 C
712      40      IQ=IQ+KEMAX+1-KE[L]
713      41      CONTINUE
714 C
715 C
716 C      SKIP THE MEMORY LOCATIONS, WHICH DO NOT CORRESPOND TO THE KNOTS:
717 C
718      42      IQ=IQ+KEMAX*[IEMAX+1-IE[L]]
719      43      CONTINUE

```

```

720 C
721 C*****
722 C
723 C    COMPLETE THE INDICATION LISTS:
724 C
725 C*****
726 C
727 C    BRUNCH FOR THE 1ST RESP. 2ND RUN:
728 C
729 C    44 IF[ISPRU] 53,45,53
730 C    45 KHV=0
731 C
732 C
733 C    46 DO 52 IRY=1,11
734 C    47 DO 52 IRX=1,11
735 C
736 C    SUM THE NUMBER OF PATCHES IN ALL SCREEN PATCHES AND STORE TO
737 C    LIHIWI[IRY,IRX,2] AND RESET LIHIWI[IRY,IRX,1] FOR THE 2ND RUN:
738 C
739 C    48 IF[LIHIWI[IRY,IRX,1]] 49,52,49
740 C    49 LIHIWI[IRY,IRX,2]=KHV+1
741 C    50 KHV=KHV+LIHIWI[IRY,IRX,1]
742 C    51 LIHIWI[IRY,IRX,1]=0
743 C    52 CONTINUE
744 C*****
745 C
746 C
747 C    DRAWING OF THE VISIBLE PICTURE ELEMENTS:
748 C
749 C*****
750 C    CLEAR DISPLAY:
751 C    53 CALL CLEAR
752 C
753 C    INITIALIZATION OF THE INFLAS SUBROUTINE-PACKAGE, THAT MEANS
754 C    ADDRESS-TRANSFER OF THE XC-,YC-ARRAYS AND THE IN-PARAMETER:
755 C
756 C    CALL INFLIN[XC[1],YC[1],IN]
757 C
758 C    DEFINITION OF DISPLAY-FILE AND SCALATION OF THE DISPLAY:
759 C
760 C    54 CALL SETUP[NPUF[1],XMIN,XMAX,YMIN,YMAX]
761 C
762 C*****DRAW U-LINES WITH VISIBILITY:
763 C
764 C    55 DO 60 L=1,LEMAX
765 C    56 DO 60 K=1,IE[L]
766 C    57 DO 60 I=2,KE[L]
767 C    58 I1=I-1
768 C    CALL VIDRAW[I1,K,I]
769 C    60 CONTINUE
770 C
771 C*****DRAW V-LINES WITH VISIBILITY:
772 C
773 C    61 DO 66 L=1,LEMAX
774 C    62 DO 66 I=1,KE[L]
775 C    63 DO 66 K=2,IE[L]
776 C    64 K1=K-1
777 C    CALL VIDRAW[I,K1,K]
778 C    66 CONTINUE
779 C

```

```

780 C
781 C      ASCERTAIN THE NUMBER OF DISPLAY-FILE CELLS ALREADY FILLED:
782 67 CALL GETANZ[NANZAL]
783 C
784 C      CLEAR DISPLAY:
785 68 CALL CLEAR
786 C
787 C      RETURN TO THE MAIN PROGRAM:
788 69 RETURN
789 C*****
790      END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	61312 DIVIS	61311 III	61310 KZZ
61257 ICA	61226 LSC	61175 MVC	61144 NRC
61143 I	61142 K	61141 L	55141 NPUF
55137 DELTAX	55135 DELTAY	54771 KWQ	54707 LFQ
54637 MBQ	54636 IOPT1	54635 IOPT2	54634 IOPT3
54632 SIGMAX	54630 SIGMAY	54626 TEILX	54624 TEILY
54622 THETAX	54620 THETAY	54606 IE	54605 IEMAX
54604 IQ	54572 KE	54571 LEMAX	54570 NANZAL
54566 XMAX	54564 YMAX	71156 XC	65236 YC
61316 ZC			

PROGRAM ALLOCATION

00022 LD0	00023 KD0	00024 ID0	00025 ISPR
00026 ISPRU	00027 IRA	00030 IRE	00031 KRA
00032 KRE	00033 IRY	00034 IRX	00035 IANZ
00036 IZQ	00037 IMIN	00040 IMAX	00041 KHV
00042 I1	00043 K1	00044 FLAVIS	00046 DIFFX
00050 DIFFY	00052 XMI	00054 YMI	00056 XMA
00060 YMA			

SUBPROGRAMS REQUIRED

ABS	MINMAX	IFIX	ASSIGN	PUTBIT	CLEAR
INFLIN	SETUP	VIDRAW	GETANZ		
HE END					


```

1 C*****
2 C
3 C   SUBROUTINE MINMAX
4 C
5 C
6 C*****
7 C
8 C   THE SUBROUTINE MINMAX COMPUTES THE SMALLEST AND LARGEST X-,Y-
9 C   COORDINATE OF THE PATCH FIXED BY IMM.
10 C
11 C
12 C   CALL:      CALL MINMAX[IMM,XMI,YMI,XMA,YMA]
13 C   INPUTPARAMETERS:      IMM
14 C   OUTPUTPARAMETERS:     XMI,YMI,XMA,YMA
15 C   COMMON:      KEMAX,XC,YC
16 C   SUBROUTINES:      -
17 C
18 C*****
19 C   SUBROUTINE MINMAX[IMM,XMI,YMI,XMA,YMA]
20 C*****
21 C   DIMENSION XT[10,10,10],YT[10,10,10],XC[1000],YC[1000],INDLI[1024]
22 C   DIMENSION IHQ[200],LIHIWI[11,11,2]
23 C*****
24 C   COMMON IN,IM,IKL,XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT
25 C*****
26 C   EQUIVALENCE [XT,XC],[YT,YC]
27 C*****
28 C   1  KM=IMM
29 C   2  KMM=IMM+KEMAX-2
30 C*****STARTING VALUE [INDEX = IMM] :
31 C
32 C   3      XMI=XC[KM]
33 C   4      YMI=YC[KM]
34 C   5      XMA=XMI
35 C   6      YMA=YMI
36 C
37 C*****SEARCH FOR MINIMUM AND MAXIMUM:
38 C
39 C*****N=1: INDEX = IMM+1
40 C*****N=2: INDEX = IMM+KEMAX
41 C*****N=3: INDEX = IMM+KEMAX+1
42 C
43 C
44 C   7  DO 18 N=1,3
45 C   8      KM=KM+N
46 C   9      IF [XC[KM]-XMI] 10,11,11
47 C  10          XMI=XC[KM]
48 C  11      IF [YC[KM]-YMI] 12,13,13
49 C  12          YMI=YC[KM]
50 C  13      IF [XC[KM]-XMA] 15,15,14
51 C  14          XMA=XC[KM]
52 C  15      IF [YC[KM]-YMA] 17,17,16
53 C  16          YMA=YC[KM]
54 C  17      KM=KMM
55 C  18      CONTINUE
56 C*****RETURN TO THE SUBROUTINE ZERLEG RESP. FLAVIS
57 C  23  RETURN
58 C*****
59 C   END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	71156 XC
65236 YC			

PROGRAM ALLOCATION

00016 MINMAX	00017 KM	DUMMY IMM	00020 KMM
00021 N	DUMMY XMI	DUMMY YMI	DUMMY XMA
DUMMY YMA			
THE END			


```

1 C*****
2 C
3 C
4 C      SUBROUTINE ASSIGN
5 C
6 C
7 C*****
8 C
9 C      THE SUBROUTINE ASSIGN COMPUTES FOR THE INDEX OF A PATCH A BIT-
10 C      GROUP DEFINED BY IMIN AND IMAX IN A WORD, DEFINED BY IANZ.
11 C
12 C      CALL:      CALL ASSIGN[IANZ,IZQ,IMIN,IMAX]
13 C      INPUTPARAMETERS:      IANZ
14 C      OUTPUTPARAMETERS:      IZQ,IMIN,IMAX
15 C      COMMON:      -
16 C      SUBROUTINES:      -
17 C
18 C*****
19 C      SUBROUTINE ASSIGN[IANZ,IZQ,IMIN,IMAX]
20 C*****
21 C*****FIX THE WORD
22 C
23 C      1  IZQ=[IANZ+1]/2
24 C
25 C
26 C
27 C*****FIX A BIT GROUP
28 C
29 C      2  IELEMT=MOD[IANZ,2]
30 C      3  IF[IELEMT] 7,4,7
31 C
32 C      4  IMIN=12
33 C      5  IMAX=22
34 C
35 C
36 C*****RETURN TO INTER RESP. FLAVIS
37 C      6  RETURN
38 C
39 C      7  IMIN=1
40 C      8  IMAX=11
41 C
42 C
43 C
44 C*****RETURN TO INTER RESP. FLAVIS
45 C      9  RETURN
46 C*****
47 C      END

```

PROGRAM ALLOCATION

DUMMY IZQ	DUMMY IANZ	00011 IELEMT	DUMMY IMIN
DUMMY IMAX	00012 ASSIGN		

SUBPROGRAMS REQUIRED

MOD
HE END

```

1 C*****
2 C
3 C
4 C      SUBROUTINE VIDRAW
5 C
6 C
7 C*****
8 C
9 C      THE SUBROUTINE VIDRAW TESTS THE KNØT P[XD1,YD1,ZD1] FOR VISIBILI-
10 C      TY. THEN THE LIMIT OF VISIBILITY IS TESTED WITH THE SUBROUTINE
11 C      GREVIS IN U- OR V-DIRECTION. THE DISPLAY-FILE IS ACCORDINGLY
12 C      FILLED AND THE PICTURE IS SHOWN ON THE DISPLAY.
13 C
14 C      CALL:      CALL VIDRAW[I1,K1,IKANF]
15 C      INPUTPARAMETERS:      I1,K1,IKANF
16 C      OUTPUTPARAMETERS:      -
17 C      COMMON:      EPS,I,III,K,KZZ,L,NPUF,XT,YT,ZT
18 C      SUBROUTINES:      VISKRI,GREVIS
19 C
20 C*****
21 C      SUBROUTINE VIDRAW[I1,K1,IKANF]
22 C*****
23 C      DIMENSION XT[10,10,10],YT[10,10,10],ZT[10,10,10],INDLI[1024]
24 C      DIMENSION NPUF[2048]
25 C      DIMENSION ICA[25],LSC[25],MVC[25],NRC[25],LIHIWI[11,11,2],IHQ[200]
26 C*****
27 C      COMMON IN,IM,IKL
28 C      COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS,DIVIS,III,KZZ
29 C      COMMON ICA,LSC,MVC,NRC,I,K,L,NPUF
30 C*****
31 C
32 C*****IF I1 = I-1 AND K1 = K, THE U-LINES ARE TESTED FOR VISIBILITY.
33 C
34 C*****IF I1 = I AND K1 = K-1, THE V-LINES ARE TESTED FOR VISIBILITY.
35 C
36 C*****INITIAL POINT:
37 C      1      XD1=XT[I1,K1,L]
38 C      2      YD1=YT[I1,K1,L]
39 C      3      ZD1=ZT[I1,K1,L]
40 C*****END POINT:
41 C      4      XD2=XT[I,K,L]
42 C      5      YD2=YT[I,K,L]
43 C      6      ZD2=ZT[I,K,L]
44 C      7      XYD2=XD2+YD2
45 C*****THE 1ST POINT IS ONLY TESTED FOR VISIBILITY AT THE BEGINNING
46 C*****OF A U- RESP. V-LINE.
47 C      8 IF[IKANF-2] 9,13,9
48 C      9 IF[IVK] 13,15,21
49 C*****
50 C*****FIRST THE KNØT P[XD1,YD1,ZD1] IS TESTED FOR VISIBILITY.
51 C
52 C*****IVK INDICATES, WHETHER THE KNØT IS VISIBLE OR NOT:
53 C
54 C*****IVK=1: VISIBLE ; IVK=0: INVISIBLE.
55 C
56 C      13 CALL VISKRI[XD1,YD1,ZD1,IVK]
57 C      14 IF[IVK] 15,15,21
58 C
59 C*****

```

```

60 C*****
61 C
62 C*****FIRST POINT INVISIBLE:
63 C*****THE SUBROUTINE GREVIS COMPUTES THE LIMIT OF VISIBILITY.
64 C*****RETURN FROM GREVIS, IF VISIBLE POINT WAS FOUND.
65 C
66     15 CALL GREVIS(-1,IVK,XD1,YD1,ZD1,XD2,YD2,ZD2,XSTR,YSTR,ZSTR)
67 C
68 C*****IF III > 0, THEN RETURN TO SUBROUTINE FLAVIS
69 C
70     16 IF[III] 34,17,34
71 C
72     17     XD1=XSTR
73     18     YD1=YSTR
74     19     ZD1=ZSTR
75 C*****INTERROGATION, WHETHER THE END POINT IS REACHED:
76     20 IF[ABS[XSTR+YSTR-XYD2]-EPS] 34,34,21
77 C
78 C
79 C*****
80 C
81 C*****FIRST POINT VISIBLE:
82 C*****THE SUBROUTINE GREVIS COMPUTES THE LIMIT OF VISIBILITY.
83 C*****RETURN FROM GREVIS, IF INVISIBLE POINT WAS FOUND.
84 C
85     21 CALL GREVIS(0,IVK,XD1,YD1,ZD1,XD2,YD2,ZD2,XSTR,YSTR,ZSTR)
86 C
87 C*****IF III > 0, THEN RETURN TO SUBROUTINE FLAVIS
88 C
89 C
90     22 IF[III] 34,23,34
91 C
92     23 IF[KZZ-1] 30,24,24
93 C
94 C*****INTERROGATION, WHETHER INITIAL POINT AND LAST POINT FOUND ARE
95 C     IN THE EPS-CRITERION.
96     24 IF[ABS[XD1+YD1-XSTR1-YSTR1]-EPS] 26,26,25
97 C*****FILLING OF THE DISPLAY-FILE:
98 C
99     25     CALL BLIND[XD1,YD1]
100    26     CALL VECTR[XSTR,YSTR]
101    27     CALL SHOW[0.]
102 C
103 C*****
104 C
105     28 XSTR1=XSTR
106     29 YSTR1=YSTR
107 C
108     30     XD1=XSTR
109     31     YD1=YSTR
110     32     ZD1=ZSTR
111 C*****INTERROGATION, WHETHER THE END POINT IS REACHED:
112     33 IF[ABS[XSTR+YSTR-XYD2]-EPS] 34,34,15
113 C
114 C*****
115 C*****RETURN TO FLAVIS
116 C
117     34 RETURN
118     END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHG	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	61312 DIVIS	61311 III	61310 KZZ
61257 ICA	61226 LSC	61175 MVC	61144 NRC
61143 I	61142 K	61141 L	55141 NPUF

PROGRAM ALLOCATION

DUMMY I1	DUMMY K1	DUMMY IKANF	00016 IVK
00017 VIDRAW	00021 XD1	00023 YD1	00025 ZD1
00027 XD2	00031 YD2	00033 ZD2	00035 XYD2
00037 XSTR	00041 YSTR	00043 ZSTR	00045 XSTR1
00047 YSTR1			

SUBPROGRAMS REQUIRED

VISKRI	GREVIS	ABS	BLIND	VECTR	SHOW
--------	--------	-----	-------	-------	------

THE END

```

1 C*****C
2 C
3 C
4 C      SUBROUTINE GREVIS
5 C
6 C
7 C*****C
8 C
9 C      THE SUBROUTINE GREVIS COMPUTES THE LIMIT OF THE VISIBILITY.
10 C      THERE ARE:
11 C      XD1,YD1,ZD1 = X-,Y-,Z-COORDINATES OF THE 1ST POINT
12 C      XD2,YD2,ZD2 = X-,Y-,Z-COORDINATES OF THE 2ND POINT
13 C      XSTR,YSTR,ZSTR = X-,Y-,Z-COORDINATES OF THE LIMIT OF VISIBILITY
14 C
15 C      CALL:CALL GREVIS[IWAHL,IVK,XD1,YD1,ZD1,XD2,YD2,ZD2,XSTR,YSTR,ZSTR]
16 C      INPUTPARAMETERS:      IWAHL,XD1,YD1,ZD1,XD2,YD2,ZD2
17 C      OUTPUTPARAMETERS:     XSTR,YSTR,ZSTR,IVK
18 C      COMMON:                DIVIS,EPS,III,KZZ
19 C      SUBROUTINES:           VISKRI
20 C
21 C*****C
22 C      SUBROUTINE GREVIS[IWAHL,IVK,XD1,YD1,ZD1,XD2,YD2,ZD2,XSTR,YSTR,ZSTR
23 C      1]
24 C*****C
25 C      DIMENSION XT[10,10,10],YT[10,10,10],ZT[10,10,10],INDLI[1024]
26 C      DIMENSION LIHIWI[11,11,2],IHQ[200]
27 C*****C
28 C      COMMON IN,IM,IKL
29 C      COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS,DIVIS,III,KZZ
30 C*****C
31 C      1 III=0
32 C      2 KZZ=0
33 C*****C09.-DIFFERENCE OF THE 2 POINTS:
34 C      3 XD=XD2-XD1
35 C      4 YD=YD2-YD1
36 C      5 ZD=ZD2-ZD1
37 C      6 XABS=ABS[XD]
38 C      7 YABS=ABS[YD]
39 C      8 BETRAG=XABS+YABS
40 C      9 IF[BETRAG-EPS] 10,10,12
41 C
42 C*****III=1 MEANS THAT THE TWO KNOTS ARE WITHIN AN EPS-CRITERION, I.E.
43 C*****XD=XD2-XD1=YD=YD2-YD1=0
44 C      10 III=1
45 C      IVK=-1
46 C
47 C
48 C*****RETURN TO SUBROUTINE VIDRAW
49 C      11 RETURN
50 C*****C
51 C
52 C      12 MBET=IFIX[BETRAG/DIVIS]
53 C
54 C*****IF MBET < 1, MBET = 1 IS SET.
55 C
56 C      13 IF[MBET-1] 14,15,15
57 C      14 MBET=1
58 C
59 C      15 BET=FLOAT[MBET]

```

```

60 C*****BRANCH, WHETHER X-COORD. IS VARIED AND Y- AND Z-COORD. ARE
61 C*****COMPUTED OR WHETHER Y-COORD. IS VARIED AND X- AND Z-COORD.
62 C*****ARE COMPUTED:
63 17 IF[XABS-YABS] 18,18,30
64 C
65 C*****
66 C IVK CAN ONLY BE 0 [TEST POINT INVISIBLE] OR 1 [TEST POINT VISIBLE]
67 C
68 C IWAHL = -1; 1ST POINT INVISIBLE, RETURN, IF VISIBLE POINT WAS
69 C FOUND: IVK+IWAHL = 0 .
70 C
71 C IWAHL = 0; 1ST POINT VISIBLE, RETURN, IF INVISIBLE POINT WAS
72 C FOUND: IVK+IWAHL = 0 .
73 C*****
74 C*****Y-COORD. IS VARIED AND X- AND Z-COORD. ARE COMPUTED
75 C XABS=ABS[XD2-XD1]=0, I.E. XD2-XD1=XD=0
76 C
77 18 XYD=XD/YD
78 ZYD=ZD/YD
79 YBET=YD/BET
80 YSTR=YD1
81 19 YSTR=YSTR+YBET
82 20 XSTR=[YSTR-YD1]*XYD+XD1
83 21 ZSTR=[YSTR-YD1]*ZYD+ZD1
84 22 CALL VISKRI[XSTR,YSTR,ZSTR,IVK]
85 C*****UP TO MBET LOOPS
86 C*****RETURN TO SUBROUTINE VIDRAW, IF THE 1ST POINT IS VISIBLE AND
87 C AN INVISIBLE POINT WAS FOUND OR IF THE 1ST POINT WAS INVISIBLE
88 C AND A VISIBLE POINT WAS FOUND.
89 23 IF[IVK+IWAHL] 26,44,26
90 26 KZZ=KZZ+1
91 27 IF[KZZ-MBET] 19,44,44
92 C
93 C*****
94 C*****X-COORD. IS VARIED AND Y- AND Z-COORD. ARE COMPUTED
95 C YABS=ABS[YD2-YD1]=0, I.E. YD2-YD1=YD=0
96 C
97 30 YXD=YD/XD
98 ZXD=ZD/XD
99 XBET=XD/BET
100 XSTR=XD1
101 31 XSTR=XSTR+XBET
102 32 YSTR=[XSTR-XD1]*YXD+YD1
103 33 ZSTR=[XSTR-XD1]*ZXD+ZD1
104 35 CALL VISKRI[XSTR,YSTR,ZSTR,IVK]
105 C*****UP TO MBET LOOPS
106 C*****RETURN TO SUBROUTINE VIDRAW, IF THE 1ST POINT IS VISIBLE AND
107 C AN INVISIBLE POINT WAS FOUND OR IF THE 1ST POINT WAS INVISIBLE
108 C AND A VISIBLE POINT WAS FOUND.
109 36 IF[IVK+IWAHL] 39,44,39
110 39 KZZ=KZZ+1
111 40 IF[KZZ-MBET] 31,44,44
112 C
113 C*****
114 C
115 C*****RETURN TO SUBROUTINE VIDRAW
116 C
117 44 RETURN
118 C*****
119 END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	61312 DIVIS	61311 III	61310 KZZ

PROGRAM ALLOCATION

DUMMY IVK	00034 MBET	DUMMY IWAHL	00035 GREVIS
00037 XD	DUMMY XD2	DUMMY XD1	00041 YD
DUMMY YD2	DUMMY YD1	00043 ZD	DUMMY ZD2
DUMMY ZD1	00045 XABS	00047 YABS	00051 BETRAG
00053 BET	00055 XYD	00057 ZYD	00061 YBET
DUMMY YSTR	DUMMY XSTR	DUMMY ZSTR	00063 YXD
00065 ZXD	00067 XBET		

SUBPROGRAMS REQUIRED

ABS	IFIX	FLBAT	VISKRI
THE END			


```

1 C*****C
2 C
3 C
4 C      SUBROUTINE VISKRI
5 C
6 C
7 C*****C
8 C
9 C      THE SUBROUTINE VISKRI TESTS WHETHER THE TEST POINT P(A,B,C)
10 C      IS VISIBLE OR INVISIBLE. A,B,C ARE THE X-,Y-,Z-COORDINATES
11 C      OF THE TESTPOINT.
12 C
13 C      CALL:      CALL VISKRI(A,B,C,IVK)
14 C      INPUTPARAMETERS:      A,B,C
15 C      OUTPUTPARAMETERS:      IVK
16 C      COMMON:      DELTAX,DELTAY,ICA,IHQ,I0PT1,I0PT2,I0PT3,
17 C                  KEMAX,KWQ,LFQ,LSC,MBQ,MVC,NRC,SIGMAX,SIGMAY,
18 C                  TEILX,TEILY,THETAX,THETAY,XMIN,YMIN
19 C      SUBROUTINES:      INTER,ZERLEG,SEARCH,DIF
20 C
21 C*****C
22 C      SUBROUTINE VISKRI(A,B,C,IVK)
23 C*****C
24 C      DIMENSION XT(10,10,10),YT(10,10,10),ZT(10,10,10),INDLI(1024)
25 C      DIMENSION NPUF(2048)
26 C      DIMENSION ICA(25),LSC(25),MVC(25),NRC(25)
27 C      DIMENSION LIHIWI(11,11,2),IHQ(200),KWQ(100),MBQ(40),LFQ(50)
28 C*****C
29 C      COMMON IN,IM,IKL
30 C      COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS,DIVIS,III,KZZ
31 C      COMMON ICA,LSC,MVC,NRC,I,K,L,NPUF,DELTAX,DELTAY,KWQ,LFQ,MBQ
32 C      COMMON I0PT1,I0PT2,I0PT3,SIGMAX,SIGMAY,TEILX,TEILY,THETAX,THETAY
33 C*****C
34 C      AX=A-XMIN
35 C      BY=B-YMIN
36 C*****COMPUTE THE SCREEN PATCH
37 C      1 IRX=IFIX[AX/DELTAX]+1
38 C      2 IRY=IFIX[BY/DELTAY]+1
39 C*****COMPUTE 1/4 OF THE SCREEN PATCH
40 C      3 KDX=IFIX[AX/TEILX]+1
41 C      4 KDY=IFIX[BY/TEILY]+1
42 C*****COMPUTE 1/16 OF THE SCREEN PATCH
43 C      5 LPX=IFIX[AX/SIGMAX]+1
44 C      6 LPY=IFIX[BY/SIGMAY]+1
45 C*****COMPUTE 1/64 OF THE SCREEN PATCH
46 C      7 MGX=IFIX[AX/THETAX]+1
47 C      8 MGY=IFIX[BY/THETAY]+1
48 C
49 C*****INTERROGATION, WHETHER THE NEW TEST POINT HAS MOVED OUT OF THE
50 C      PREVIOUS TEST REGION:
51 C
52 C      9      IF[IRX-IRXA] 17,10,17
53 C      10     IF[IRY-IRYA] 17,11,17
54 C      11     IF[KDX-KDXA] 18,12,18
55 C      12     IF[KDY-KDYA] 18,13,18
56 C      13     IF[LPX-LPXA] 20,14,20
57 C      14     IF[LPY-LPYA] 20,15,20
58 C      15     IF[MGX-MGXA] 22,16,22
59 C      16     IF[MGY-MGYA] 22,43,22

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60 C
61 C*****COMPUTE THE PATCH IN THE SCREEN PATCH FOUND:
62 C
63     17 CALL INTER[IRY,IRX,NIHQ]
64     18     IF[NIHQ-I0PT1] 25,25,19
65 C
66 C*****DIVISION OF THE SCREEN PATCH TO 1/4 :
67 C
68     19 CALL ZERLEG[NIHQ,IHQ,NKWQ,KWQ,TEILX,TEILY,KDX,KDY]
69     20     IF[NKWQ-I0PT2] 29,29,21
70 C
71 C*****DIVISION OF THE SCREEN PATCH TO 1/16 :
72 C
73     21 CALL ZERLEG[NKWQ,KWQ,NLFQ,LFQ,SIGMAX,SIGMAY,LPX,LPY]
74     22     IF[NLFQ-I0PT3] 35,35,23
75 C
76 C*****DIVISION OF THE SCREEN PATCH TO 1/64 :
77 C
78     23 CALL ZERLEG[NLFQ,LFQ,NMBQ,MBQ,THETAX,THETAY,MGX,MGY]
79     24     GO TO 43
80 C
81 C*****CHOOSE THE PATCHES, CONTAINING THE POINT THAT HAS TO BE TESTED.
82 C
83 C
84 C*****OUT OF A COMPLETE SCREEN PATCH:
85 C
86     25 CALL SEARCH[NIHQ,IHQ,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]
87     26 GO TO 50
88 C
89 C*****OUT OF A 1/4 OF THE SCREEN PATCH:
90 C
91     29 CALL SEARCH[NKWQ,KWQ,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]
92     30 GO TO 48
93 C
94 C*****OUT OF A 1/16 OF THE SCREEN PATCH:
95 C
96     35 CALL SEARCH[NLFQ,LFQ,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]
97     36 GO TO 46
98 C
99 C*****OUT OF A 1/64 OF THE SCREEN PATCH:
100 C
101     43 CALL SEARCH[NMBQ,MBQ,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]
102 C
103     44     MGXA=MGX
104     45     MGYA=MGY
105     46     LPXA=LPX
106     47     LPYA=LPY
107     48     KDXA=KDX
108     49     KDYA=KDY
109     50     IRXA=IRX
110     51     IRYA=IRY
111 C
112 C*****ISPRU = -1: NO COVERING POSSIBLE
113 C*****ISPRU = 0: TOTAL COVERING
114 C*****ISPRU = 1: MORE DETAILED TESTING NECESSARY
115 C
116 C
117     IF[ISPRU] 94,511,513
118     511 IVK=0
119     RETURN

```

```

120 C*****EXCLUDE CONCAVE PATCHES:
121 C
122 513 IF[SENSESWITCH 2] 514,52
123 514 IVK=1
124 GOT0 53
125 C
126 C
127 52 IVK=2
128 C*****
129 C*****INTERROGATION, WHETHER ADDITIONAL PATCHES COVER THE POINT P[A,B,C]
130 C THAT HAS TO BE TESTED:
131 53 IF[NICA] 63,63,54
132 C*****THE TRIANGLES WITH THE NUMBER NICA, THE INDICES OF WHICH ARE
133 C STORED IN THE ARRAY ICA, ARE TESTED WHETHER THEY COVER THE
134 C TESTPOINT. A TRIANGLE COVERS P[A,B,C], IF DIFF < 0.
135 C
136 C
137 54 D0 62 MP=1,NICA
138 55 I1=ICA[MP]
139 56 I2=I1+KEMAX
140 57 I3=I2+1
141 58 CALL DIF[I1,I2,I3,DIFF,A,B,C]
142 59 IF[DIFF] 60,62,62
143 C*****POINT INVISIBLE
144 60 IVK=IVK-1
145 C*****IF IVK=0, THEN RETURN TO SUBROUTINE GREVIS RESP. VIDRAW
146 61 IF[IVK] 95,95,62
147 62 CONTINUE
148 C
149 C
150 C
151 C
152 C*****
153 C*****INTERROGATION, WHETHER ADDITIONAL PATCHES COVER THE POINT P[A,B,C]
154 C THAT HAS TO BE TESTED:
155 63 IF[NLSC] 73,73,64
156 C*****THE TRIANGLES WITH THE NUMBER NLSC, THE INDICES OF WHICH ARE
157 C STORED IN THE ARRAY LSC, ARE TESTED WHETHER THEY COVER THE
158 C TESTPOINT. A TRIANGLE COVERS P[A,B,C], IF DIFF < 0.
159 C
160 C
161 64 D0 72 MP=1,NLSC
162 65 I1=LSC[MP]
163 66 I2=I1+1
164 67 I3=I2+KEMAX
165 68 CALL DIF[I1,I2,I3,DIFF,A,B,C]
166 69 IF[DIFF] 70,72,72
167 C*****POINT INVISIBLE
168 70 IVK=IVK-1
169 C*****IF IVK=0, THEN RETURN TO SUBROUTINE GREVIS RESP. VIDRAW
170 71 IF[IVK] 95,95,72
171 72 CONTINUE
172 C
173 C
174 C
175 C
176 C
177 C
178 C
179 C

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180 C*****
181 C*****INTERROGATION, WHETHER ADDITIONAL PATCHES COVER THE POINT P[A,B,C]
182 C    THAT HAS TO BE TESTED:
183     73     IF[NMVC] 84,84,74
184 C*****THE TRIANGLES WITH THE NUMBER NMVC, THE INDICES OF WHICH ARE
185 C    STORED IN THE ARRAY MVC, ARE TESTED WHETHER THEY COVER THE
186 C    TESTPOINT. A TRIANGLE COVERS P[A,B,C], IF DIFF < 0.
187 C
188 C
189     74 DO 83 MP=1,NMVC
190     75 IO=MVC[MP]
191     76 I1=IO+1
192     77 I2=IO+KEMAX
193     78 I3=I2+1
194     79 CALL DIF[I1,I2,I3,DIFF,A,B,C]
195     80     IF[DIFF] 81,83,83
196 C*****POINT INVISIBLE
197     81     IVK=IVK-1
198 C*****IF IVK=0, THEN RETURN TO SUBROUTINE GREVIS RESP. VIDRAW
199     82     IF[IVK] 95,95,83
200     83 CONTINUE
201 C
202 C
203 C
204 C
205 C
206 C
207 C
208 C
209 C*****
210 C*****INTERROGATION, WHETHER ADDITIONAL PATCHES COVER THE POINT P[A,B,C]
211 C    THAT HAS TO BE TESTED:
212     84     IF[NNRC] 94,94,85
213 C*****THE TRIANGLES WITH THE NUMBER NNRC, THE INDICES OF WHICH ARE
214 C    STORED IN THE ARRAY NRC, ARE TESTED WHETHER THEY COVER THE
215 C    TESTPOINT. A TRIANGLE COVERS P[A,B,C], IF DIFF < 0.
216 C
217 C
218     85 DO 93 MP=1,NNRC
219     86 I1=NRC[MP]
220     87 I2=I1+1
221     88 I3=I1+KEMAX
222     89 CALL DIF[I1,I2,I3,DIFF,A,B,C]
223     90     IF[DIFF] 91,93,93
224 C*****POINT INVISIBLE
225 C*****IF IVK=0, THEN RETURN TO SUBROUTINE GREVIS RESP. VIDRAW
226     91     IVK=IVK-1
227     92     IF[IVK] 95,95,93
228     93 CONTINUE
229 C
230 C
231 C*****
232 C
233 C*****POINT VISIBLE
234     94     IVK=1
235 C
236 C*****RETURN TO SUBROUTINE GREVIS RESP. VIDRAW
237     95 RETURN
238 C*****C
239     END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	61312 DIVIS	61311 III	61310 KZZ
61257 ICA	61226 LSC	61175 MVC	61144 NRC
61143 I	61142 K	61141 L	55141 NPUF
55137 DELTAX	55135 DELTAY	54771 KWQ	54707 LFQ
54637 MBQ	54636 IOPT1	54635 IOPT2	54634 IOPT3
54632 SIGMAX	54630 SIGMAY	54626 TEILX	54624 TEILY
54622 THETAX	54620 THETAY		

PROGRAM ALLOCATION

00017 IRX	00020 IRY	00021 KDX	00022 KDY
00023 LPX	00024 LPY	00025 MGX	00026 MGY
00027 IRXA	00030 IRYA	00031 KDXA	00032 KDYA
00033 LPXA	00034 LPYA	00035 MGXA	00036 MGYA
00037 NIHQ	00040 NKWQ	00041 NLFQ	00042 NMBQ
00043 NICA	00044 NLSC	00045 NMVC	00046 NNRC
00047 ISPRU	DUMMY IVK	00050 MP	00051 I1
00052 I2	00053 I3	00054 IO	00055 VISKRI
00057 AX	DUMMY A	00061 BY	DUMMY B
DUMMY C	00063 DIFF		

SUBPROGRAMS REQUIRED

IFIX	INTER	ZERLEG	SEARCH	DIF
THE END				

```

1 C*****
2 C
3 C
4 C      SUBROUTINE DIF
5 C
6 C
7 C*****
8 C
9 C      THE SUBROUTINE DIF COMPUTES OF THE EQUATION OF PLANES, THAT IS
10 C      SPANNED BY THE TRIANGLE XF1,YF1,ZF1; XF2,YF2,ZF2; XF3,YF3,ZF3,
11 C      THE Z-COORDINATE ZV AND COMPARES IT WITH C, THE Z-COORDINATE OF
12 C      THE TEST POINT. THE TEST POINT P(A,B,C) IS VISIBLE, IF OF THE
13 C      Z-COORDINATES OF THE TRIANGLE CONTAINING THE TEST POINT, ONLY
14 C      ONE IS LARGER THAN C. BEFORE THIS COMPUTATION IS MADE, THE
15 C      TRIVIAL CASES:
16 C      1) ALL Z-COOR. OF THE TRIANGLE ARE LARGER THAN C (POINT INVISIBLE)
17 C      2) ALL Z-COOR. OF THE TRIANGLE ARE SMALLER THAN C (POINT VISIBLE)
18 C      ARE TESTED AND EVALUATED.
19 C
20 C      CALL:      CALL DIF(I1,I2,I3,DIFF,A,B,C)
21 C      INPUTPARAMETERS:      I1,I2,I3,A,B,C
22 C      OUTPUTPARAMETERS:      DIFF
23 C      COMMON:      EPS,XC,YC,ZC
24 C      SUBROUTINES:      ERROR
25 C
26 C*****
27 C      SUBROUTINE DIF (I1,I2,I3,DIFF,A,B,C)
28 C*****
29 C      DIMENSION XT(10,10,10),YT(10,10,10),ZT(10,10,10),INDLI(1024)
30 C      DIMENSION XC(1000),YC(1000),ZC(1000),IHQ(200),LIHIWI(11,11,2)
31 C*****
32 C      COMMON IN,IM,IKL
33 C      COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS
34 C*****
35 C      EQUIVALENCE (XT,XC),(YT,YC),(ZT,ZC)
36 C*****
37 C
38 C*****INTERROGATION, WHETHER ALL ZC<C OR ALL ZC>C:
39 C
40 C
41 C*****THE TESTPOINT IS VISIBLE, IF ALL ZC<C.
42 C
43 C*****THE TESTPOINT IS INVISIBLE, IF ALL ZC>C.
44 C
45 C      IF[C-ZC[I1]+EPS] 4,1,1
46 C      1 IF[C-ZC[I2]+EPS] 101,2,2
47 C      2 IF[C-ZC[I3]+EPS] 101,3,3
48 C
49 C
50 C*****TEST POINT IS VISIBLE.
51 C
52 C      3 DIFF=+10.
53 C
54 C*****RETURN TO VISKRI.
55 C
56 C      RETURN
57 C
58 C
59 C*****

```

```

60      4  IF[C-ZC[I2]+EPS] 5,101,101
61      5  IF[C-ZC[I3]+EPS] 6,101,101
62  C
63  C*****TEST POINT IS INVISIBLE.
64  C
65      6  DIFF=-10.
66  C
67  C*****RETURN TO VISKRI.
68      RETURN
69  C
70  C*****
71  C
72  C*****TEST POINT HAS TO BE TESTED MORE PRECISELY;
73  C
74  C
75  C*****STORE CORNER COORDINATES:
76  C
77      101  XF1=XC[I1]
78      102  YF1=YC[I1]
79      103  ZF1=ZC[I1]
80  C
81  C*****
82  C
83  C      TO AVOID ROUNDING ERRORS, IN EACH COORDINATE DIFFERENCE IS
84  C      INTERROGATED, WHETHER IT HAS ALREADY REACHED THE SIZE OF EPS.
85  C      IF THAT IS THE CASE, THE DIFFERENCE IS SET TO 0.
86  C      [ SUBROUTINE ERROR ]
87  C
88  C*****
89  C
90  C*****COMPUTATION OF INTERMEDIATE RESULTS:
91  C
92      XX1=XC[I2]-XF1
93  C
94      CALL ERROR[XX1,EPS]
95  C
96      XX2=XC[I3]-XF1
97  C
98      CALL ERROR[XX2,EPS]
99  C
100     YY1=YC[I2]-YF1
101  C
102     CALL ERROR[YY1,EPS]
103  C
104     YY2=YC[I3]-YF1
105  C
106     CALL ERROR[YY2,EPS]
107  C
108     ZZ1=ZC[I2]-ZF1
109  C
110     CALL ERROR[ZZ1,EPS]
111  C
112     ZZ2=ZC[I3]-ZF1
113  C
114     CALL ERROR[ZZ2,EPS]
115  C
116  C
117  C
118  C
119  C

```

```

120 C*****
121 C
122 C   THE SIZE DIVID GIVES INFORMATION ABOUT THE POSITION OF THE 3
123 C   CORNERS P1[XF1,YF1,ZF1], P2[XF2,YF2,ZF2], P3[XF3,YF3,ZF3]
124 C   OF THE TRIANGLE.
125 C
126 C   DIVID = 0 MEANS:
127 C       1. P1 = P2
128 C   OR       2. P1 = P3
129 C   OR       3. P1,P2, AND P3 LIE ON A LINE.
130 C
131 C   IF ONE OF THE 3 CASES OCCURED, THE EQUATION OF PLANES IS NO
132 C   LONGER UNIQUELY DEFINED [PLANE IS DEGENERATED INTO A LINE].
133 C   IN THIS CASE DIFF > 0 [VISIBLE] IS SET.
134 C
135 C*****
136 C
137 C
138 C   DIVID=XX1*YY2-XX2*YY1
139 C
140 C
141 C
142 C*****INTERROGATION, WHETHER DIVID = 0:
143 C
144 C
145 C   IF [ABS(DIVID)-EPS] 3,3,116
146 C
147 C
148 C
149 C
150 C
151 C
152 C
153 C*****SOLUTION OF THE EQUATION OF PLANES:
154 C
155 C   116   ZV=ZF1+[[B-YF1]*[XX1*ZZ2-XX2*ZZ1]-[A-XF1]*[YY1*ZZ2-YY2*ZZ1]]
156 C       1   /DIVID
157 C
158 C
159 C
160 C
161 C
162 C
163 C
164 C*****A PLANE COVERS THE TEST POINT P[A,B,C], IF DIFF<0.
165 C
166 C   117   DIFF=C-ZV+EPS
167 C
168 C
169 C
170 C
171 C
172 C
173 C
174 C*****RETURN TO THE SUBROUTINE VISKRI
175 C
176 C   118   RETURN
177 C*****
178 C   END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHG	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	71156 XC	65236 YC	61316 ZC

PROGRAM ALLOCATION

DUMMY I1	DUMMY I2	DUMMY I3	00036 DIF
DUMMY C	DUMMY DIFF	00040 XF1	00042 YF1
00044 ZF1	00046 XX1	00050 XX2	00052 YY1
00054 YY2	00056 ZZ1	00060 ZZ2	00062 DIVID
00064 ZV	DUMMY B	DUMMY A	

SUBPROGRAMS REQUIRED

ERROR	ABS
THE END	


```

1 C*****
2 C
3 C
4 C      SUBROUTINE ERROR
5 C
6 C
7 C*****
8 C
9 C      THE SUBROUTINE ERROR COMPUTES, WHETHER A SIZE VAL IS ABSOLUTELY
10 C      SMALLER THAN EPS. IF THAT IS THE CASE VAL =0 IS SET.
11 C
12 C
13 C      CALL:      CALL ERROR[VAL,EPS]
14 C      INPUTPARAMETERS:      VAL,EPS
15 C      OUTPUTPARAMETERS:      VAL
16 C      COMMON:      -
17 C      SUBROUTINES:      -
18 C
19 C*****
20 C      SUBROUTINE ERROR[VAL,EPS]
21 C*****
22 C
23 C      IF [ABS[VAL]-EPS] 1,1,2
24 C      1 VAL=0.
25 C
26 C
27 C      2 RETURN
28 C*****RETURN TO DIF
29 C*****
30 C      END

```

PROGRAM ALLOCATION

00005 ERROR DUMMY VAL DUMMY EPS

SUBPROGRAMS REQUIRED

ABS
THE END

```

1 C*****
2 C
3 C
4 C   SUBROUTINE INTER
5 C
6 C
7 C*****
8 C
9 C   THE SUBROUTINE INTER COMPUTES THE PATCHES IN A SCREEN PATCH,
10 C   THAT IS FIXED BY THE INPUTPARAMETERS IRX,IRY, THE OUTPUTPARA-
11 C   METER NIHQ INDICATES THE NUMBER OF PATCHES SEARCHED, THE INDICES
12 C   OF WHICH ARE COLLECTED IN THE ARRAY IHQ.
13 C
14 C
15 C   CALL:      CALL INTER[IRY,IRX,NIHQ]
16 C   INPUTPARAMETERS:      IRY,IRX
17 C   OUTPUTPARAMETERS:      NIHQ
18 C   COMMON:      LIHIWI,INDLI,IHQ
19 C   SUBROUTINES:      ASSIGN
20 C
21 C*****
22 C   SUBROUTINE INTER[IRY,IRX,NIHQ]
23 C*****
24 C   DIMENSION IHQ[200],INDLI[1024],LIHIWI[11,11,2]
25 C*****
26 C   COMMON IN,IM,IKL,XMIN,YMIN,IHQ,INDLI,LIHIWI
27 C*****
28 C
29 C   1  NIHQ=0
30 C
31 C*****INDICATION ARRAY:
32 C
33 C   2  LI1=LIHIWI[IRY,IRX,1]
34 C   3  IF[LI1] 4,11,4
35 C
36 C*****START VALUE FOR EACH SCREEN PATCH:
37 C
38 C   4  LI2=LIHIWI[IRY,IRX,2]
39 C
40 C   5  DO 10 IL=1,LI1
41 C*****COMPUTATION OF THE PATCH-COUNTER IANZ:
42 C
43 C   6  IANZ=LI2+NIHQ
44 C   7  NIHQ=NIHQ+1
45 C
46 C   8  CALL ASSIGN[IANZ,IZQ,IMIN,IMAX]
47 C
48 C*****L0DBIT LOADS INTO THE CELL IHQ[NIHQ] THE INDEX, WHICH IS IN THE
49 C   CELL INDLI[IZQ] OF THE INDEX ARRAY BETWEEN BITS IMIN AND IMAX
50 C
51 C   9  IHQ[NIHQ]=L0DBIT[INDLI[IZQ],IMIN,IMAX]
52 C
53 C   10 CONTINUE
54 C
55 C
56 C*****RETURN TO THE SUBROUTINE VISKRI
57 C   11 RETURN
58 C*****
59 C   END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI

PROGRAM ALLOCATION

00012 INTER	DUMMY NIHQ	00013 LI1	DUMMY IRY
DUMMY IRX	00014 LI2	00015 IL	00016 IANZ
00017 IZQ	00020 IMIN	00021 IMAX	

SUBPROGRAMS REQUIRED

ASSIGN L0DBIT
THE END

```

1 C*****
2 C
3 C
4 C      SUBROUTINE ZERLEG
5 C
6 C
7 C*****
8 C
9 C      THE SUBROUTINE ZERLEG COMPUTES THE NUMBER MAR AND THE INDICES
10 C      ICA OF THE PATCHES, LYING IN THE SCREEN PART THAT IS CREATED BY
11 C      THE DIVISION. MET IS THE NUMBER AND IZE ARE THE INDICES OF THE
12 C      PATCHES, LYING IN THE DIVIDED SCREEN PATCH. CAPPAX,CAPPAY INDICATE
13 C      THE BREADTHS AND K VX,K VY INDICATE THE POSITION OF THE SCREEN
14 C      PART CREATED BY THE DIVISION.
15 C
16 C
17 C      CALL:      CALL ZERLEG(MET,IZE,MAR,IZA,CAPPAX,CAPPAY,K VX,K VY)
18 C      INPUTPARAMETERS:      MET,IZE,CAPPAX,CAPPAY,K VX,K VY
19 C      OUTPUTPARAMETERS:      MAR,IZA
20 C      COMMON:      XMIN,YMIN
21 C      SUBROUTINES:      MINMAX
22 C
23 C*****
24 C      SUBROUTINE ZERLEG(MET,IZE,MAR,IZA,CAPPAX,CAPPAY,K VX,K VY)
25 C*****
26 C      DIMENSION IZE(1),IZA(1)
27 C*****
28 C      COMMON IN,IM,IKL,XMIN,YMIN
29 C*****
30 C      1  MAR=0
31 C      2  DO 14 MP=1,MET
32 C*****COMPUTATION OF THE MINIMUM AND MAXIMUM VALUES OF EACH PATCH IN
33 C      X- RESP. Y-DIRECTION:
34 C
35 C      3  CALL MINMAX(IZE(MP),XMI,YMI,XMA,YMA)
36 C      4  IRA=IFIX([XMI-XMIN]/CAPPAX)+1-K VX
37 C      5  IRE=IFIX([XMA-XMIN]/CAPPAX)+1-K VX
38 C      6  KRA=IFIX([YMI-YMIN]/CAPPAY)+1-K VY
39 C      7  KRE=IFIX([YMA-YMIN]/CAPPAY)+1-K VY
40 C*****IF IRA>K VX OR IRE<K VX THE PATCH CAN HAVE NO POINT QUANTITIES
41 C      IN THE SCREEN PART K VX, K VY.
42 C
43 C      8  IF[IRA] 9,9,14
44 C      9  IF[IRE] 14,10,10
45 C*****IF KRA>K VX OR KRE<K VX THE PATCH CAN HAVE NO POINT QUANTITIES
46 C      IN THE SCREEN PART K VX, K VY.
47 C
48 C      10 IF[KRA] 11,11,14
49 C      11 IF[KRE] 14,12,12
50 C*****NEXT PATCH:
51 C
52 C      12 MAR=MAR+1
53 C*****INDEX OF THE PATCH OUT OF THE ARRAY IZE --> IZA:
54 C      13 IZA(MAR)=IZE(MP)
55 C      14 CONTINUE
56 C*****RETURN TO THE SUBROUTINE VISKRI
57 C      15 RETURN
58 C*****
59 C      END

```

COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN			

PROGRAM ALLOCATION

DUMMY IZE	DUMMY IZA	DUMMY MAR	00024 MP
DUMMY MET	00025 IRA	DUMMY K VX	00026 IRE
00027 KRA	DUMMY K VY	00030 KRE	00031 ZERLEG
00033 XMI	00035 YMI	00037 XMA	00041 YMA
DUMMY CAPPAX	DUMMY CAPPAY		

SUBPROGRAMS REQUIRED

MINMAX IFIX
THE END

SUBROUTINE SEARCH

THE SUBROUTINE SEARCH SELECTS OF A NUMBER OF NIRS PATCHES THE INDICES OF WHICH ARE IN THE ARRAY IRS, THOSE, CONTAINING THE POINT WITH THE COORDINATES A,B.

FIRST WITH THE SUBROUTINE INFLAP[A,B] THE X-, Y-COORDINATES OF THE TEST POINT ARE DELIVERED. [IN FLAVIS BY THE SUBROUTINE INFLIN[XC[1],YC[1],IN] THE BEGINNING ADDRESSES OF THE XC-, YC- ARRAYS AND THE RESULT PARAMETER WERE DELIVERED.] THEREFORE BY INFLA4[INDEX1,INDEX2,INDEX3,INDEX4] AND INFLA3[INDEX1,INDEX2,INDEX3] ONLY THE INDICES OF THE PATCH CORNERS ARE DELIVERED.

BEFORE INFLA4 IS CALLED, THE TRIVIAL CASE, THAT THE PATCH LIES UNIQUELY BEHIND P IS EXCLUDED. PRIOR TO THE ACTUAL DIVISION INTO 2 TRIANGLES, THE TRIVIAL CASE, THAT THE PATCH LIES UNIQUELY IN FRONT OF P, IS TESTED. IF THAT IS THE CASE, ISPRU IS SET TO ZERO AND IT IS RETURNED TO VISKRI. ISPRU=0 MEANS IN VISKRI THAT THE TEST POINT IS INVISIBLE.

BY THESE PRE-TESTINGS UNNECESSARY INFLA4- RESP. INFLA3-CALLS ARE AVOIDED.

CALL: CALL SEARCH[NIRS,IRS,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]
 INPUTPARAMETERS: A,B,C,NIRS,IRS
 OUTPUTPARAMETERS: NICA,NLSC,NMVC,NNRC,ISPRU
 COMMON: EPS,ICA,KEMAX,LSC,MVC,NRC,XC,YC,ZC,IN
 SUBROUTINES: INFLAS [INFLAP, INFLA4, INFLA3]

SUBROUTINE SEARCH[NIRS,IRS,NICA,NLSC,NMVC,NNRC,A,B,C,ISPRU]

DIMENSION XT[10,10,10],YT[10,10,10],ZT[10,10,10],INDLI[1024]

DIMENSION XC[1000],YC[1000],ZC[1000]

DIMENSION ICA[25],LSC[25],MVC[25],NRC[25],IHQ[200],LIHIWI[11,11,2]

DIMENSION IRS[1]

COMMON IN,IM,IKL

COMMON XMIN,YMIN,IHQ,INDLI,LIHIWI,KEMAX,XT,YT,ZT,EPS,DIVIS,III,KZZ

COMMON ICA,LSC,MVC,NRC

EQUIVALENCE [XT,XC],[YT,YC],[ZT,ZC]

*****SET VARIABLES TO ZERO, THAT INDICATE NUMBER OF TRIANGLES

IN WHICH THE POINT TO BE TESTED FOR VISIBILITY IS SITUATED:

- 1 NICA=0
- 2 NLSC=0
- 3 NMVC=0
- 4 NNRC=0
- 5 ISPRU=1

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60 C*****DELIVER X-, Y-COORDINATES OF THE TEST POINT:
61 C
62     6  CALL INFLAP[A,B]
63 C
64 C*****4 CORNERS OF A PATCH WITH THE INDICES IRS[MP], IRS[MP]+1,
65 C     IRS[MP]+KEMAX+1 AND IRS[MP]+KEMAX:
66 C
67     7  DO 39 MP=1,NIRS
68 C
69 C*****COMPUTE INDICES:
70 C
71     8  IR=IRS[MP]
72     9  IR1=IR+1
73    10  IR2=IR+KEMAX
74    11  IR3=IR2+1
75 C
76 C*****INTERROGATION, WHETHER ALL Z-COORDINATES OF THE QUADRANGLE ARE
77 C     SMALLER THAN THE Z-COORDINATE OF THE TEST POINT. IF THAT IS THE
78 C     CASE, THE PATCH IS IRRELEVANT FOR FURTHER TESTING:
79 C
80    12  IF[ZC[IR]-C+EPS] 13,13,16
81    13  IF[ZC[IR1]-C+EPS] 14,14,16
82    14  IF[ZC[IR3]-C+EPS] 15,15,16
83    15  IF[ZC[IR2]-C+EPS] 39,39,16
84 C
85 C
86 C*****INTERROGATION, WHETHER THE TEST POINT P[A,B,C] LIES IN THE PATCH:
87 C
88     16  CALL INFLA4[IR,IR1,IR3,IR2]
89 C
90 C*****EXCLUDE, THAT P LIES IN A PATCH CORNER:
91 C
92 C
93    17  IF[IN] 18,39,19
94    18  IF[IN+1] 19,39,39
95 C
96 C*****INTERROGATION, WHETHER ALL Z-COORDINATES OF THE QUADRANGLE ARE
97 C     LARGER THAN THE Z-COORDINATE OF THE TEST POINT. IF THAT IS THE
98 C     CASE, P IS INVISIBLE AND VIA VISKRI IT IS BRUNCHED TO GREVIS.
99 C
100 C
101    19  IF[C-ZC[IR]+EPS] 20,25,25
102    20  IF[C-ZC[IR1]+EPS] 21,25,25
103    21  IF[C-ZC[IR2]+EPS] 22,25,25
104    22  IF[C-ZC[IR3]+EPS] 23,25,25
105 C
106    23  ISPRU=0
107 C
108 C*****RETURN TO VISKRI
109 C
110    24  RETURN
111 C
112 C
113 C
114 C
115 C
116 C
117 C
118 C
119 C*****

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120 C*****DIVISION OF THE PATCH INTO 2 TRIANGLES WITH THE INDICES
121 C   LSC[MP], LSC[MP]+1, LSC[MP]+KEMAX+1 AND ICA[MP], ICA[MP]+KEMAX,
122 C   ICA[MP]+KEMAX+1.
123 C
124 C*****INTERROGATION, WHETHER POINT P LIES IN ONE OF THE 2 TRIANGLES:
125 C
126 C   25  CALL INFLA3[IR,IR1,IR3]
127 C
128 C*****EXCLUDE THAT THE POINT LIES AT THE EDGE OF A TRIANGLE:
129 C
130 C   26  IF[IN] 32,27,30
131 C
132 C*****FILL ARRAYS:
133 C
134 C   27  NICA=NICA+1
135 C   28  ICA[NICA]=IR
136 C
137 C   29  GOTO 32
138 C
139 C   30  NLSC=NLSC+1
140 C   31  LSC[NLSC]=IR
141 C
142 C
143 C
144 C*****
145 C
146 C*****DIVISION OF THE PATCH INTO 2 TRIANGLES WITH THE INDICES
147 C   NRC[MP], NRC[MP]+1, NRC[MP]+KEMAX AND MVC[MP]+1, MVC[MP]+KEMAX,
148 C   MVC[MP]+KEMAX+1.
149 C
150 C*****INTERROGATION, WHETHER POINT P LIES IN ONE OF THE 2 TRIANGLES:
151 C
152 C   32  CALL INFLA3[IR1,IR2,IR3]
153 C
154 C*****EXCLUDE THAT THE POINT LIES AT THE EDGE OF A TRIANGLE:
155 C
156 C   33  IF[IN] 39,37,34
157 C
158 C*****FILL ARRAYS:
159 C
160 C   34  NMVC=NMVC+1
161 C   35  MVC[NMVC]=IR
162 C
163 C   36  GOTO 39
164 C
165 C   37  NNRC=NNRC+1
166 C   38  NRC[NNRC]=IR
167 C
168 C   39  CONTINUE
169 C
170 C
171 C
172 C*****RETURN TO VISKRI
173 C
174 C   40  RETURN
175 C
176 C*****
177 C   END

```


COMMON ALLOCATION

77777 IN	77776 IM	77775 IKL	77773 XMIN
77771 YMIN	77461 IHQ	75461 INDLI	75077 LIHIWI
75076 KEMAX	71156 XT	65236 YT	61316 ZT
61314 EPS	61312 DIVIS	61311 III	61310 KZZ
61257 ICA	61226 LSC	61175 MVC	61144 NRC
71156 XC	65236 YC	61316 ZC	

PROGRAM ALLOCATION

DUMMY IRS	DUMMY NICA	DUMMY NLSC	DUMMY NMVC
DUMMY NNRC	DUMMY ISPRU	00033 MP	DUMMY NIRS
00034 IR	00035 IR1	00036 IR2	00037 IR3
00040 SEARCH	DUMMY A	DUMMY B	DUMMY C

SUBPROGRAMS REQUIRED

INFLAP INFLA4 INFLA3
THE END

```

1          PAGE
2 *****
3 *
4 *
5 *      I N F L A S
6 *
7 *
8 *****
9 *
10 *      A• SEYFERTH
11 *
12 *****
13 *
14 *      INFLIN (XF,YF,IN)
15 *
16 *      INDICATION OF THE FILE-BEGINNING ADDRESS AND THE RESULT CELL
17 *
18 *****
19 *
20 *
21 *      RORG      0
22 *
23 *      ESIND EQU      074
24 *      E0ADR EQU      371
25 *
26 *      DEFINITION OF THE PROGRAMMED OPERATORS:
27 *
28 *      LDP      0PD      012500000
29 *      FLS      0PD      013500000
30 *      FLM      0PD      014100000

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00000

00000074
00000563

00000 0 00 00000

00001 0 71 0 00563

00002 2 76 0 00000

00003 0 55 0 00335

00004 0 35 0 00013

00005 2 76 0 00001

00006 0 55 0 00335

00007 0 35 0 00014

00010 2 76 0 00002

00011 0 35 0 00015

00012 0 51 0 00000

00013 0 00 00000

00014 0 00 00000

00015 0 00 00000

31 PAGE

32 *****

33 *

34 INFLIN PZE ENTRY

35 *

36 LDX E0ADR

37 LDA 0,2 BEGINNING-ADDRESS OF THE X-FILE

38 * + INDEX-BIT

39 ADD #016777776 -2, WITH FADE-OUT OF THE FLOATING-INDICATOR

40 STA XFAD

41 LDA 1,2

42 ADD #016777776

43 STA YFAD

44 LDA 2,2

45 STA INAD

46 BRR INFLIN RETURN-BRANCH

47 *

48 XFAD PZE BEGINNING-ADDRESS OF THE X-FILE - 2

49 YFAD PZE BEGINNING-ADDRESS OF THE Y-FILE - 2

50 INAD PZE ADDRESS OF THE RESULT-CELL

51 *

52 *****

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00016 0 00 00000
00017 0 71 0 00563
00020 2 75 0 00000
00021 0 46 00060
00022 2 76 0 00000
00023 0 35 0 00035
00024 2 76 0 00001
00025 0 35 0 00036
00026 0 46 00020
00027 2 71 0 00001
00030 2 76 0 00000
00031 0 35 0 00037
00032 2 76 0 00001
00033 0 35 0 00040
00034 0 51 0 00016

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00035
00037

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53          PAGE
54 *****
55 *
56 *
57 *      INFLAP(XP,YP)
58 *
59 *
60 *      LOAD AND STORE THE POINT COORDINATES
61 *
62 *
63 *****
64 *
65 INFLAP PZE      ENTRY
66          LDX      EBADR      ADDRESS OF THE 1ST PARAMETERADDRESS
67          LDB      0,2        1ST PARAMETERADDRESS
68          XXB      TO X-REGISTER
69          LDA      0,2        1ST WORD OF XP
70          STA      XP
71          LDA      1,2        2ND WORD OF XP
72          STA      XP+1
73          CBX      ADDRESS OF THE 1ST PARAMETERADDRESS TO XR
74          LDX      1,2        2ND PARAMETERADDRESS
75          LDA      0,2        1ST WORD OF YP
76          STA      YP
77          LDA      1,2        2ND WORD OF YP
78          STA      YP+1
79          BRR      INFLAP      RETURN-BRANCH
80 *
81 XP      RES      2          XP-BUFFER
82 YP      RES      2          YP-BUFFER
83 *
84 *****

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00041 0 00 00000
00042 0 76 0 00336
00043 0 01 0 00050

```
85          PAGE
86 *****
87 *
88 *
89 *      INFLA3(IND1,IND2,IND3)
90 *
91 *
92 *      INFLA WITH 3 INDICES
93 *
94 *
95 *****
96 *
97 INFLA3 PZE          ENTRY
98 *
99          LDA      =1
100         BRU      INFLA      BRANCH TO INFLA
101 *
102 *****
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```

103          PAGE
104 *****
105 *
106 *
107 *          INFLA4 (IND1, IND2, IND3, IND4)
108 *
109 *
110 *****
111 *
112 INFLA4 PZE          ENTRY
113 *
114          LDA      INFLA4
115          STA      INFLA3
116          LDA      =2
117 INFLA  STA      PANZ          NUMBER OF PARAMTERS = 2
118          ADD      =1
119          ADD      EOIND
120          STA      Z
121          LDX      *Z          INDEX OF THE LAST POINT
122          BRM      XVER        RESULT = X - XP
123          STA      XL+1
124          STA      X1+1
125          STB      XL
126          STB      X1
127          BRM      YVER        GET Y
128          STA      YL+1        RESULT = Y - YP
129          STA      Y1+1
130          STB      Y1
131          STB      YL
132          CLA
133          STA      ZAEHL        STANDARTISIZE COUNTER
134          LDA      EOIND        1ST PARAMETERADDRESS
135          STA      Z

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00044 0 00 00000

00045 0 76 0 00044
 00046 0 35 0 00041
 00047 0 76 0 00337
 00050 0 35 0 00273
 00051 0 55 0 00336
 00052 0 55 0 00074
 00053 0 35 0 00272
 00054 0 71 1 00272
 00055 0 43 0 00274
 00056 0 35 0 00264
 00057 0 35 0 00254
 00060 0 36 0 00263
 00061 0 36 0 00253
 00062 0 43 0 00310
 00063 0 35 0 00266
 00064 0 35 0 00260
 00065 0 36 0 00257
 00066 0 36 0 00265
 00067 0 46 00001
 00070 0 35 0 00271
 00071 0 76 0 00074
 00072 0 35 0 00272

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136          PAGE
137 *****
138 *
139 *      IN THE FOLLOWING LOOP IT IS TESTED, WHETHER THE CONNECTING LINE
140 *      BETWEEN TWO SUCCEEDING POINTS, CROSSES THE POSITIVE UNLIMITED
141 *      LINE Y=YP.
142 *      THEREFORE THE PAIRED VALUES X1,Y1 AND X2,Y2 ARE USED, EACH
143 *      OF WHICH CONTAINS THE DIFFERENCE COORDINATES P1-P RESP. P2-P .
144 *      P(XP,YP) IS THE POINT TO BE TESTED, P1 AND P2 ARE THE TWO
145 *      SUCCEEDING POINTS OF THE FILE.
146 *****
147 *
00073 0 71 1 00272 148 SCHLA LDX      *Z      GET THE NEXT POINT-INDEX
00074 0 43 0 00274 149      BRM      XVER      COMPUTE X-XP
00075 0 36 0 00255 150      STB      X2
00076 0 35 0 00256 151      STA      X2+1
00077 0 64 0 00254 152      MUL      X1+1      MULTIPLICATION OF X1 AND X2 TO ASCERTAIN THE
153 *                                ACCORDANCE IN SIGNS
00100 0 72 0 00340 154      SKA      =040000000 SKIP AT POSITIVE MULTIPLICATION RESULT
00101 0 01 0 00147 155      BRU      XVV      NEGATIVE MULTIPLICATION RESULT AND X1 AND X2
156 *                                DIFFERENT SIGNS (CASE 6)
157 *
158 *      X1 AND X2 HAVE EQUAL SIGNS OR ARE 0
00102 0 52 0 00341 159      SKB      =077777776 SKIP, IF THE MULTIPLICATION RESULT = 0
00103 0 01 0 00135 160      BRU      XGV      MULTIPLICATION RESULT IS UNEQUAL 0
161 *
162 *      AT LEAST ONE X-VALUE = 0
00104 0 55 0 00254 163      ADD      X1+1
00105 0 55 0 00256 164      ADD      X2+1
00106 0 50 0 00342 165      SKE      =0      SKIP, IF X1 AND X2 =0
00107 0 01 0 00117 166      BRU      X1U      BRANCH TO X1U
167 *      BOTH X-VALUES ARE =0, I.E. THEY LIE ON THE
168 *      VERTICAL X = XP (CASE 1)

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00110 0 43 0 00310
00111 0 36 0 00257

00112 0 75 0 00340
00113 0 70 0 00260
00114 0 01 0 00240

00115 0 35 0 00260

00116 0 01 0 00221

00117 0 73 0 00342
00120 0 01 0 00137

00121 0 76 0 00254

00122 0 43 0 00310
00123 0 36 0 00257
00124 0 75 0 00340
00125 0 70 0 00260

00126 0 61 0 00271

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169      BRM      YVER      GET Y2=Y-Y
170      STB      Y1        EXP. IF Y1 IS NO LONGER NEEDED
171 *                                AND THEREFORE OVERWRITTEN AT ONCE
172      LDB      =040000000  MASK FOR SIGN BIT
173      SKM      Y1+1      SKIP, IF Y1 AND Y2 HAVE EQUAL SIGNS
174      BRU      INLIN     POINT ON THE PERPENDICULAR LINE, BECAUSE
175 *                                IF UNEQUAL SIGNS ( CASE 1B )
176      STA      Y1+1      POINT NOT ON THE LINE, NO INTERSECTION-POINT
177 *                                POSSIBLE (CASE 1A)
178      BRU      SCHLEN     BRANCH TO END OF LOOP
179 *
180 *                                ONE X-VALUE =0, ONE X-VALUE UNEQUAL 0
181 X1U      SKG      =0      SKIP, IF > 0
182      BRU      NUM      ONE X = 0, ONE NEG., NO INTERSECTIONPOINT WITH
183 *                                THE POS. UNLIMITED LINE POSSIBLE (CASE 2)
184      LDA      X1+1      ONE X =0, THE OTHER POSITIVE, INTERSECTION-
185 *                                POINT IS GIVEN AT UNEQUAL Y-SIGN (CASE 3)
186 *****
187 *
188 *      NO X-VALUE < 0
189 *      AT LEAST ONE X-VALUE > 0
190 *      CASE 3 AND 4
191 *
192 *****
193 XPOS      BRM      YVER      GET Y2=Y-Y
194      STB      Y1
195      LDB      =040000000  SIGN MASK
196      SKM      Y1+1      SKIP, IF SIGNS OF Y1 AND Y2 ARE EQUAL.
197 *                                THEN: (CASE 3A AND 4A)
198      MIN      ZAEHL     Y-SIGNS DIFFERNT, INTERSECTION POINT
199 *                                INCREASE COUNTER (CASE 3B AND 4B)
```



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200          PAGE
201 *****
202 *
203 *      EXCHANGE AT THE FOLLOWING POSITION:
204 *
205 *      <A>=MANTISSA OF Y2
206 *      <Y1>=EXPONENT OF Y2
207 *      <X2,X2+1>=EXPONENT AND MANTISSA OF X2
208 *
209 *      X2 AND Y2 SHALL BECOME X1 AND Y1; THE NEXT POINT SHALL BECOME
210 *      X2 AND Y2.
211 *
212 *****
213 *
00127 0 35 0 00260 214 UMS      STA      Y1+1      MANTISSA OF Y2 --> Y1+1
00130 0 76 0 00255 215          LDA      X2          EXPONENT X2 --> X1
00131 0 35 0 00253 216          STA      X1
00132 0 76 0 00256 217          LDA      X2+1      MANTISSA OF X2 --> X1+1
00133 0 35 0 00254 218          STA      X1+1
00134 0 01 0 00221 219          BRU      SCHLEN  BRANCH TO THE END OF LOOP
220 *
00135 0 53 0 00254 221 XGV      SKN      X1+1      EQUAL X-SIGNS; SKIP IF X1 AND X2 NEGATIVE
00136 0 01 0 00122 222          BRU      XPOS      BOTH POSITIVE (CASE 4)
00137 0 76 0 00255 223 NUM      LDA      X2          NEGATIVE X-VALUES, EXCHANGE X (CASE 5)
00140 0 35 0 00253 224          STA      X1          AND COMPUTE Y
00141 0 76 0 00256 225          LDA      X2+1      X2 --> X1
00142 0 35 0 00254 226          STA      X1+1
00143 0 43 0 00310 227          BRM      YVER      Y2 HAS NOT YET BEEN FETCHED
00144 0 35 0 00260 228          STA      Y1+1      BRING AND STORE TO Y1 AT ONCE
00145 0 36 0 00257 229          STB      Y1
00146 0 01 0 00221 230          BRU      SCHLEN  BRANCH TO THE END OF LOOP

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00147 0 43 0 00310
 00150 0 35 0 00262
 00151 0 46 00020
 00152 0 64 0 00260
 00153 0 72 0 00340
 00154 0 01 0 00174
 00155 0 52 0 00341
 00156 0 01 0 00166
 00157 0 55 0 00260
 00160 0 55 0 00262
 00161 0 50 0 00342
 00162 0 01 0 00164
 00163 0 01 0 00240
 00164 0 73 0 00342
 00165 0 01 0 00174

00166 0 53 0 00273
 00167 0 01 0 00171
 00170 0 01 0 00223
 00171 0 37 0 00257
 00172 0 76 0 00262
 00173 0 01 0 00127

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231      PAGE
232 *****
233 *      DIFFERENT X-SIGNS, AT DIFFERENT Y-SIGNS INTERSECTION-POINT
234 *      POSSIBLE (CASE 6)
235 *
236 XVV   BRM      YVER      Y2=Y-YP
237       STA      Y2+1      STORE MANTISSA
238       CBX
239       MUL      Y1+1      SAVE EXPONENT INTO X-REGISTER
240       SKA      =040000000 MULTIPLICATION OF MANTISSAS OF Y1 AND Y2
241       BRU      YVV      SKIP, IF RESULT OF MULTIPL. IS POSITIVE
242       SKB      =077777776 Y-SIGN DIFFERENT, UNEQUAL 0 (CASE 6B)
243       BRU      XUM      SKIP, IF MULTIPL.-RESULT = 0 (CASE 6A)
244       ADD      Y1+1      BOTH Y EQUAL SIGNS, UNEQU. 0, NO INTERSEC.-POINT
245       ADD      Y2+1      ONE Y-VALUE=0
246       SKE      =0      SKIP, IF Y1 AND Y2 =0
247       BRU      $+2      ONE Y-VALUE=0, ONE UNEQUAL 0.
248       BRU      INLIN     BOTH Y=0, DIFFERENT X-SIGNS (CASE 6C)
249       SKG      =0      SKIP, IF Y-VALUE UNEQU. 0 AND POS.; THEN CASE 6A
250       BRU      YVV      ONE Y=0, ONE NEGATIVE (CASE 6B)
251 *      EXCHANGE AT THE FOLLOWING POSITION:
252 *
253 *      <XR>=EXPONENT OF Y2
254 *      <Y2+1>=MANTISSA OF Y2
255 *      <X2,X2+1>=EXPONENT AND MANTISSA OF X2
256 *
257 *****
258 XUM    SKN      PANZ      ALL POINTS ALREADY WORKED OFF
259       BRU      $+2      NO, EXCHANGING
260       BRU      ENDE      YES, BRANCH TO REVALUATION AND RETURN
261       STX      Y1      EXPONENT OF Y2 --> Y1
262       LDA      Y2+1     <A>:= MANTISSA OF Y2
263       BRU      UMS      BRANCH TO FURTHER EXCHANGING

```

		264	PAGE	
		265	*****	
		266	*	X-VALUES AND Y-VALUES HAVE DIFFERENT SIGNS
		267	*	LINEAR EQUATION HAS TO BE COMPUTED
		268	*	
00174	0 76 0 00260	269	YVV LDA Y1+1	MANTISSA OF Y1
00175	0 75 0 00257	270	LDB Y1	EXPONENT OF Y1
00176	1 41 0 00255	271	FLM X2	Y1*X2
00177	0 35 0 00270	272	STA P1+1	STORE RESULT
00200	0 36 0 00267	273	STB P1	
00201	0 76 0 00262	274	LDA Y2+1	MANTISSA OF Y2
00202	0 46 00040	275	CXB	EXPONENT OF Y2
00203	1 41 0 00253	276	FLM X1	Y2*X1
00204	1 35 0 00267	277	FLS P1	Y2*X1-Y1*X2
00205	0 50 0 00342	278	SKE =0	SKIP, IF RESULT OF SUBTRACTION =0
00206	0 01 0 00210	279	BRU \$+2	UNEQUAL 0
00207	0 01 0 00240	280	BRU INLIN	NUMERATOR=0, POINT ON THE STRAIGHT LINE
00210	0 35 0 00267	281	STA P1	SAVE MANTISSA FOR SIGN COMPARISON WITH THE
		282	*	DENOMINATOR
00211	0 46 00040	283	CXB	EXPONENT OF Y2
00212	0 76 0 00262	284	LDA Y2+1	MANTISSA OF Y2
00213	1 35 0 00257	285	FLS Y1	DENOMINATOR: Y2-Y1
00214	0 75 0 00340	286	LDB =040000000	
00215	0 70 0 00267	287	SKM P1	SKIP, IF SIGN OF NUMERATOR AND DENOMINATOR
		288	*	IS EQUAL, I.E. RESULT X IS POSITIVE
00216	0 01 0 00166	289	BRU XUM	UNEQUAL SIGN, NEGATIVE RESULT, NO INTERSECTION-
		290	*	POINT, BRANCH TO EXCHANGING
00217	0 61 0 00271	291	MIN ZAEHL	POSITIVE RESULT, INTERSECTION-POINT
00220	0 01 0 00166	292	BRU XUM	BRANCH TO EXCHANGING
00221	0 53 0 00273	293	SCHLEN SKN PANZ	END OF LOOP; SKIP, IF ALL POINTS
		294	*	ARE WORKED OFF
00222	0 01 0 00227	295	BRU SCHLE	NOT ALL WORKED OFF

				296	PAGE	
				297	*****	
				298	*	
00223	0	76	0	00271	299 ENDE LDA ZAEHL	COUNTER RESULT OF INTERSECTION POINTS
00224	0	14	0	00336	300 ETR =1	EVEN NUMBER: RESULT =0;
				301 *		POINT LIES OUTSIDE
00225	0	35	1	00015	302 RUECK STA *INAD	ODD NUMBER: RESULT=1
				303 *		POINT LIES INSIDE
00226	0	51	0	00041	304 BRR INFLA3	RETURN
00227	0	60	0	00273	305 SCHLE SKR PANZ	PANZ:=PANZ-1, SKIP, IF PANZ < 0
00230	0	01	0	00234	306 BRU SE	LOOP CONTINUATION
00231	0	76	0	00264	307 LDA XL+1	ALL POINTS BUT THE LAST ARE WORKED OFF
00232	0	75	0	00263	308 LDB XL	TAKE OVER THE LAST POINT ALREADY STORED
00233	0	01	0	00075	309 BRU SCHLA+2	
00234	0	61	0	00272	310 SE MIN Z	SET NEXT POINT-INDEX-ADDRESS
00235	0	01	0	00073	311 BRU SCHLA	BRANCH TO LOOP START
00236	0	76	0	00343	312 INPU LDA =-1	POINT COINCIDES
00237	0	01	0	00225	313 BRU RUECK	
00240	0	60	0	00273	314 INLIN SKR PANZ	LINE MET, INTERROGATION FOR POINT-COINCIDENCE
00241	0	01	0	00244	315 BRU \$+3	
00242	0	76	0	00341	316 INLIN1 LDA =-2	LINE MET
00243	0	01	0	00225	317 BRU RUECK	
00244	0	61	0	00272	318 MIN Z	
00245	0	71	1	00272	319 LDX *Z	
00246	0	43	0	00274	320 BRM XVER	
00247	0	50	0	00342	321 SKE =0	
00250	0	01	0	00240	322 BRU INLIN	
00251	0	43	0	00310	323 BRM YVER	AT POINT-COINCIDENCE DIRECT BRANCH TO INPU
00252	0	01	0	00240	324 BRU INLIN	

00253
00255
00257
00261
00263
00265
00267
00271 0 00 00000
00272 0 00 00000
00273 0 00 00000

325 PAGE
326 *****
327 *
328 * FIELDS
329 *
330 X1 RES 2
331 X2 RES 2
332 Y1 RES 2
333 Y2 RES 2
334 XL RES 2
335 YL RES 2
336 P1 RES 2
337 ZAEHL PZE
338 Z PZE
339 PANZ PZE
340 *

00253
 00255
 00257
 00261
 00263
 00265
 00267
 00271 0 00 00000
 00272 0 00 00000
 00273 0 00 00000

325 PAGE
 326 *****
 327 *
 328 * FIELDS
 329 *
 330 X1 RES 2
 331 X2 RES 2
 332 Y1 RES 2
 333 Y2 RES 2
 334 XL RES 2
 335 YL RES 2
 336 P1 RES 2
 337 ZAEHL PZE
 338 Z PZE
 339 PANZ PZE
 340 *

```

341          PAGE
342 *****
343 *
344 *FETCH XVER AND YVER, X- RESP. Y-VALUE OUT OF FILE
345 *      COMPARISON WITH POINT XP,YP. IF THERE IS NO COINCIDENCE
346 *      XP,YP IS SUBTRACTED, THE RESULT IS IN A AND B.
347 *
348 *****
349 *
350 XVER      PZE
351          LDP      *XFAD      NEXT X-VALUE
352          SKE      XP+1      IS MANTISSA = MANTISSA OF XP
353          BRU      XSUB+1    MANTISSAS UNEQUAL
354          XAB                      YES, COMPARE EXPONENTS TOB
355          SKE      XP
356          BRU      XSUB      EXPONENTS UNEQUAL
357          CLR                      EXPONENTS EQUAL, RESULT =0
358          BRR      XVER      RETURN
359 XSUB      XAB
360          FLS      XP      X = XP
361          BRR      XVER      RETURN
362 *
363 *
364 *
365 YVER      PZE
366          SKN      PANZ      SKIP, IF PANZ NEGATIVE, I.E. THE LAST VALUE
367 *                      ALREADY STORED SHALL BE TAKEN OVER
368          BRU      NLY
369          LDA      YL+1
370          LDB      YL
371          BRR      YVER      RETURN
372 NLY      STA      XM      STORE MANTISSA OF X-VALUE
373          LDP      *YFAD      GET Y-VALUE

```

```

00274 0 00 00000
00275 1 25 1 00013
00276 0 50 0 00036
00277 0 01 0 00306
00300 0 46 00014
00301 0 50 0 00035
00302 0 01 0 00305
00303 0 46 30003
00304 0 51 0 00274
00305 0 46 00014
00306 1 35 0 00035
00307 0 51 0 00274

```

```

00310 0 00 00000
00311 0 53 0 00273

```

```

00312 0 01 0 00316
00313 0 76 0 00266
00314 0 75 0 00265
00315 0 51 0 00310
00316 0 35 0 00334
00317 1 25 1 00014

```



```

00320 0 50 0 00040
00321 0 01 0 00332
00322 0 46 00014
00323 0 50 0 00037
00324 0 01 0 00331
00325 0 46 30003
00326 0 50 0 00334
00327 0 51 0 00310
00330 0 01 0 00236
00331 0 46 00014
00332 1 35 0 00037
00333 0 51 0 00310
00334 0 00 00000

```

```

374      SKE      YP+1      SKIP, IF COINCIDENCE OF MANTISSAS OF Y AND YP
375      BRU      YSUB+1    NO COINCIDENCE
376      XAB
377      SKE      YP        COMPARISON OF EXPONENTS
378      BRU      YSUB      SKIP, IF COINCIDENCE OF Y AND YP
379      CLR
380      SKE      XM        NO COINCIDENCE
381      BRR      YVER      RESULT: Y - YP
382      BRU      INPU      IS MANTISSA OF THE APPERTAINING X-VALUE =0 THE
383 YSUB  XAB          NO, RETURN
384      FLS      YP        POINT COINCIDENCE
385      BRR      YVER      Y - YP
386 XM    PZE          RETURN
387 *****
388 *
389 *      GLOBAL NAMES
390 *
391 $INFLIN, INFLAP, INFLA3, INFLA4
392 *
393 *****
394      END

```

```

00335 16777776
00336 00000001
00337 00000002
00340 40000000
00341 77777776
00342 00000000
00343 77777777

```


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